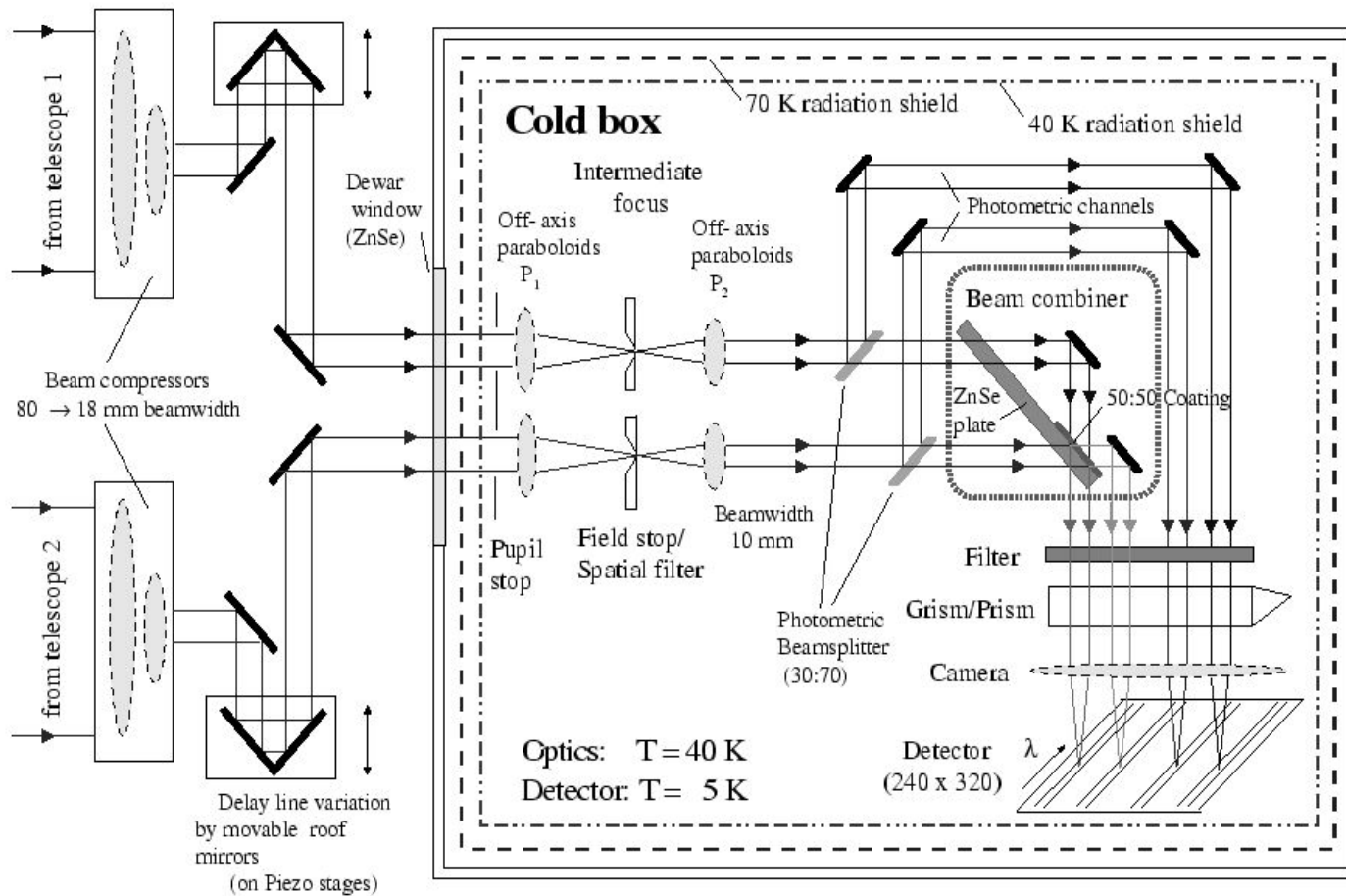


# Calibration of MIDI data

by W. Jaffe, with modifications by  
C. Hummel

# MIDI schematic drawing

Principle of MIDI - the MID-infrared Interferometer for the VLTI



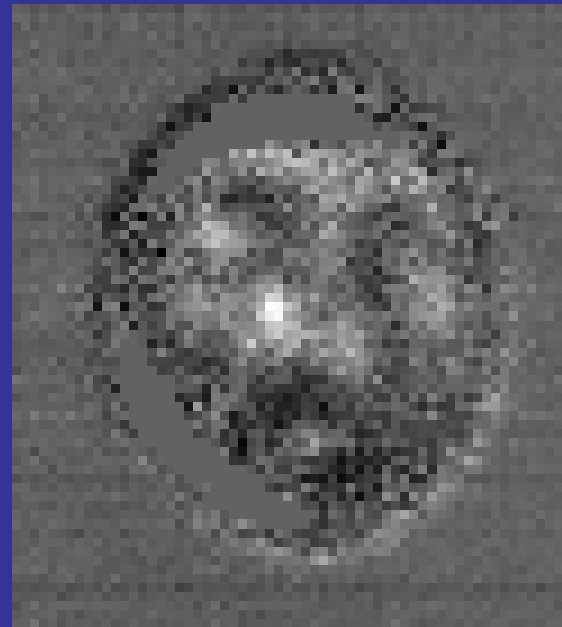
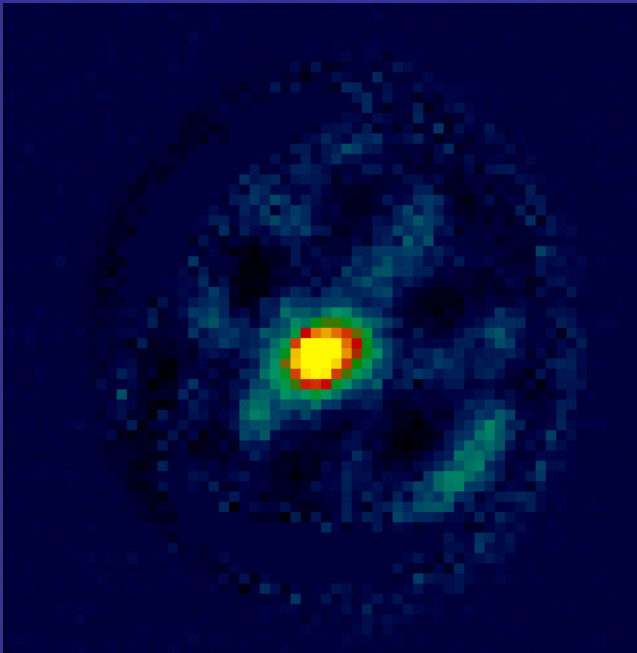
# MIDI acquisition

