

International PhD School "F. Lucchin" - XIV Cycle II Course

Science and Technology with E-ELT

Erice, Sicily, 8-20 October 2015

spectroscopy of stars and stellar populations: from spectra to chemical abundances

Outline

- >observing stars and stellar populations
- >basics of spectral analysis & chemical abundances
- >the parameter space
- >modeling concepts

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http://www.eso.org/sci/meetings/2015/EELT_EriceSchool2015.html











basic question: why?

basic constituents of complex stellar systems as galaxies

observations needed to

characterize their structural, chemical, evolutionary and environmental properties



constrain input parameters & physics of stellar evolution, chemical and dynamical models

stars: point sources when resolved → individually observable

stars: <u>diffuse stellar background</u> when unresolved > observable in integrated light

basic question: where in the e.m spectrum?



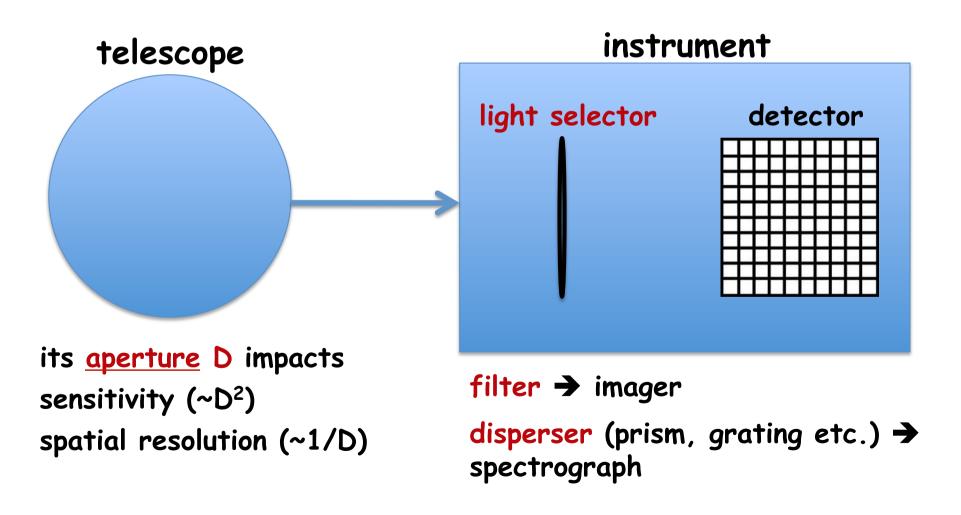
a multi-wavelength approach very effective

- each star/sequence in the most suitable range blue/hot in the UV-optical, red/cool in the infrared
- each environment in the most suitable range metal poor, low reddening (e.g. halos) in the UV-optical metal rich, high reddening (e.g bulges) in the infrared

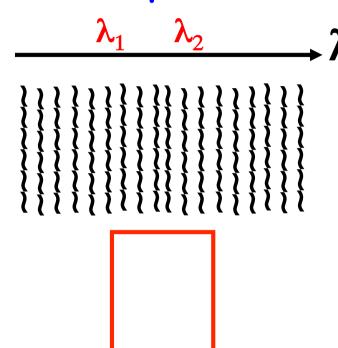
a larger baseline/spectral coverage →
more accurate stellar & population parameters
temperature, gravity, metallicity, mass, age, IMF, reddening etc.
nebular vs stellar contributions, mass loss, SF rates etc.

basic question: how?

telescopes & instruments: complex opto-mechanical systems with <u>finite</u> sizes and <u>limited</u> efficiencies



basic question: how?





filter \rightarrow transmits integrated light between λ_1 and λ_2

$$\mathsf{F}(\lambda) = \int_{\lambda_1}^{\lambda_2} \Phi(\lambda) \times \Delta\lambda$$

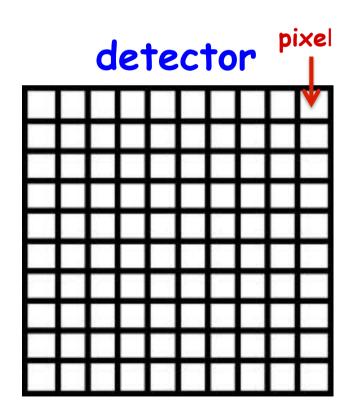
 $\Phi(\lambda)$ = filter profile



disperser \rightarrow decomposes light between λ_1 and λ_2 in steps of $\Delta\lambda$

basic question: how?

