

## AN ALMA SURVEY OF SUBMILLIMETER GALAXIES IN THE EXTENDED *CHANDRA* DEEP FIELD SOUTH: SOURCE CATALOG AND MULTIPLICITY

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### ABSTRACT

We present an Atacama Large Millimeter/submillimeter Array (ALMA) Cycle 0 survey of 126 submillimeter sources from the LABOCA ECDFS Submillimeter Survey (LESS). Our 870 $\mu$ m survey with ALMA (ALESS) has produced maps  $\sim 3\times$  deeper and with a beam area  $\sim 200\times$  smaller than the original LESS observations, doubling the current number of interferometrically-observed submillimeter sources. The high resolution of these maps allows us to resolve sources that were previously blended and accurately identify the origin of the submillimeter emission. We discuss the creation of the ALESS submillimeter galaxy (SMG) catalog, including the main sample of 99 SMGs and a supplementary sample of 32 SMGs. We find that at least 35% (possibly up to 50%) of the detected LABOCA sources have been resolved into multiple SMGs, and that the average number of SMGs per LESS source increases with LESS flux density. Using the (now precisely known) SMG positions, we empirically test the theoretical expectation for the uncertainty in the single-dish source positions. We also compare our catalog to the previously predicted radio/mid-infrared counterparts, finding that 45% of the ALESS SMGs were missed by this method. Our  $\sim 1.6''$  resolution allows us to measure a size of  $\sim 9$  kpc $\times 5$  kpc for the rest-frame  $\sim 300\mu$ m emission region in one resolved SMG, implying a star formation rate surface density of 80  $M_{\odot}$  yr<sup>-1</sup> kpc<sup>-2</sup>, and we constrain the emission regions in the remaining SMGs to be  $< 10$  kpc. As the first statistically reliable survey of SMGs, this will provide the basis for an unbiased multiwavelength study of SMG properties.

*Key words:* galaxies: starburst – galaxies: high-redshift – submillimeter – catalogs

### 1. INTRODUCTION

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Since their discovery over a decade ago, it has been known that submillimeter-luminous galaxies (SMGs; Blain et al. 2002) are undergoing massive bursts of star formation at rates unheard of in the local universe ( $\sim 1000 M_{\odot}$  yr<sup>-1</sup>). One thousand times more numerous than local ultra-luminous infrared galaxies (ULIRGs; Sanders & Mirabel 1996), they could host up to half of the star formation rate density at  $z \sim 2$  (e.g. Chapman et al. 2005). They are thought to be linked to both QSO activity and the formation of massive ellipticals in the local universe, making them key players in models of galaxy formation and evolution.

Previous surveys identifying submillimeter sources have used telescopes such as the JCMT, IRAM 30m, and APEX single dishes equipped with the SCUBA, MAMBO, and LABOCA bolometer arrays (Smail et al. 1997; Barger et al. 1998; Hughes et al. 1998; Eales et al. 1999; Bertoldi et al. 2000; Greve et al. 2004; Coppin et al. 2006; Weiß et al. 2009). The main limitation of single-dish submillimeter surveys is their angular resolution ( $\sim 15''$ – $20''$  FWHM), leading to multiple issues with the interpretation of the data. In particular, one of the most challenging issues is the identification of counterparts at other wavelengths. Because of the large uncertainties on the submillimeter source position, and the presence of multiple possible counterparts within the large beam, these studies rely on statistical associations. Most studies attempt to identify SMGs by comparing the corrected Poissonian probabilities ( $P$ -statistic; Browne & Cohen 1978; Downes et al. 1986) for all possible radio/mid-infrared counterparts within a

TABLE 1  
SUMMARY OF ALESS OBSERVATIONS

SB <sup>a</sup>	Date	Antennas <sup>b</sup>	Fields <sup>c</sup>	Notes
SB1	18 Oct 2011	15	16	No flux calibrator; used flux scale solutions from SB3
SB2	18 Oct 2011	15	15	Science fields observed at low elevation (20°–40°)
SB3	20 Oct 2011	15	16	–
SB4	20 Oct 2011	15	15	No flux calibrator; used flux scale solutions from SB3
SB5	20 Oct 2011	15	16	Science fields observed at low elevation (20°–40°)
SB6	21 Oct 2011	13	16	Flux calibrator unusable (20° elevation); used flux scale solutions from SB5
SB7	21 Oct 2011	12	13	Science fields observed at low elevation (20°–30°)
SB8	03 Nov 2011	14	15	–

<sup>a</sup> Scheduling block

<sup>b</sup> Number of antennas in that SB; 12-m only

<sup>c</sup> Number of LESS fields observed in that SB

given search radius. However, the underlying correlation between submillimeter and radio emission from SMGs is poorer than expected (from local studies – e.g. Dunne et al. 2000), possibly due to the presence of radio-loud AGN and cold dust which is not as strongly associated with massive star formation. A recent study has suggested that only ~50% of the single-dish detected SMGs have correctly-identified counterparts assigned with this method (although the results are complicated by the use of both millimeter/submillimeter-selected sources; Smolčić et al. 2012a). Moreover, the radio/mid-IR do not benefit from the negative K-correction like the submillimeter does, meaning that these studies are biased against the faintest/highest redshift SMGs.

Another related issue is blending in fields with multiple SMGs within the beam. For example, Ivison et al. (2007) found that many single-dish submillimeter sources have multiple “robust” radio counterparts, suggesting a significant fraction are interacting pairs on scales of a few arcseconds. The existing millimeter/submillimeter interferometry also suggests some sources are resolved into multiple SMGs at ~arcsecond resolution (e.g., Wang et al. 2011), though it is not always clear whether the SMGs are interacting, companions, or entirely unrelated. Finally, multiplicity in the single-dish beam is also expected from evidence of strong clustering among SMGs (e.g.; Blain et al. 2004; Scott et al. 2006; Weiß et al. 2009; Hickox et al. 2012). Whatever their relation, multiple SMGs blended into one source can further complicate the identification of counterparts as mentioned above. They can also contribute additional scatter/bias to the far-IR/radio correlation at high redshift. Most crucially for galaxy formation modeling, it can confuse the observed number counts, mimicking a population of brighter sources and affecting the slope of, e.g., flux versus redshift diagrams.

A number of interferometric submillimeter observations of SMGs have been carried out, achieving resolutions of a few arcseconds or less, but the sensitivity of existing interferometers has generally been too poor to observe more than a handful of sources in a reasonable amount of time (e.g., Gear et al. 2000; Frayer et al. 2000; Lutz et al. 2001; Dannerbauer et al. 2002; Wang et al. 2004, 2007; Iono et al. 2006; Younger et al. 2007; Dannerbauer et al. 2008; Younger et al. 2008, 2009; Aravena et al. 2010; Wang et al. 2011; Smolčić et al. 2012b; Barger et al. 2012). Two notable exceptions are the recent PdBI/SMA surveys by Smolčić et al. (2012a) and Barger et al. (2012). These studies, which show the

state-of-the-art prior to ALMA, emphasize the importance of interferometric observations for a complete and unbiased view of SMGs. However, the interpretation of their results is complicated by the mix of millimeter- and submillimeter-selected sources and small sample sizes.

With the Atacama Large Millimeter/submillimeter Array (ALMA) now online, the situation is fundamentally changed. Even with the limited capabilities offered in Cycle 0, it has the resolution and sensitivity necessary to double the total number of interferometrically observed submillimeter sources in a matter of hours. We therefore used ALMA in Cycle 0 to observe a large sample of submillimeter galaxies in the Extended *Chandra* Deep Field South (ECDFS), a 30' × 30' field with deep, multi-wavelength coverage from the radio to the X-ray (Giacconi et al. 2001; Giavalisco et al. 2004; Lehmer et al. 2005; Beckwith et al. 2006; Luo et al. 2008; Miller et al. 2008; Weiß et al. 2009; Devlin et al. 2009; Scott et al. 2010; Ivison et al. 2010a; Miller et al. 2013). The 126 submillimeter sources we target were previously detected in the LABOCA ECDFS Submillimeter Survey (LESS; Weiß et al. 2009), the largest, most homogenous, and most sensitive blind 870 $\mu$ m survey to date. We call our 870 $\mu$ m ALMA survey of these 126 LESS sources ‘ALESS’.