- Acquisition uses chopping at 1-2 Hz
- Integration time 4 ms

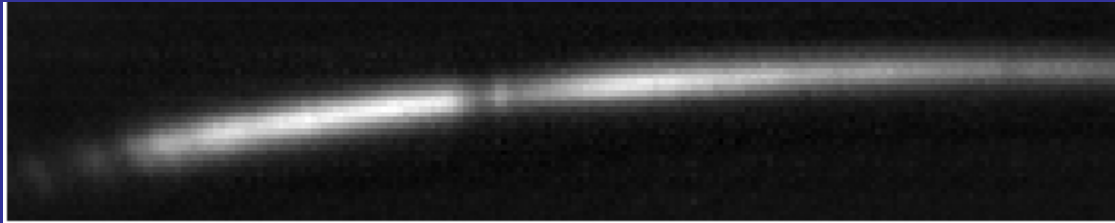


# MIDI chopping beam A (UT3)

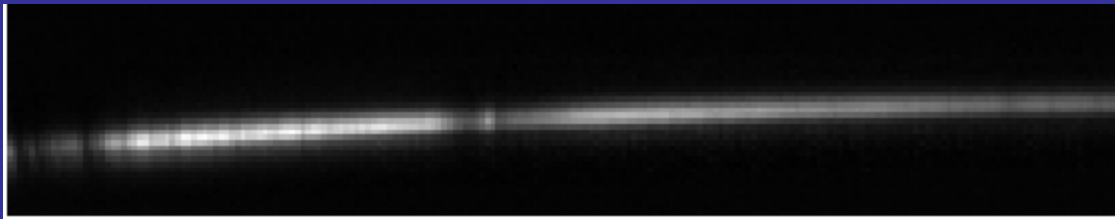
- Movie shows all ON and OFF frames with mean sky subtracted