observations are recorded on digital array detectors with a <u>finite</u> number of <u>discrete</u> elements (<u>pixels</u>)

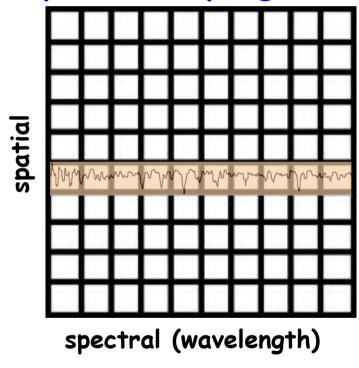


the current generation of UV-optical (CCDs) & IR (CMOS) detectors have $2-4,000 \times 2-4,000$ pixels

pixel physical size: 15-18 micron

observing technique: spectroscopy

1D spatial sampling, resolved spectral information



parameters

- spectral resolution
- > spectral coverage
- > configuration
- long slit
- multi-object
- integral field
- cross-dispersed

spectral resolution \rightarrow instrumental profile

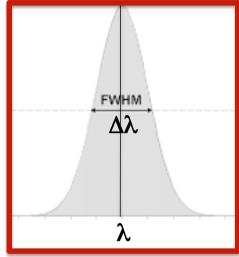
our ability of <u>resolving & measuring</u> individual lines depends on spectral resolution

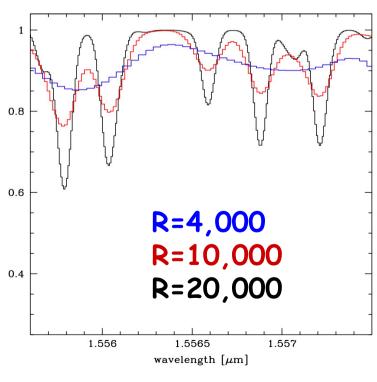
$$R = \lambda / \Delta \lambda = c / \Delta v$$

- R spectral resolution
- λ wavelength
- $\Delta\lambda$ full width half maximum (FWHM) of the instrumental (Gaussian) line profile
- c light speed
- Δv velocity

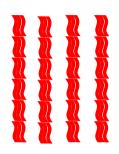
spectrographs are designed to sample the resolution element with >=2 pixels to satisfy the Nyquist theorem