The ALESS data have already been used in part in a number of papers (Swinbank et al. 2012; Coppin et al. 2012), including a new study constraining the 870 $\mu$ m number counts (Karim et al. 2012). Here, we present the overarching results of the survey and the full catalog of SMGs. We begin in §2 by describing the observations, our data reduction strategy, and presenting the final maps. §3 describes the creation of the ALESS SMG sample, including source extraction and characterization, the associated completeness and reliability, and checks on the absolute flux scale and astrometry. The ALESS SMG catalog is described in §4, including the definition of the samples and some notes on using the catalog. §5 contains our results, including details of the SMG sizes, a discussion of LESS sources which have been resolved into multiple SMGs and those which have no detected ALMA sources, an empirical calibration of the LABOCA source positional offsets, and a comparison with previously-identified radio and mid-infrared counterparts. We end with a summary in §6.

## 2. THE ALMA DATA

### 2.1. Observations

The ALMA observations were taken between 18 Oct 2011–03 Nov 2011 as part of Cycle 0 Project

#2011.1.00294.S. The targets were the 126 submillimeter sources originally detected in LESS, which had an angular resolution of  $\sim 19''$  FWHM and an rms sensitivity of  $\sigma_{870\mu\text{m}} = 1.2 \text{ mJy beam}^{-1}$ . The 126 LESS sources were selected above a significance level of  $3.7\sigma$ , with the estimate that  $\sim 5$  of the sources are false detections.

We observed the LESS sources with ALMA’s Band 7 centered at 344 GHz ( $870\mu\text{m}$ ) – the same frequency as LESS for direct comparison of the measured flux densities. These ALMA LESS observations (ALESS) utilized the “single continuum” spectral mode, with  $4 \times 128$  dual polarization channels over the full 8 GHz bandwidth, 7.5 GHz of which was usable after flagging edge channels. The observations were taken in ALMA’s Cycle 0 compact configuration, which had a maximum baseline of 125m (corresponding to an angular resolution FWHM of  $\sim 1.5''$  FWHM at 344 GHz). The 126 sources were split into eight scheduling blocks (SBs), each of which was observed once (Table 1). To ensure our survey was unbiased if it was not fully completed, targets were assigned to these SBs in an alternating fashion. Table 1 also includes details for each SB on how many 12-m antennas were present, how many fields (i.e., LESS sources) were observed, and whether that SB was taken at low elevation and/or is missing the flux calibrator observation.

At the frequency of our observations, ALMA’s primary beam is  $17.3''$  (FWHM). The beam was centered on the catalogued positions of the LESS sources (Weiß et al. 2009), and each field was observed for 120 seconds. The beam size matches that of the LESS beam, making it possible to detect all SMGs contributing to the submillimeter source. The phase stability/weather conditions were good, with a PWV  $\lesssim 0.5$  mm. Three of the scheduling blocks were observed at low elevation ( $< 30^\circ$ ), affecting the rms and resolution achieved. In particular, the rms of the QA2-passed delivered data products for  $\sim 20$  sources are substantially worse than the requested  $0.4 \text{ mJy beam}^{-1}$  (Figure 1). Four fields of the 126 were never observed (LESS 52, 56, 64, and 125).

Depending on the SB, either Mars or Uranus served to set the absolute flux density scale. The quasar B0537-441 was used for bandpass calibration. In three SBs, the flux calibrator observation was missing or unusable, in which case we used the flux solutions from the next available SB with a reliable planetary observation. The primary phase calibrator (the quasar B0402-362) was observed for 25 seconds before and after every target field, and a secondary phase calibrator (the quasar B0327-241) was observed after every other target field. The secondary phase calibrator was closer to our target field but six times weaker and was used to check the phase referencing and astrometric accuracy of the observations.

## 2.2. Data Reduction

The data were reduced and imaged using the Common Astronomy Software Application (CASA) version 3.4.0<sup>17</sup>. The initial part of data reduction involved, for each SB, converting the native ALMA data format into a measurement set (MS), calibrating the system temperature (Tsys calibration), and applying these corrections along with the phase corrections as measured by the water vapor radiometers on each antenna. We then visually in-

spected the  $uv$ -data, flagging shadowed antennas, the autocorrelation data, and any other obvious problems. A clean model was used to set the flux density of the flux calibrator. Prior to bandpass calibration, we determined phase-only gain solutions for the bandpass calibrator over a small range of channels at the center of the bandpass. This step prevents decorrelation of the vector-averaged bandpass solutions. We then bandpass-calibrated the data and inspected the solutions for problems, flagging data as needed.

We applied the bandpass solutions on-the-fly during the phase calibration. Phase-only solutions were determined for each integration time and applied on-the-fly to derive amplitude solutions for each scan. A separate phase-only calibration was also run over the scan time for application to the targets. All phase and amplitude solutions were examined, and any phase jumps or regions of poor phase stability were flagged. The calibration solutions were then tied to the common flux scale and applied to the data. If the calibration was deemed inadequate (based on inspection of the calibrated calibrators) then more data was flagged and the process was repeated. The flux density of the primary phase calibrator B0402-362 varied from  $\sim 1.23$ – $1.58 \text{ Jy}$ , indicating variability. The secondary phase calibrator ranged from  $\sim 0.20$ – $0.23 \text{ Jy}$ , and the bandpass calibrator ranged from  $\sim 2.0$ – $2.2 \text{ Jy}$ . The absolute flux calibration has an uncertainty of  $\sim 15\%$ , and this uncertainty is not included in the error bars for individual SMG flux densities.

The  $uv$ -data were Fourier-transformed and the resulting “dirty” image was deconvolved from the point spread function (i.e. the “dirty beam”) using the CLEAN algorithm and natural weighting. The images are  $25.6''$  (128 pixels) per side and have a pixel scale of  $0.2''$ . The depth of the CLEAN process was determined iteratively and depends on the presence of strong sources in the field. To begin with, we created a dirty image of each target field using the entire 7.5 GHz bandpass. These images were used to calculate the initial rms noise for each field. All images were then cleaned to a depth of  $3\sigma$  over the entire image, and a new rms noise value was calculated. We then used the task BOXIT to automatically identify significant ( $> 5\sigma$ ) sources. The average number of  $> 5\sigma$  sources per field was 0.6. If a field did not contain any  $> 5\sigma$  sources, the image produced from the previous clean was considered to be the final one. If a field did contain any sources  $> 5\sigma$ , tight clean boxes were placed around these sources and the image was cleaned down to  $1.5\sigma$  using these clean boxes. Note that the  $5\sigma$  threshold was chosen to ensure we only cleaned real sources, and the  $1.5\sigma$  clean threshold was chosen to thoroughly clean those sources. The image produced from this cleaning was then considered to be the final one. No sources were deemed bright enough to reliably self-calibrate.