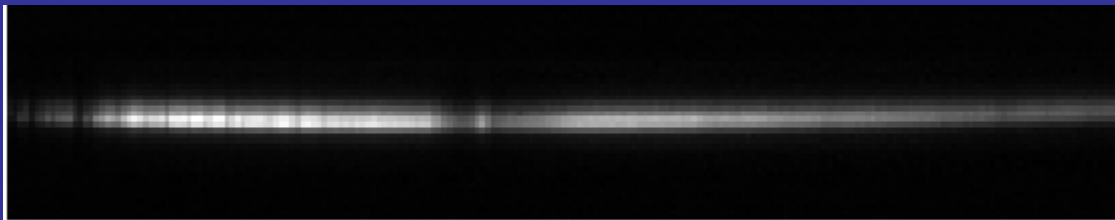
# MIDI detector windows



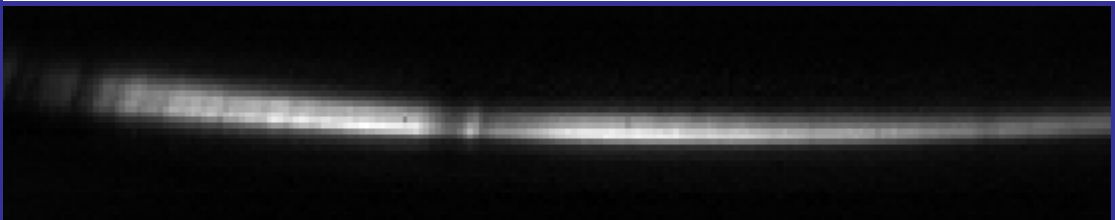
PA



I1

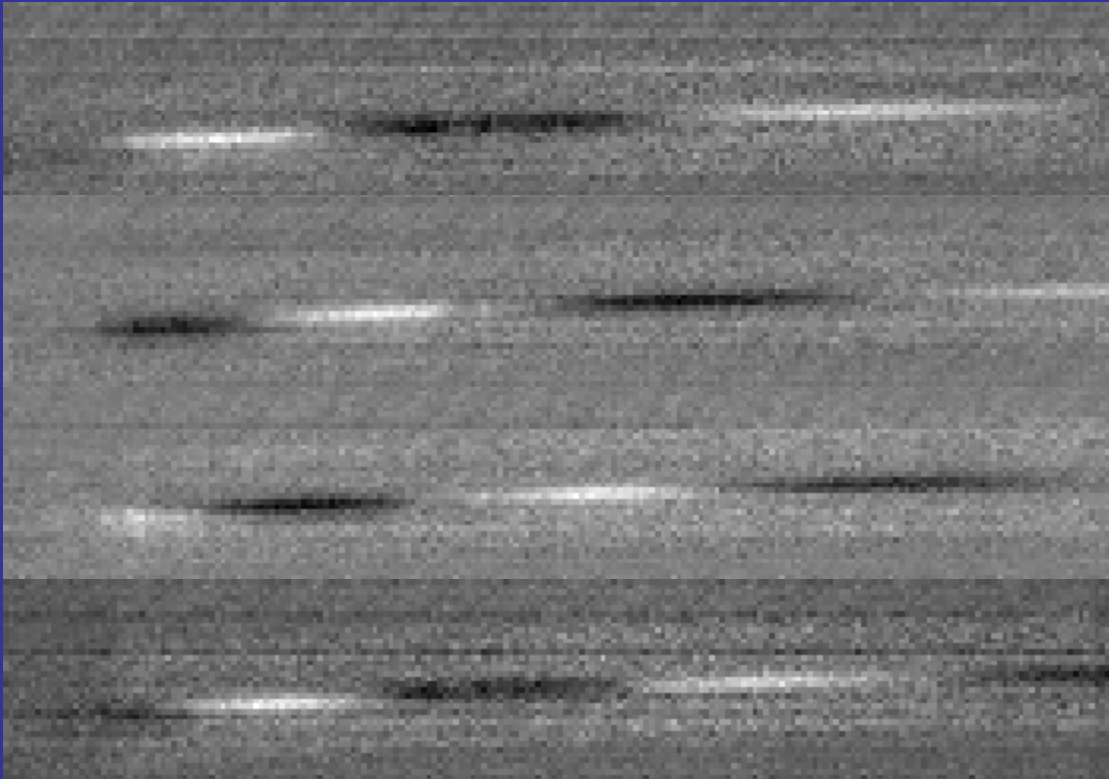


I2

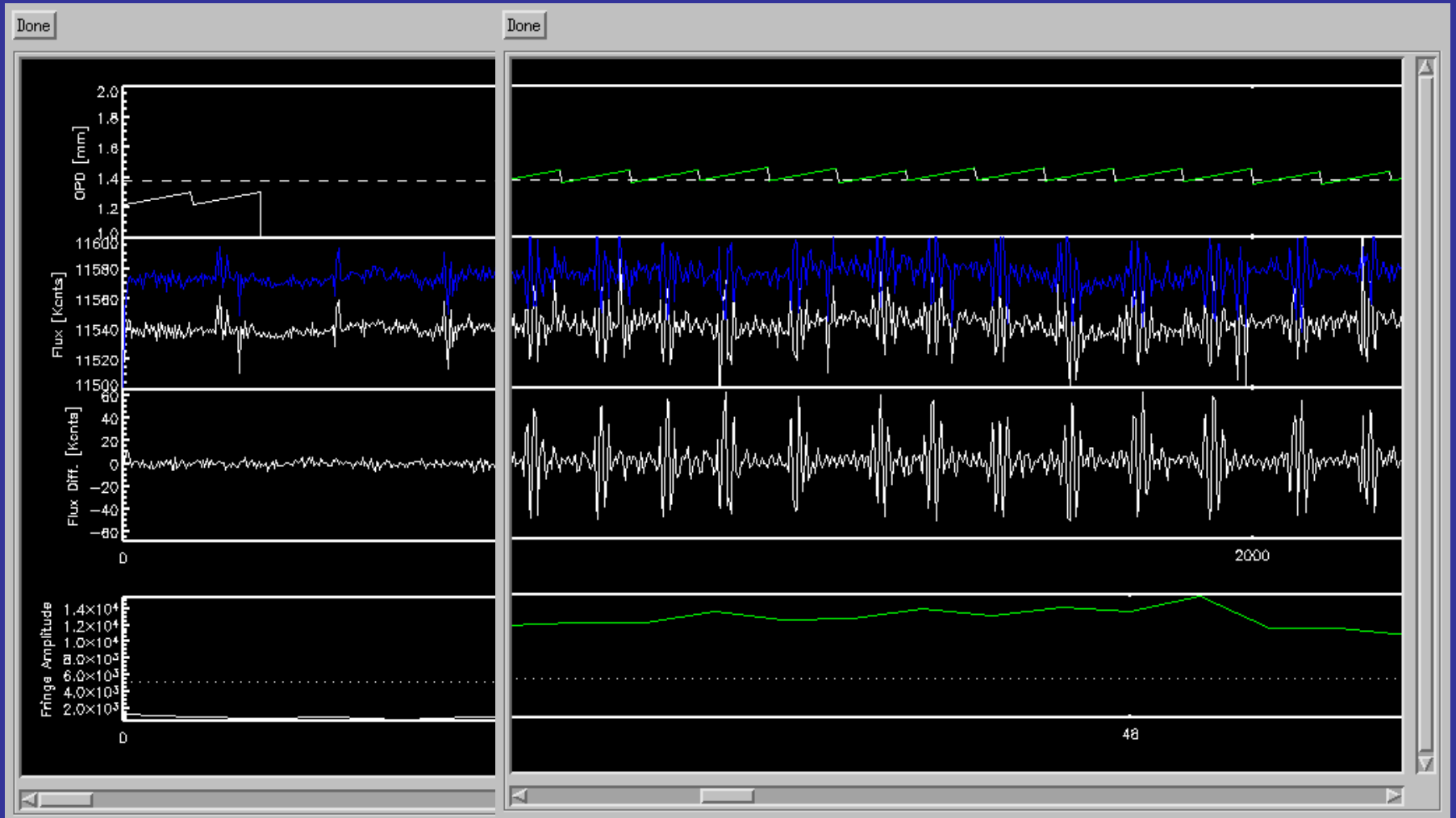


PB

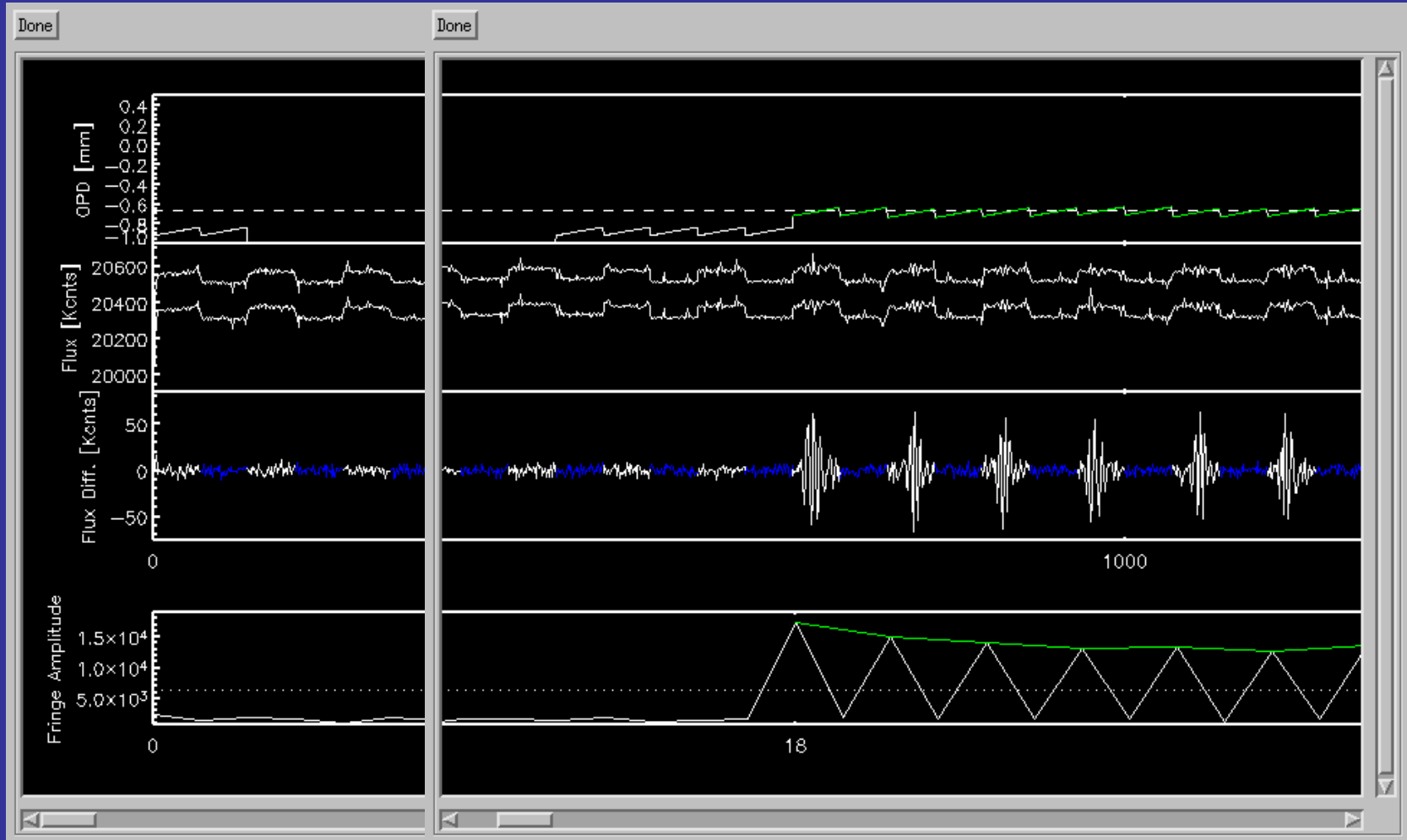
# Channeled spectrum



# HIGH-SENS



# SCI\_PHOT





# Observing modes

- Outputs:
  - Correlated flux
  - Visibility = Correlated Flux/Total Flux
- Modes:
  - High sensitivity (= HIGH\_SENS)
  - High accuracy (= SCI\_PHOT)
- Difficult Target types:
  - Weak but high visibility (=> photometry poor)
  - Strong but low visibility (or high accuracy)

# MIDI calibrations

- Few lab or daytime calibrations (talk by S. Morel)
- Instrument is physically very stable but external optical train (incl. atmosphere) quite unstable at up to 100 Hz