higher R → narrower & stronger lines

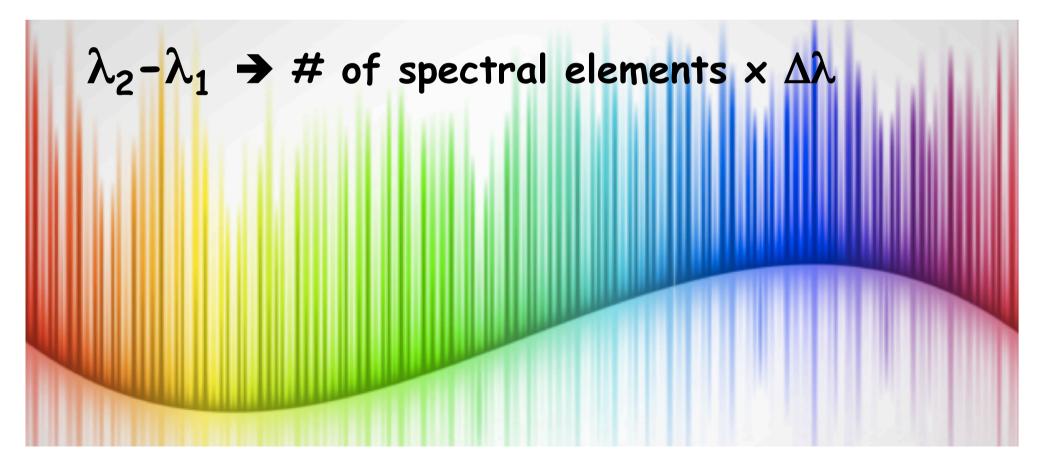




spectral coverage -> wavelength range

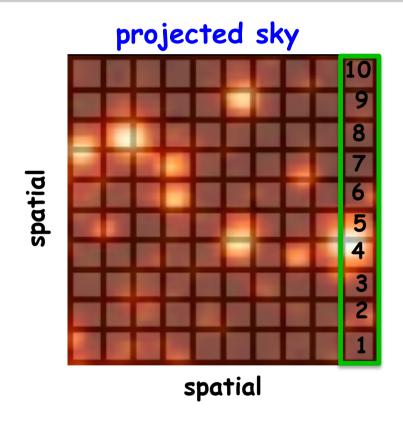


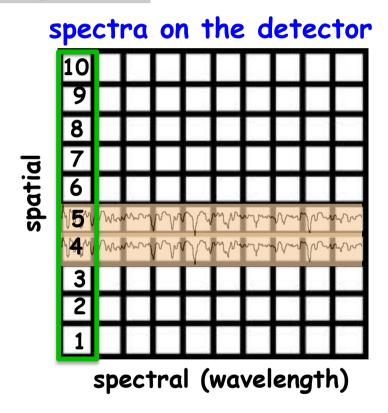
disperser \rightarrow decomposes light between λ_1 and λ_2 in steps of $\Delta\lambda$



observing technique: spectroscopy

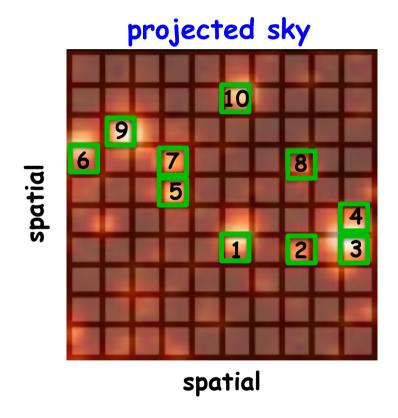
spectroscopic configuration: long slit

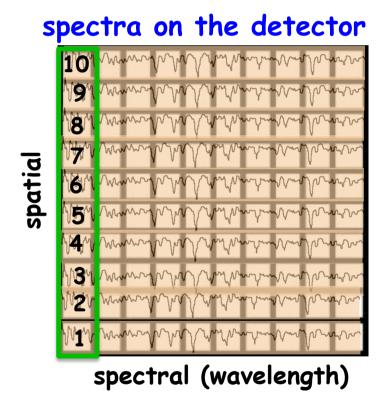




observing technique: spectroscopy

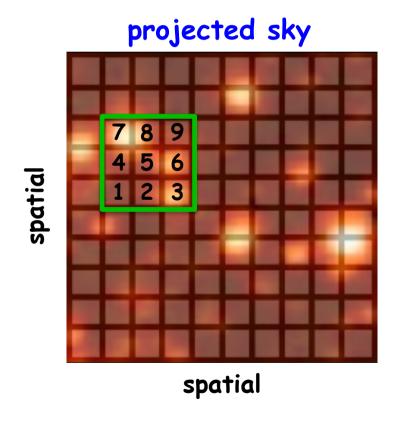
spectroscopic configuration: multi-object

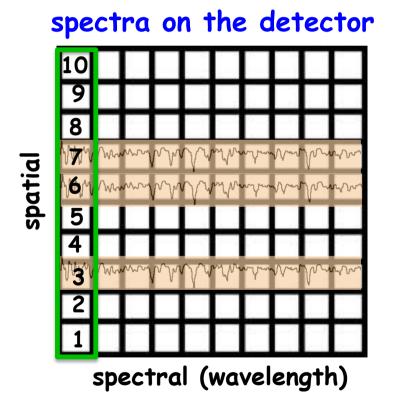




observing technique: spectroscopy

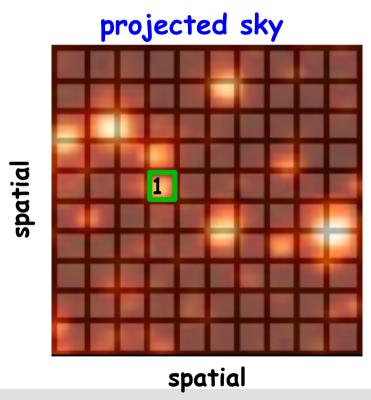
spectroscopic configuration: integral field