## 2.3. Final Maps

The final CLEANed ALESS images are shown in order of their LESS field number in Figure 9 of the Appendix. These maps have not been corrected for the response of the primary beam, which increases the flux density scale away from field center. The field of view of the primary beam ( $17.3''$  FWHM) is indicated by the large circles, and not only matches the LABOCA beam, but is sufficient to encompass the error-circles of the SMGs from

<sup>17</sup> <http://casa.nrao.edu>

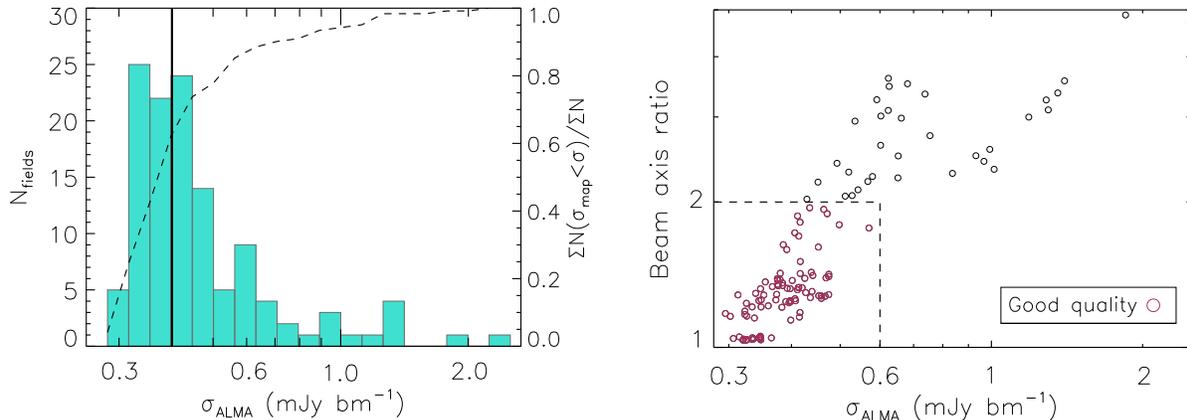


FIG. 1.— Plots showing the properties of the final maps. *Left*: Histogram showing the rms noise achieved (logarithmic x-axis) in all 122 fields observed. The dashed line shows the cumulative distribution function  $\Sigma(N)$ . The median rms noise of the maps is  $0.4 \text{ mJy beam}^{-1}$  (vertical line), equivalent to the requested sensitivity. *Right*: RMS noise versus beam axis ratio for all 122 fields observed. Fields with elongated beam shapes were observed at low elevation and tend to have high values of rms noise. The boundaries defining good quality maps (i.e. rms  $< 0.6 \text{ mJy beam}^{-1}$ , axis ratio  $< 2$ ) are indicated with the dashed box and were chosen to include as many fields as possible with relatively round beam shapes and low rms noise.

the LESS maps,  $\lesssim 5''$  (Weiß et al. 2009) even in confused situations. The ellipses in the bottom left-hand corner of each map indicate the angular resolution achieved. Note that every fourth LABOCA source on the first few pages is noisier because of the distribution of sources into scheduling blocks.

The properties of the final cleaned maps, including rms noise and beam shape, are listed by LESS ID in Table 2. The rms noise measurements were derived from the non-primary-beam-corrected maps by averaging over several rectangular apertures and will describe the rms at field center in the primary-beam-corrected maps. A histogram of these rms noise values is shown in Figure 1, where we also show the cumulative distribution function. The median rms noise (at field center) of the maps is  $\sigma = 0.4 \text{ mJy beam}^{-1}$ , or  $\sim 3\times$  deeper than the original LABOCA data. We find that 85% of the maps achieve an rms noise of  $\sigma < 0.6 \text{ mJy beam}^{-1}$ . Also plotted in Figure 1 is rms noise versus beam axis ratio, defined as the ratio of major to minor axis of the synthesized beam. The median axis ratio of all of the maps is 1.4, corresponding to a median angular resolution of  $1.6'' \times 1.15''$ . This resolution corresponds to a physical scale of  $\sim 13 \text{ kpc} \times 9 \text{ kpc}$  at  $z \sim 2.5$  and is  $>10\times$  better than the LABOCA maps. In terms of beam areas, the improvement is  $\sim 200\times$ . Figure 1 also demonstrates that fields with more elongated beam shapes tend to be noisier. These fields were observed at very low ( $<20\text{--}30^\circ$ ) elevation, and many are of poor quality. We therefore define ‘good quality’ maps as the subset of maps having relatively round beam shapes (corresponding to axis ratios  $\leq 2$ ) and an rms noise at field center within 50% of the requested rms (i.e. an observed rms noise of  $<0.6 \text{ mJy beam}^{-1}$ , and note that this condition naturally follows from the first). While we will concentrate on these maps for the quality checks in Sections 3.2–3.4, all of the maps are used for the creation of the final SMG catalog, though with the necessary caveats. We will discuss the catalog samples further in §4.

### 3. THE ALESS SMG SAMPLE

#### 3.1. Source Extraction and Characterization

We used custom-written IDL-based source extraction software to identify and extract sources from the final, cleaned ALMA maps. We started by identifying individual pixels with flux densities above  $2.5\sigma$  in descending order of significance. At each position found, and within a box of  $2'' \times 2''$ , we determined the elliptical Gaussian that best described the underlying signal distribution using an IDL-implemented Metropolis-Hastings Markov chain Monte Carlo (MH-MCMC) algorithm. In the simplest case, and as most ALMA sources appeared to be unresolved, each Gaussian was described by a simple point-source model with only three free parameters: its peak flux density, and its position. The values of the major axis, minor axis, and position angle were held fixed to the clean beam values for the given map. To account for any extended sources, we also repeated the fitting process using a six-parameter fit (including axial ratio, major axis size, and orientation). We discuss which fits are preferred in §5.1.

For each parameter, the mean of the posterior distribution determines its best fit value. The full set of parameters obtained in this way is used as a flux density model to be subtracted off the initial map before proceeding to the next signal peak within the map. This process is repeated until the  $2.5\sigma$  threshold is reached, with an average of 12 such sources per map. The end result is a combined model as well as a residual map. The flux densities resulting from both the 3- and 6-parameter fits are listed in Table 3 – See §5.1 for more details.

As a check on our source extraction routine, we also used CASA’s IMFIT task to fit all bright ( $>4\sigma$ ) sources. Overall, we find good agreement between our best-fit parameters and those returned by IMFIT, confirming our results. A comparison of the integrated flux densities derived by both methods yields  $(S_{\text{IMFIT}} - S_{\text{SOURCE}})/S_{\text{SOURCE}} = 0.001 \pm 0.09$ , and all flux density estimates are in agreement within the error bars. Our quoted errors are, however, slightly larger, as they take into account the correlated nature of the noise. We will

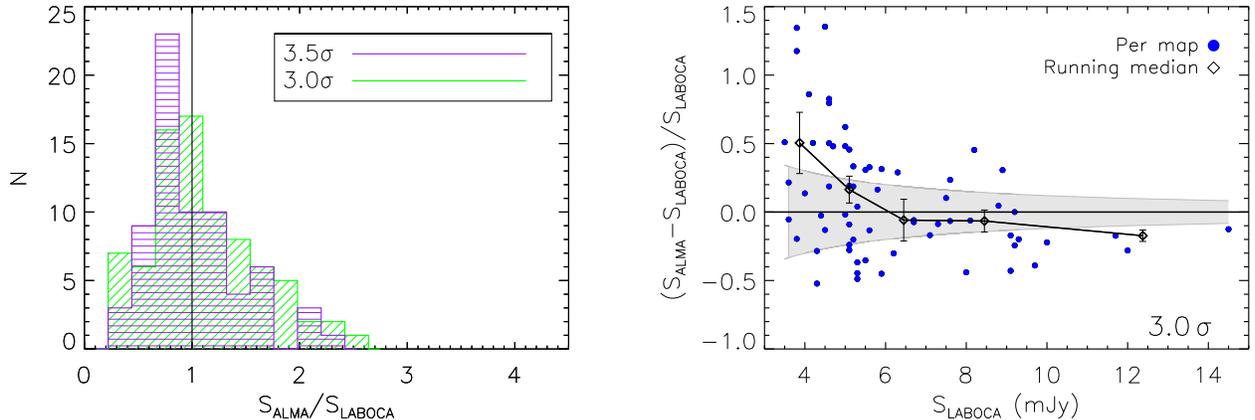


FIG. 2.— Plots showing the results of a flux comparison between the integrated emission from SMGs in ALMA maps and the (deboosted) LABOCA flux density. *Left*: Histograms of the flux density ratio  $S_{\text{ALMA}}/S_{\text{LABOCA}}$  calculated by including SMGs in the ALMA maps down to a source threshold of  $3.5\sigma$  and  $3\sigma$ . *Right*: Plot of  $(S_{\text{ALMA}} - S_{\text{LABOCA}})/S_{\text{LABOCA}}$  versus  $S_{\text{LABOCA}}$  for ALMA maps including all SMGs down to a S/N threshold of  $3\sigma$  and convolved with the LABOCA primary beam. We also show the running median, and the shaded region indicates the  $1\sigma$  uncertainty expected from the error in the LABOCA flux densities. The ALMA and LABOCA flux scales are overall in good agreement for a  $3\sigma$  threshold.

therefore use the parameters derived from our software for the remainder of the paper. For further information on the source extraction and characterization, error determination, integrated flux densities, and beam deconvolution, see the Appendix.