- Main effects:
  - Beam overlap from 2 telescopes varies
  - Seeing/Strehl ratio varies
  - Atmospheric/Telescope transmission and backgrounds vary
- Detector electronics not so stable: e.g. no point in flat fields (...?)

# Current practice

- Mostly High-Sens mode; nonsimultaneous interferometry and photometry; nonsimultaneous target and calibrator
- Typical accuracies of visibilities  $\sim 5-10\%$ , for limiting weak sources  $10-20\%$
- Techniques:
  - Photometry: Standard midIR spectroscopy with chopping. Backgrounds quite high limiting accuracy to  $\sim 400$  mJy. No flat, no bias
  - Interferometry: No chopping necessary. Same pixels as Photometry. Limit  $\sim 100$  mJy. No flat fields no bias

# Calibration of correlated flux

- $F_c(\text{Tar}) = F_c(\text{Cal}) * F_i(\text{Tar})/F_i(\text{Cal})$
- Very simple calibration
- $F_c(\text{Cal})$  from Cohen models or black bodies
- Limitations:
  - Knowledge of  $F_c(\text{Cal})$  for nearby calibrators
  - Changes of seeing Tar/Cal
  - Difference in overlap Tar/Cal

# Calibration of visibility

- $V(\text{Tar}) = V(\text{Cal}) * (F_i(\text{Tar})/P_i(\text{Tar}) / (F_i(\text{Cal})/P_i(\text{Tar})))$
- Need more good observations for good answer
- Less sensitive to changes in seeing between Tar and Cal, but just as sensitive to changes between Interf and Phot.
- A single measurement of  $V$  can be interpreted physically.
- Limitations:
  - Sensitive to changes in Phot/Interf
  - Poor Phot for weak sources

# SCI\_PHOT mode

- With beam splitter measure Interf & Photom simultaneously
- Solves problem of seeing changes and overlap between Interf and Photom
- **But:** Requires transfer of calibration between different parts of detector -> Needs both “cross-coupling coefficient” (flat field) + curvature corrections
- Optical quality of photometric channels inferior
- Systematic effects ~5%, not understood
- Under good conditions accuracy  $\sim < 1\%$

# Wavelength calibration

- No arc lamps. There are 3 narrow band filters but these are inadequate for PRISM
- Interferometric channels can be calibrated relatively by fringes. Absolute scale is then determined by sky lines (O3)
- Transfer to photometric channels can be difficult