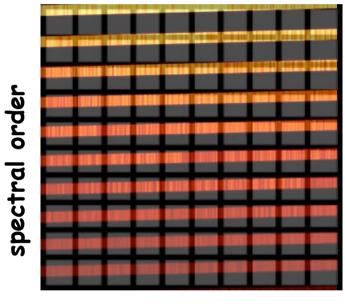


observing technique: spectroscopy

spectroscopic configuration: cross-dispersed echelle

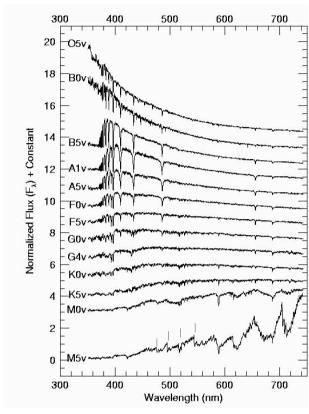


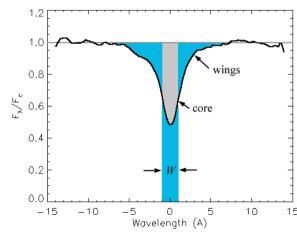
spectrum on the detector



spectral wavelength

- √single object, high spectral resolution + wide spectral coverage
- √Y-axis on the detector used to sample different orders, i.e.
 different wavelength ranges





stellar spectrum appearance

- continuum shape
- line profile (centroid, width, depth)
- lines from different chemical species

affected by many parameters

photospheric

temperature, gravity, chemical composition

internal and surface motions

micro and macro turbulence velocity, winds, spots

star motions

radial velocity, rotation

instrumental

spectral coverage, spectral resolution, signal-to-noise

from observables to physical quantities

comparison between observed & template spectra with known parameters

spectral libraries

empirical: reliable but incomplete coverage of stellar parameters

synthetic: complete coverage but model dependent

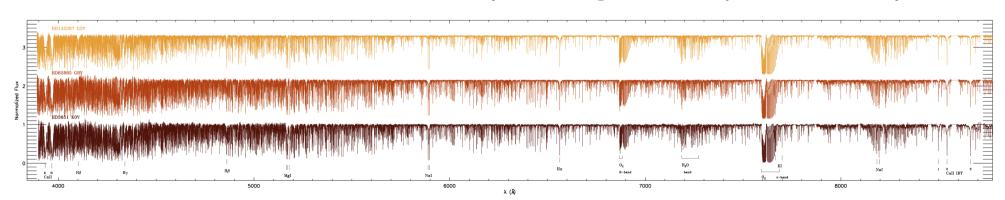
for chemical abundance analysis a wide space of parameters

<u>astrophysical</u>: temperature, gravity, micro and macro turbulence, rotation,

chemical abundances and abundance patterns, etc.

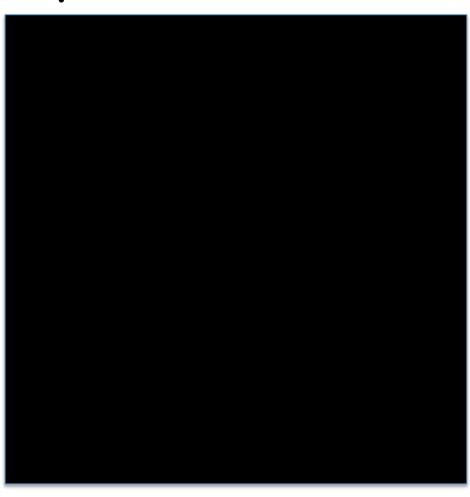
instrumental: spectral coverage, spectral resolution etc.