### 3.2. Completeness and Reliability

To determine the completeness and reliability of extracted sources above a given S/N threshold, we carried out two different tests. In the first test, we extracted all sources down to  $2.5\sigma$  in a given map, producing a residual map. We then inserted five fake sources per map, a number chosen to build up a significant sample of false sources with separations typical of the final science sources without overcrowding the field. The peak flux densities follow a steeply declining flux density distribution and with  $S/N \sim 2$ – $20$ . We repeated this process 16 times per map, re-running our source extraction algorithm each time and deriving the recovered fraction and spurious fraction as a function of S/N. The result, presented in a companion paper (Karim et al. 2012), is that the source extraction recovers  $\sim 99\%$  of all sources above  $3.5\sigma$ , with a spurious fraction of only 1.6% (Karim et al. 2012).

As a second test, we ran the source extraction algorithm on the regular and inverted ALMA maps. In the simplified case of uncorrelated, Gaussian noise, comparing these results at a given threshold would allow us to estimate the reliability for a source above that threshold. Using a source threshold of  $3.5\sigma$ , we determined a reliability of  $\sim 75\%$ . This estimate rises to  $\sim 90\%$  for a  $4\sigma$  detection threshold and nearly  $\sim 100\%$  for  $5\sigma$  (Karim et al. 2012). Since the noise in the maps is more complex in nature, these reliability estimates are likely lower limits. The choice of threshold is, as always, a compromise between excluding real sources and including noise. We will therefore take  $3.5\sigma$  as our source detection threshold in the good quality maps – see §4.1).

### 3.3. Absolute Flux Scale

To test the absolute flux scale, we compared our results to those of the original LABOCA survey taken at the same frequency (Weiß et al. 2009). Here (and in the rest of the paper) we refer to the deboosted LABOCA flux densities, as these are the best estimates of the ‘true’ LABOCA flux density. There is a significant difference between the ALMA and LABOCA bandwidths ( $2 \times 4$  GHz versus 60 GHz), so we should expect to see a small systematic difference for SMGs with a steep Rayleigh–Jeans tail. A more immediate complication is the vastly different angular resolutions of the two surveys, which may cause fainter and/or more extended emission to be resolved out in the ALMA maps. We therefore modeled the ALMA maps as idealized distributions of perfect point sources using only good quality ALMA maps with at least one bright ( $>4\sigma$ ) source and including all sources in such maps down to our source threshold of  $3.5\sigma$ . To accurately represent the true sky distribution, we used the primary beam-corrected ‘best’ flux density values for the sources (see §4.2), and we also included the negative peaks exceeding our source threshold. We then determined what flux would be measured by a telescope with a  $19''$  beam, the FWHM of LABOCA, by convolving the maps to the LABOCA resolution. This method allows for a fairer flux comparison while ensuring that the large-scale noise properties of the ALMA maps do not dominate the convolved images.

The method outlined above results in a median ALMA-to-LABOCA flux density ratio of  $S_{\text{ALMA}}/S_{\text{LABOCA}} = 0.83 \pm_{0.04}^{0.09}$ . A histogram of the values for different fields is shown in Figure 2, exhibiting a strong peak below one. The obvious implication is that a  $3.5\sigma$  threshold is not low enough, in general, to capture all of the true flux in the maps. The specific threshold chosen for including ALMA SMGs in the model maps obviously affects the peak flux densities measured in the final, convolved maps. Using a lower threshold ensures that fainter SMGs are accounted for, but the chance of including random noise in the model ALMA maps increases. We have attempted to counter this effect by including both the positive and negative peaks in the

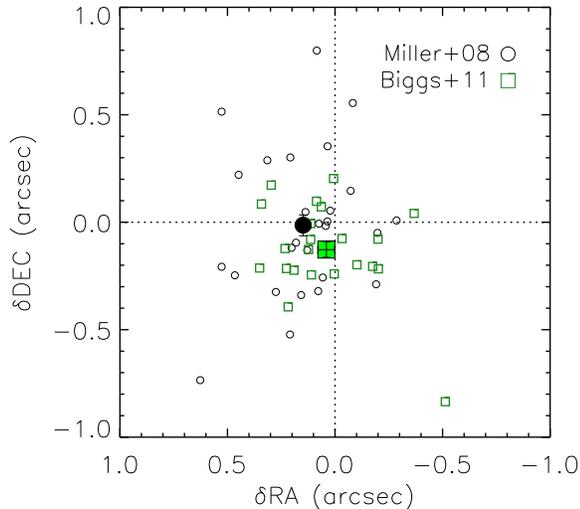


FIG. 3.— Plot showing the astrometric offset between the VLA 1.4 GHz data and the ALMA data. The Miller et al. (2008) reduction of the VLA data shows a significant offset in RA, while the Biggs et al. (2011) re-reduction of the same data shows a significant offset in Declination. The mean offsets for both reductions are indicated with the large, solid symbols.

maps. We therefore decreased the threshold to  $3.0\sigma$ , deriving a median flux density ratio of  $S_{\text{ALMA}}/S_{\text{LABOCA}} = 0.97 \pm_{0.04}^{0.07}$ , consistent with equality of the flux scales.

To determine if these results are biased by extended emission in the SMGs, we performed two further tests. Although the majority of the SMGs appear unresolved (see §4.2), leading us to use the peak flux density as the best flux density estimate, we tried modeling the SMGs using their (primary beam corrected) integrated flux density estimates. We also tried tapering all of the ALMA maps to a lower resolution (i.e. increasing the beam area by a factor of a  $\sim$ few), re-running the source extraction algorithm, and using the (primary beam corrected) peak flux density values from these maps in our model maps. Neither test changed the results of the flux comparison significantly, indicating that we are not ‘missing’ flux by taking the majority of the SMGs to be point sources.

Figure 2 compares the ALMA and LABOCA flux densities using a  $3\sigma$  threshold for individual fields as a function of LABOCA S/N. Also shown are the running median and the expected  $1\sigma$  uncertainty based on the typical error in LABOCA flux density estimates (1.2 mJy). The running median shows a preference for higher ALMA flux densities/lower LABOCA flux densities for the faintest LABOCA sources, and lower ALMA flux densities/higher LABOCA flux densities for the brightest LABOCA sources. This may indicate that there are additional, faint ( $<3\sigma$ ) SMGs that are being missed from our models of the brightest LABOCA sources, a theory which we will come back to in Section 5.2. Nevertheless, Figure 2 demonstrates that there is no overall systematic bias between the ALMA and LABOCA flux density scales.

#### 3.4. Astrometry

To confirm our astrometry, we looked at all  $>3.5\sigma$  ALESS SMGs in good quality maps with VLA 1.4 GHz

counterparts (see §5.5). The original 1.4 GHz map of the ECDFS that was used for counterpart identification of LESS sources by Biggs et al. (2011) was presented in Miller et al. (2008). Matching this data to the ALMA data, we measure a scatter of  $0.3''$  in both RA and Declination, and mean offsets of  $0.15'' \pm 0.03''$  in RA and  $0.01'' \pm 0.04''$  in Dec (in the sense VLA – ALMA). A scatter plot of the offsets for individual SMGs is shown in Figure 3, where the significant systematic offset in RA is visible.