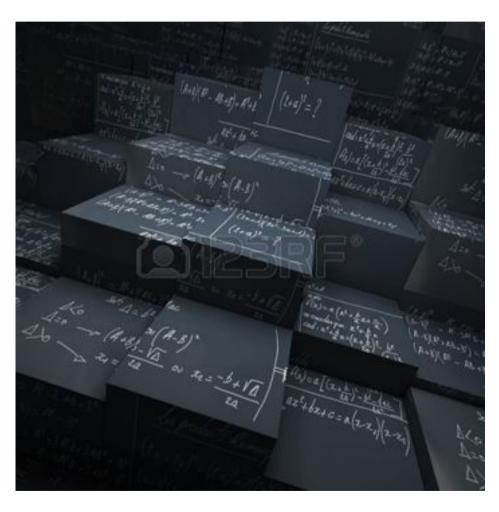
need to be covered and with dense spectral grids \Rightarrow synthetic templates



how to compute synthetic spectra

sophisticated codes





how to compute synthetic spectra

code main ingredients

- $\sqrt{\text{grid(s)}}$ of model atmospheres (1D, spherical, 3D) \rightarrow temperature & density structure
- √atomic and molecular line lists: lambda, excitation potential, transition probability (gf)
- ✓ input physics energy transport (LTE, NLTE) Saha equations to compute column densities continuum opacities and partition functions
- √line profile

```
intrinsic \Rightarrow Voigt: Doppler core (\Delta v = v_0/c \times (2kT/m + v_{turb}^2)^{0.5}) + damping wings
broadening \Rightarrow instrumental, rotation, macro-turbulence (convection in the outer layers of cool giant atmospheres)
```

input parameters

- √temperature, gravity
- √micro & macro turbulence
- √chemical abundances
- √rotation velocity
- √ spectral resolution

output

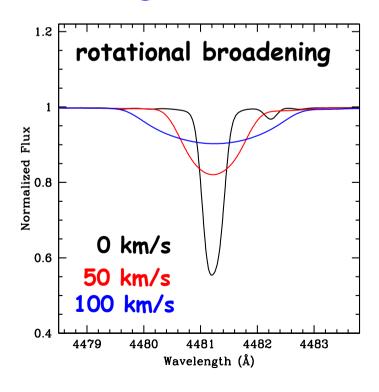
- √total (continuum + line)
 absorption coefficient
- √line equivalent widths
- √full spectrum

from observables to physical quantities

line shift $(\Delta \lambda)$ with respect to a zero-velocity template \rightarrow radial velocity

line multi-components → internal/surface motions, Zeeman (m.f.) and other splittings (atomic structure)

line broadening \rightarrow instrumental profile, macro-turbulence (Gaussian), rotation



$$\Delta\lambda = \lambda_0/c$$
 (v sin i)
 $v =$ equatorial rotational velocity
 $v \sin i =$ projected rotational velocity

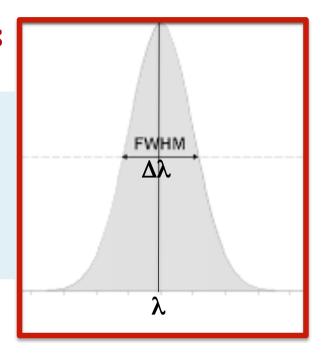
from observables to physical quantities

line equivalent width (EW)

EW = integral of the line profile

if Gaussian \rightarrow EW = sqrt($2\pi \times \sigma$) \times I_{max}

 σ = FWHM/2.35



EW → degeneracy among various parameters
temperature, gravity, micro-turbulence and chemical abundance
temperature & gravity → photometric and/or spectroscopic estimates
micro-turbulence & chemical abundances → spectroscopic estimates, only

spectral analysis: stellar parameters

photometric estimates

```
temperature (T_{eff}) \rightarrow colors, SEDs
gravity \rightarrow log g = const + 4 log T_{eff} + log M - log L(distance, reddening, BC)
```

spectroscopic estimates

medium-high resolution spectra

normally Fe lines are used since the most numerous & with the best atomic parameters

minimization algorithms to compute

best temperature → the one which removes any trend between element abundance and excitation potential

best gravity → the one which removes any difference between element abundance derived from neutral and single-ionized lines

best micro-turbulence $(v_t) \rightarrow$ the one which removes any trend between element abundance and reduced EW (i.e. EW/ λ)

other methods

temperature: line wings (e.g. $H\alpha$), depth of CO bandheads in cool giants

gravity: damped-line wings (e.g. Ca triplet)

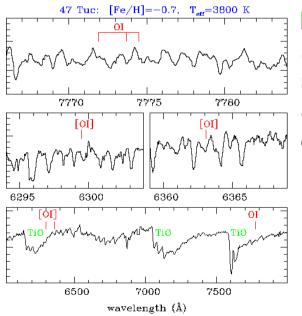
micro-turbulence: shape of CO bandheads in cool giants, $\log g - v_t$ calibration

spectral analysis: chemical abundances two main approaches to get chemical abundances

from line EWs lines are treated in isolation suitable for high-res spec and with no severe blanketing/blending

from full spectral synthesis EWs eventually used as a figure of merit

suitable in all cases (although computationally more expensive) mandatory for medium-low res spec and in case of severe blanketing/blending

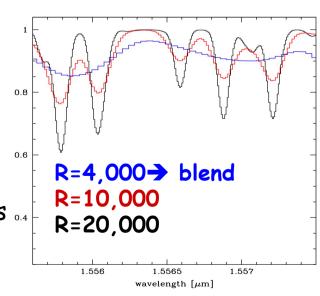


blanketing

normally molecular, mostly affect the continuum shape and opacity

blending

confusion among lines 0.4 too low resolution and/or line crowding



spectral analysis: chemical abundances

error budget on relative abundances

[X/H] =
$$log_{10} (A_{star}/A_{sun})$$
 [dex]

random (medium-high resolution & s/n spectra)

EW measurements → < 0.1 dex

line to line scatter $\sigma \rightarrow 0.1$ -0.15 dex

final accuracy on the derived relative abundances -

 Δ [X/H] ~ σ /sqrt(N_{lines})

systematics

uncertainty in stellar parameters \rightarrow 0.1-0.2 dex modeling \rightarrow < ~0.1 dex >

chemical abundances



fingerprints of the formation and chemical enrichment history of stellar systems

different elements are synthesized in stars with different mass progenitors and released into the ISM at different epochs from the onset of the star formation events

suitable abundance ratios (e.g. [alpha/Fe]) are powerful clocks to measure timescales of star formation and chemical enrichment events

| 6 | Cs | Ba | La | Hf | r∘ Ta | | | Os | | | | | | 84 Po | Rn |
|---|----|----|----|------|----------|------|------|------|------|------|------|------|--|-----------------|----|
| 7 | 87 | | | 104 | 105 | 106 | 107 | 108 | 109 | 110 | 111 | 112 | | | |
| 1 | FF | Ra | AC | **** | **** | **** | **** | **** | **** | **** | **** | **** | | | |

| | _ | | | | 61 | | | | | | | | | | |
|---|---|----|----|----|----|----|----|----|----|----|----|-----|-----|-----|-----|
| 6 | 5 | Се | Pr | Nd | Pm | Sm | Eu | Gd | Tb | Dy | Ho | Er | Tm | Yb | Lu |
| | 1 | 90 | 91 | 92 | 93 | 94 | 95 | 96 | 97 | 98 | 99 | 100 | 101 | 102 | 103 |
| 1 | 7 | Th | Pa | U | Np | Pu | Am | Cm | Bk | Cf | Es | Fm | Md | No | Lr |

chemical abundances

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it is of fundamental importance to calibrate the <u>chemical</u> <u>clock</u> in the <u>Local Universe</u>, i.e. understanding

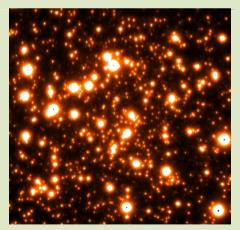
- 1) nucleosythesis, stellar yields and stellar structure
- 2) chemical evolution of stellar systems

in order to interpret the high-redshift Universe

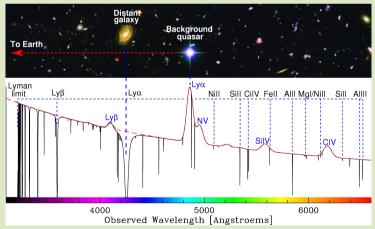
| 19 | 190 | 191 | 192 | 194 | 195 | 196 | 197 | 199 | 199 | IZO | IZO | IZZ | IZA | IZS | IZA

Local and high-redshift Universe critically connected

Local Universe



fossils of the first galactic structures (i.e. the oldest stars & stellar systems) high-redshift Universe



look-back in time → galactic structures in the process of formation