The same radio data were also re-reduced by Biggs et al. (2011), including slight changes to the modeling of the phase calibrator field to account for its resolved structure as well as an additional source in the field. The Biggs et al. reduction achieved an rms just below  $7\mu\text{Jy}$  at its deepest point (versus  $6.5\mu\text{Jy}$  for the Miller et al. reduction) and the flux density scale of the two reductions differed by  $<1\%$  (Biggs et al. 2011). In Figure 3, we overplot the offsets measured between the ALMA SMGs and the radio counterparts extracted from this map. Using the Biggs et al. reduction, the significant systematic offset seen in the RA coordinate with the Miller et al. reduction is no longer present. However, it has been replaced by a significant systematic offset in Dec. We measure mean offsets of  $0.04'' \pm 0.04''$  in RA and  $-0.13'' \pm 0.04''$  in Dec (in the sense VLA – ALMA). We also measure a (smaller) scatter of  $0.2''$  in both RA and Declination, though we caution that fewer ALMA SMGs have radio matches.

Recently, Miller et al. (2013) also released another re-reduction of the Miller et al. (2008) data, which they refer to as the second data release (DR2). Using this new re-reduction, we again recover a significant systematic offset in RA ( $0.12'' \pm 0.04''$ ) with no significant offset in Declination ( $-0.05'' \pm 0.06''$ ). Thus comparison to Miller et al. (2008) and Miller et al. (2013) yields similar results, and both are contrary to the re-reduction of Biggs et al. (2011).

Since it appears that the astrometry of the 1.4 GHz radio data is extremely sensitive to the details of the calibration, we take the systematic offsets measured as being entirely due to the radio data. We conclude that the ALMA SMG positions are accurate to within  $0.2''$ – $0.3''$ . For comparison, the expected astrometric accuracy is usually estimated as  $\sim \Theta/(S/N)$ , or  $0.17''$  using the median resolution and S/N of the matched sample.

In addition to the VLA data, we also compared the ALMA SMG positions to the positions of the (confirmed)  $24\mu\text{m}$  MIPS and  $3.6\mu\text{m}$  IRAC counterparts presented in Biggs et al. (2011) and discussed further in §5.5. For the  $24\mu\text{m}$  data, we measure mean offsets of  $-0.16'' \pm_{0.11}^{0.08''}$  in RA and  $0.15'' \pm_{0.05}^{0.06''}$  in Dec (in the sense  $24\mu\text{m}$  – ALMA). Similarly, the  $3.6\mu\text{m}$  data show offsets of  $-0.10'' \pm 0.05''$  in RA and  $0.42'' \pm_{0.04}^{0.05''}$  in Dec (in the same sense). A systematic offset between the radio and  $24\mu\text{m}$  data was previously noted by Biggs et al. (2011), who measured mean offsets of  $-0.25''$  in RA and  $+0.29''$  in Dec (in the sense MIPS – radio), in agreement with what we measure here.

## 4. THE CATALOG

### 4.1. Sample Definitions

We define the MAIN ALESS SMG sample as consisting of all SMGs satisfying the following criteria: the rms of the ALMA map is less than  $0.6 \text{ mJy beam}^{-1}$ ; the ratio of the major and minor axes of the synthesized beam is less than two; the SMG lies inside the ALMA primary beam FWHM; and the S/N ratio of the SMG (defined as the ratio of the best fit peak flux density from the 3-parameter point source model<sup>18</sup> to the background rms) is greater than 3.5. The SMGs in the MAIN sample are indicated in the catalog with the flag `ALESS_SAMPLE = 1`. These 99 SMGs are the most reliable SMGs, coming from within the primary beam FWHM of the good-quality maps (Figure 1).

In addition to the MAIN sample, we define a supplementary sample comprised of two different selections (Table 4). The first component of the supplementary sample consists of SMGs satisfying the following criteria: the rms of the ALMA map is less than  $0.6 \text{ mJy beam}^{-1}$ ; the ratio of the major and minor axes of the synthesized beam is less than two; the SMG lies outside the ALMA primary beam FWHM; and the S/N ratio of the SMG is greater than 4. This selection consists of SMGs that – like the MAIN sample – come from the maps designated as good-quality (Figure 1), but they lie *outside* the primary beam FWHM. Because the telescope sensitivity in this region is  $<50\%$  of the maximum, leading to a higher fraction of spurious sources, we have raised the S/N threshold slightly. The 18 SMGs which satisfy these criteria are indicated in the catalog with the flag `ALESS_SAMPLE = 2` and should be used with care.

The second component of the supplementary sample consists of SMGs satisfying the criteria: the rms of the ALMA map is greater than  $0.6 \text{ mJy beam}^{-1}$  **OR** the ratio of the major and minor axes of the synthesized beam is greater than two; the SMG lies inside the ALMA primary beam FWHM; and the S/N ratio of the SMG is greater than 4. These SMGs are found in maps which range in quality from just slightly worse than the good quality maps to significantly worse. Because of this, we have (again) raised the S/N threshold to 4. SMGs which come from maps of just slightly worse quality than the ‘good quality’ maps are likely reliable, while those from the noisiest maps (Figure 9) should be used with extreme care, as even SMGs near the phase center may be spurious. The 14 SMGs which satisfy these criteria are indicated in the catalog with the flag `ALESS_SAMPLE = 3`.

#### 4.2. Using the Catalog

The ALESS catalog can be found accompanying this paper or from the ALESS website<sup>19</sup>. For a detailed description of the data columns in the catalog, see the README file accompanying the catalog. Some of the relevant columns for the MAIN and Supplementary samples are also listed in Tables 3 and 4 and described below. Note that while we list both the observed and primary beam corrected flux densities for reference, the primary beam corrected flux densities should always be used for science applications.

<sup>18</sup> Note that since the S/N ratio from the *model fit* is used to identify SMGs in the catalog, there may be SMGs in Figure 9 which appear to be fainter than  $3.5\sigma$  (based on the number of contours) but which are identified as MAIN SMGs (and vice versa).

<sup>19</sup> <http://www.astro.dur.ac.uk/LESS>

- LESS ID: LESS source ID in order of appearance in the S/N-sorted Weiß et al. (2009) catalog.
- ALESS ID: Official IAU short ID for ALESS SMGs (ALESS XXX.X), based on LESS ID and ranking in S/N of any subcomponents. Note that higher S/N subcomponents will not make it into the MAIN catalog if they are outside the primary beam FWHM.
- ALMA Position: Right Ascension and Declination (J2000) of the SMG, based on the 3-parameter point source model fit.
- $\delta\text{RA}/\delta\text{Dec}$ : The  $1\sigma$  uncertainty on the ALMA position in arcseconds. Please see the Appendix for a detailed discussion of its calculation.
- $S_{\text{pk}}$ : The non-primary-beam-corrected best fit peak flux density in  $\text{mJy beam}^{-1}$  based on 3-parameter point source model fit. For details of the error estimation, see the Appendix.
- $S_{\text{int}}$ : The non-primary-beam-corrected best fit integrated flux density in mJy from the 6-parameter model fit.
- $S/\text{N}_{\text{pk}}$ : Signal-to-noise ratio calculated using  $S_{\text{pk}}$ .
- $S_{\text{BEST, pbcorr}}$ : The primary-beam-corrected best flux determination in mJy. This is the flux density estimate that we recommend for use in any analysis, and it is equal to the primary-beam-corrected peak flux density from the 3-parameter point source model fit for all SMGs except ALESS 007.1 (see §5.1).
- Sample: Corresponding to `ALESS_SAMPLE` in the online catalog, this column is only shown for the Supplementary sources (Table 4), as all MAIN sample sources have `ALESS_SAMPLE = 1` by definition. As described in §4.1, `ALESS_SAMPLE = 2` sources come from outside the primary beam in good quality maps, and `ALESS_SAMPLE = 3` sources come from poor quality maps.
- Biggs et al. ID: A flag indicating whether the SMG confirms the position of a robust (r) or tentative (t) counterpart in the catalog of radio/mid-infrared counterparts of Biggs et al. (2011). Sources that do not correspond to either a robust or tentative counterpart are indicated with ‘-’. See §5.5 for further details.

## 5. RESULTS

### 5.1. Source sizes

Based on the source catalog, we have first tried to estimate which (if any) of the SMGs may be extended. While there is some evidence that a number of sources may be marginally-extended, the error bars produced by the deconvolution algorithm are generally too large to make any conclusive statements. In addition, many sources are not bright enough to reliably measure a significant source extension in the current data. We therefore conclude that all of the SMGs except one are best described

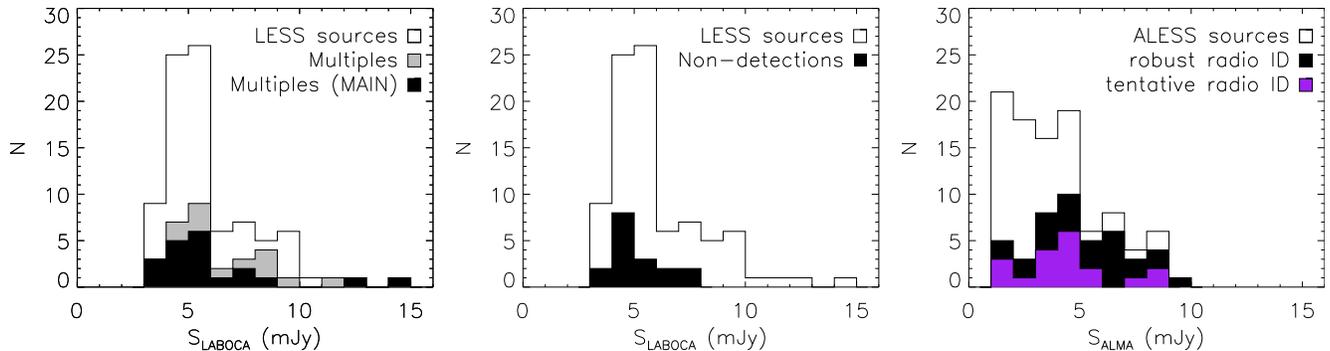


FIG. 4.— Histograms of LABOCA/ALMA flux density values in mJy. *Left:* The LABOCA flux density values for all LESS sources with good quality (i.e.  $\text{rms} < 0.6 \text{ mJy beam}^{-1}$ , axis ratio  $< 2$ ) ALMA maps. The black filled histogram shows the subset of fields which have been resolved by ALMA into multiple SMGs within the primary beam (i.e., in the MAIN sample). The gray filled histogram shows the additional LESS sources that are resolved into multiples if we include supplementary SMGs outside the primary beam FWHM in these maps. The brightest LABOCA sources have a high fraction of multiples. *Center:* Here we show the LABOCA flux densities for the subset of LESS sources which are non-detections with ALMA. These sources tend to lie on the fainter end of the LABOCA flux density distribution. *Right:* ALMA flux density values for all SMGs in the MAIN sample. All LESS sources above 9 mJy have been resolved into multiple SMGs or are fainter in the ALMA maps. We also show the subset of SMGs which confirm previously identified radio/mid-infrared robust counterparts proposed by Biggs et al. (2011), and (independently) the subset of SMGs which confirm tentative counterparts. The radio/mid-infrared counterparts correctly predict a large percentage of the bright sources but miss 55% of the SMGs overall.

as point sources, and we have set the “best” flux determination ( $S_{\text{BEST}}$ ) equal to the peak flux density from the 3-parameter point-source fit for all SMGs in the catalog (except one – see below).

The fact that the majority of the ALESS SMGs are unresolved suggests that their rest-frame  $\sim 300 \mu\text{m}$  emission is arising in a region with a size  $< 10$  kpc. This upper limit agrees with observations of high- $J$  ( $J > 2$ ) CO transitions, which typically report sizes in the range 4–6 kpc (FWHM; Tacconi et al. 2006, 2008; Bothwell et al. 2010; Engel et al. 2010; Bothwell et al. 2012). Some observations of lower- $J$  CO transitions and radio continuum emission, on the other hand, have found extended gas reservoirs of  $> 10$  kpc (e.g., Chapman et al. 2004; Biggs & Ivison 2008; Ivison et al. 2010b, 2011; Riechers et al. 2011a,b; Hodge et al. 2012).

Assuming a  $\sim 10$  kpc upper limit on the (median) size of the ALESS SMGs corresponds to a lower limit on the (median) SFR surface density of  $> 14 \text{ M}_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$ . Here, we have assumed the median SFR of the LESS SMGs ( $1100 \text{ M}_{\odot} \text{ yr}^{-1}$ ; Wardlow et al. 2011). Using the interquartile range on SFR of  $300\text{--}1900 \text{ M}_{\odot} \text{ yr}^{-1}$  results in SFR surface densities of  $> 4\text{--}24 \text{ M}_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$ , still well below the limit for Eddington-limited star formation in a radiation pressure supported starburst ( $1000 \text{ M}_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$ ; Thompson et al. 2005).

Only a single SMG (ALESS 007.1) is bright enough to reliably resolve *and* appears to be significantly extended along both axes (i.e. even within the error margins, the intrinsic major and minor axes are inconsistent with a point source model). For ALESS 007.1, the best flux density estimate ( $S_{\text{BEST}}$ ) is set to the integrated flux density from the 6-parameter model fit. This fit produced an intrinsic source size of  $(1.1'' \pm 0.3'') \times (0.7'' \pm 0.2'')$ . Taking this SMG’s photometric redshift estimate of  $z_{\text{phot}} = 2.81^{+0.18}_{-0.07}$  (Wardlow et al. 2011), this corresponds to a physical size of  $\sim 9 \text{ kpc} \times 5 \text{ kpc}$ , implying that the star formation is spread out over many kpc. Its SFR of  $2800^{+400}_{-700}$  (Wardlow et al. 2011) implies an SFR surface density of  $\sim 80 \text{ M}_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$ , consistent with previous

measurements for SMGs via indirect means like high- $J$  CO ( $\sim 80 \text{ M}_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$ ; e.g., Tacconi et al. 2006).

## 5.2. Multiplicity

One of the main results from this survey is that a large fraction of the LESS sources have been resolved into multiple SMGs. Considering LESS sources with at least one detection in the MAIN ALESS SMG sample, we find that 24 of 69 LESS sources split into two or more MAIN ALESS SMGs. If we also consider as reliable the SMGs which lie outside the primary beam in these maps (i.e.  $\text{ALESS\_SAMPLE} = 2$ ), then we find that the majority of these SMGs lie in maps which had at least one MAIN SMG, while only two SMGs lie in maps with no MAIN sources. This brings the total number of LESS sources considered to 71, of which we find that 32 split into multiple SMGs. We therefore find that for the good quality maps with at least one SMG somewhere in the map,  $\sim 35\%$ – $45\%$  consist of multiple SMGs.

Despite the large fraction of detected multiples, it is important to note that the median number of detected SMGs per good quality map is only one. This is true whether or not we also include supplementary sources outside the primary beam FWHM in these fields. For this calculation, we have also included those maps (discussed in the next section) which are of good quality but devoid of any detected SMGs. If we consider that a portion of the non-detections are also due to LESS sources resolved into multiple SMGs, then the true fraction of single-dish sources consisting of multiple SMGs may be even higher. In the extreme case, the fraction of multiple SMGs may increase to 50% (see §5.3).

That some of the single-dish sources are multiples is not unexpected theoretically and has also been reported in some of the first interferometric submillimeter studies. For example, Smolčić et al. (2012a) presented interferometric millimeter observations of submillimeter-selected sources in COSMOS. In their  $870 \mu\text{m}$ -selected sample of 27 LABOCA sources observed interferometrically, 22% turned out to be blended. However, their

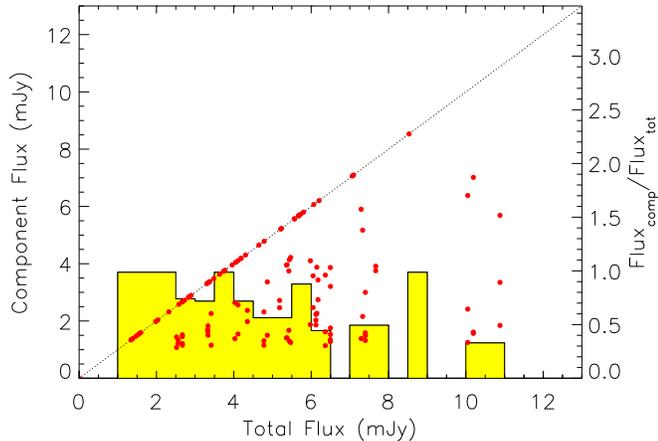


FIG. 5.— Component flux for MAIN sample SMGs versus total flux, where total flux is defined as the sum of the ALESS SMGs. The points show the component flux of individual SMGs. When a point falls on the diagonal line, it means it was the only SMG in that field (and therefore the component flux equals the total flux). The histogram shows the average ratio of component to total flux for a given total flux bin, with values indicated on the right-hand axis. As the total flux increases, the average fractional contribution decreases, indicating a larger average number of SMGs.

results are complicated by the fact that their interferometric observations were taken at a different waveband from the original submillimeter source selection. A more reliable analysis by Barger et al. (2012) of 16 SCUBA-2 identified sources with the SMA at the same wavelength suggested that 40% of bright sources are actual blends, though they cautioned that their results relied on small number statistics. Both results are in agreement with what we find with our larger sample.

Figure 4 shows a histogram of LABOCA flux density values for the fields with multiple ALESS SMGs compared to that of all good quality maps. If we only treat as reliable those SMGs detected within the primary beam FWHM (i.e., MAIN SMGs), then the brightest two LESS sources are resolved into multiples. If we also include the supplementary SMGs from outside the primary beam FWHM, then we find that the brightest three LESS sources are resolved into multiples. The fluxes for all distinct SMGs in the ALESS MAIN sample are shown in Figure 4, where there are now no SMGs with flux densities above 9.0 mJy (the brightest ALESS SMG). All LESS sources which previously had  $S > 9$  mJy have either been resolved into multiple, fainter SMGs, or appear to be single SMGs but with slightly lower ( $S < 9$  mJy) flux densities in the ALMA observations. This is also reflected in Figure 2 (right) and may indicate that these LESS sources consist of multiple SMGs as well, but that the additional components are below our detection threshold.

It is interesting to speculate on whether Figure 4 implies that bright sources are more likely to be multiples. The brightest LESS source, LESS 1, is actually a triple, and if you count the faint submillimeter emission in LESS 2 that is coincident with a  $24\mu\text{m}$  source but just below the  $3.5\sigma$  detection threshold (see Figure 9 in the Appendix), then LESS 2 may be a triple as well. Another way to visualize the sample multiplicity is shown in Figure 5, which plots component flux for MAIN sample SMGs against total flux (defined, in this case, as the

sum of the SMGs). Also indicated is the average fractional contribution per component in a given total flux bin, which can be inverted to give the average number of SMGs in that bin (e.g., a fractional contribution of 0.33 implies three SMGs). From this figure, it appears that as the total flux increases, the average fractional contribution decreases, indicating an increasing number of SMGs per field. However, because of our sensitivity limit, we can only detect individual SMGs above  $3.5\sigma$ , so it is less likely that we would detect multiple SMGs from a fainter LESS source. Moreover, our observations specifically target sources which were bright in the single-dish (i.e., low-resolution) map. This strategy would preferentially target regions with multiple SMGs within the single-dish beam, even if SMGs were not thought to be strongly-clustered (Williams et al. 2011).

A separate but related question is whether the multiple SMGs are physically associated. A number of studies have concluded that SMGs are strongly-clustered (e.g., Blain et al. 2004; Weiß et al. 2009; Hickox et al. 2012), although other studies have questioned whether this can be explained entirely by the low resolution of single-dish surveys (Williams et al. 2011). An interferometric study by Wang et al. (2011) presented two examples of submillimeter sources that were resolved into multiple, physically-unrelated galaxies. Based on the ALESS number counts alone (Karim et al. 2012), such a coincidence would seem unlikely, although it is difficult to quantify given that a chance coincidence would also be brighter and thus more easily detectable for a single-dish telescope.

Assuming that the nearby SMGs are physically-related, we can measure their projected separations. Do the multiple SMGs tend to be closely grouped together, or do they span the full range of possible separations within the beam? The predominant theory for SMG formation is that the majority of such sources are starbursting major mergers (e.g., Chapman et al. 2003; Engel et al. 2010; Narayanan et al. 2010; Hayward et al. 2011, 2012). In the merger scenario, the gravitational torques induced are thought to be efficient at funneling cold gas to the galaxy's center (Barnes & Hernquist 1996), thereby inducing a nuclear starburst and boosting the submillimeter flux observed. If these gravitational torques are effective at boosting the submillimeter flux on the scales probed here, we might expect to see an increasing number of SMG pairs with smaller separations.

We have plotted the measured separations for the MAIN ALESS SMGs in Figure 6. The upper axis converts these separations to projected distance in kpc assuming a typical SMG redshift of  $z = 2.5$ . The upper limit on separation is set (by definition) by the FWHM of the primary beam. For comparison, we have also calculated the separations observed for a simulated catalog of SMGs with the same flux density and multiplicity as the MAIN ALESS SMGs, but randomly placed within the primary beam FWHM. As with the actual data, simulated SMGs could not be closer than  $1.5''$  apart. We repeated this simulation 100 times to increase statistics, and the results are shown along with the MAIN sample. The drop in simulated number density at larger separations is due to the decreasing sensitivity of the telescope with distance from the phase center. This affects our ability to detect large separations, as (for example) two

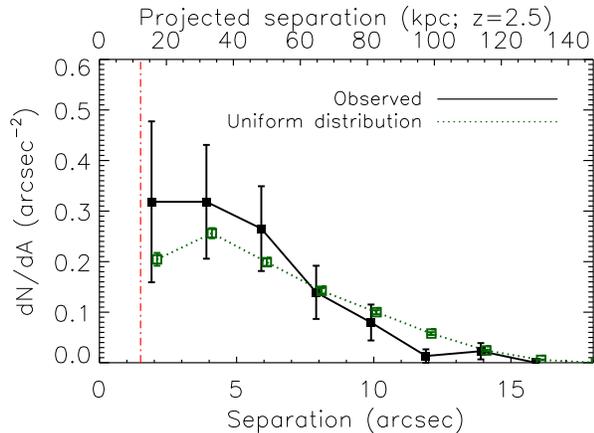


FIG. 6.— Number of MAIN SMG pairs with a given separation and normalized by annular area. The separations seen in the MAIN sample are limited to within the primary beam FWHM by definition. We also show the simulated result for SMGs with the same multiplicity and flux density distribution as the MAIN sources and placed randomly within the primary beam FWHM. The dot-dashed line indicates the typical ALESS resolution. Both samples are affected by the decreasing sensitivity of the telescope for large separations, and the ALESS SMGs show no evidence for an excess of sources at small separations.

MAIN sample SMGs spaced  $17''$  apart will both be at the 50% sensitivity contour, and will thus be harder to detect.

Figure 6 shows that, for the scales we are sensitive to, the number density of ALESS SMGs as a function of separation is consistent with what we would expect from a uniformly-distributed population. This holds true for projected separations from  $\sim 13$  kpc (our resolution limit at  $z \sim 2.5$ ) out to  $> 140$  kpc. If we bin all points within  $7''$  (60 kpc), where there appears to be a trend toward higher number densities than in the simulation, we find that the slight excess is not statistically significant. Therefore, the ALESS SMGs show no evidence for an excess of sources at small separations.

### 5.3. Non-detections

There are 88 ALMA maps in total which meet the first two criteria for the MAIN sample ( $\text{rms} < 0.6 \text{ mJy beam}^{-1}$ , axis ratio  $< 2$ ) and thus are considered to be of good quality. However, only 69 of these fields contain SMGs from the MAIN ALESS sample. If we relax our criteria slightly and also include SMGs from the good quality maps in the Supplementary sample (§4), then we find an additional two maps (LESS 91 and 106) which contain a  $> 4\sigma$  SMG just outside the primary beam FWHM. We therefore find that 17/88 ( $\sim 19\% \pm 4\%$ ) of the LESS sources with high-quality ALMA coverage are non-detections. A histogram of the LESS flux densities for these fields is shown in Figure 4 compared to the distribution for all good quality maps. The blank maps may be slightly fainter, in general, than the rest of the LESS sources. The average flux of the undetected LESS sources is  $5.0 \pm 0.2 \text{ mJy}$  versus  $5.9 \pm 0.2 \text{ mJy}$  for all LESS sources, and a Komolgorov-Smirnov test returns a probability of 80% that the blank maps are drawn from a different parent distribution. In particular, there are no sources with  $S_{\text{LABOCA}} > 7.6 \text{ mJy}$  that are undetected with ALMA.

There are several possible reasons why we may not have detected an SMG with ALMA. The first possibility is that the LESS source was spurious. According to Weiß et al. (2009), only  $\sim 5$  of the 126 LESS sources are expected to be false detections. In our sample of 88 good quality maps, we might therefore expect  $5 \times (88/126) = 3.5$  of the ALMA maps to target spurious LESS sources. The large majority of the apparent non-detections therefore cover sources which we expect to be real.

Alternately, very extended/diffuse SMGs could fall below the detection threshold of the ALMA observations. While the ALMA observations are  $\sim 3$  times deeper than the LABOCA data, the angular resolution is also  $> 10$  times higher. If a 4 mJy LESS source were a single SMG extended over three or more ALMA beams ( $\geq 15$ – $20$  kpc in diameter) as is observed in some SMGs in low- $J$  CO transitions (Ivison et al. 2010b, 2011; Riechers et al. 2011a,b; Hodge et al. 2012), it would be too extended to detect in a map with our median rms sensitivity of  $0.4 \text{ mJy beam}^{-1}$ . Of the SMGs we do detect, however, the majority are consistent with point sources (§5.1), making this scenario difficult to believe unless the SMG population is a heterogeneous mix of submillimeter morphologies (but see Hayward et al. 2012).

Finally, the LESS source may have been resolved into multiple distinct SMGs which are too faint to be detected individually. If all 17 non-detections are actually undetected multiples, then the fraction of multiple sources rises to  $\sim 50\%$ . The number of components would not need to be very large for a faint LESS source to become undetectable in these ALMA data. For example, if a 4 mJy LESS source were composed of three 1.3 mJy SMGs, these SMGs would be below the detection threshold for the maps achieving our target sensitivity. As an experiment, we have taken the LESS source flux densities and rms noise values of the maps with non-detections and calculated how many SMGs would be required for the S/N of each SMG to fall right at the  $3.5\sigma$  detection threshold for that map. We have simply rounded to the nearest integer number of SMGs, as the difference between this estimate and the LESS flux density is always  $\leq 50\%$  of the 1.2 mJy uncertainty in LESS flux density. We have then used the number of SMGs per map (for which we find a median of 4) and the flux densities of these hypothetical sources to put a lower limit on the faint-end number counts of SMGs, finding that at  $S_{870\mu\text{m}} \sim 1.3 \text{ mJy}$ ,  $> 500 \text{ SMGs mJy}^{-1} \text{ deg}^{-2}$  would be required to explain our non-detections. This number is consistent with the faint-end extrapolation of the ALESS number counts presented in Karim et al. (2012). There is even some tentative observational evidence that this may be the case in at least one of the ALESS SMGs. For example, in LESS 27 (a blank map) there are three  $3\sigma$  sources lying exactly on top of three radio/mid-IR-predicted counterparts, suggesting they may be real despite the fact that they are all below our adopted detection threshold. Future, deeper observations with ALMA will reveal whether all of the undetected LESS sources are indeed multiple, faint SMGs.

### 5.4. LABOCA Positional Offsets

Prior to the existence of large, interferometrically-observed SMG samples such as that presented here, the identification of counterparts at other wavelengths re-

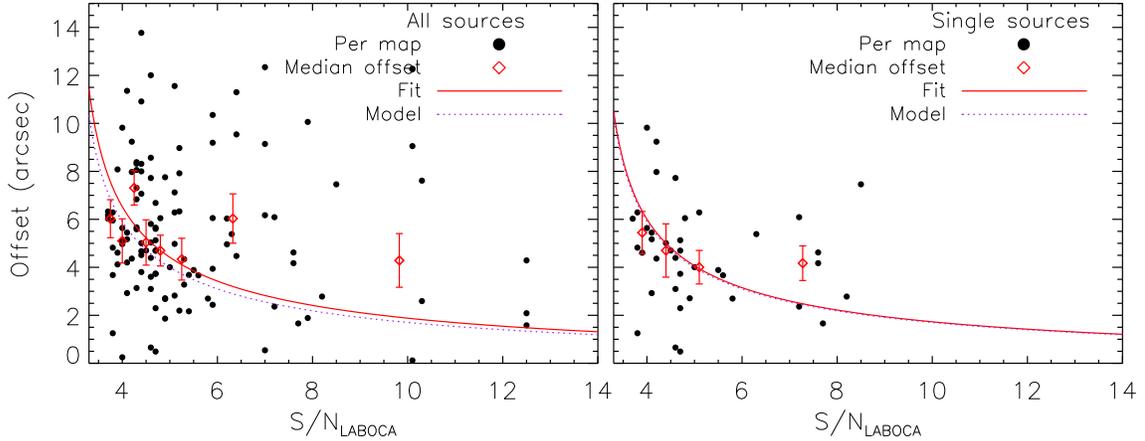


FIG. 7.— Radial offsets between ALESS SMGs and LESS sources as a function of observed (smoothed) LABOCA S/N. *Left*: Individual offsets are shown for all ALESS SMGs in good quality maps. *Right*: Offsets are shown only for ALESS SMGs that constitute the lone source in the field. For both panels, we also show the median offsets in bins of  $S/N_{\text{LABOCA}}$ . The dotted line shows the theoretical expectation for the positional uncertainty (Ivison et al. 2007) assuming the LESS resolution of  $19.2''$ . The solid line shows a fit of the same form. The fitted function is consistent with the theoretical prediction, indicating that there are no additional sources of astrometric error in the LABOCA source positions. The median offsets, however, show a systematic bias toward larger offsets than predicted at high S/N, bringing into question the use of S/N-derived search radii in counterpart searches where blending and confusion are significant.

lied on statistical methods to estimate the likelihood of particular associations (e.g., Biggs et al. 2011). In such cases, the positional offsets between the submillimeter source and wavelength of interest are dominated by the uncertainty in the (single-dish) submillimeter positions, and this uncertainty, in turn, is thought to be primarily a function of S/N of the single-dish submillimeter source (e.g., Ivison et al. 2007). Specifically, in the limit where centroiding uncertainty dominates over systematic astrometry errors, and for uncorrelated Gaussian noise, the theoretical expectation for the positional uncertainty in single-dish submillimeter sources is

$$\Delta\alpha = \Delta\delta = k\theta[(S/N_{\text{app}})^2 - (2\beta + 4)]^{-1/2} \quad (1)$$

where  $\Delta\alpha$  and  $\Delta\delta$  are the rms positional errors in right ascension and declination, respectively, the constant  $k = 0.6$ ,  $\theta$  is the FWHM of the single-dish primary beam ( $19.2''$ ),  $S/N_{\text{app}}$  is the apparent, smoothed signal-to-noise ratio before correcting for flux boosting, and the  $\beta$  term provides the correction to intrinsic S/N (Ivison et al. 2007). Some counterpart searches, such as that done by Biggs et al. (2011) for LESS, have used this fact to vary the search radius based on the S/N of the submillimeter source.

Now that we have both single-dish LABOCA and ALMA observations of a large number of submillimeter sources, we are in a position to empirically calibrate the positional uncertainties of the LABOCA sources, and thus the search radius needed to recover SMGs from multiwavelength comparisons. Figure 7 (left) shows radial offset between the ALMA and LABOCA positions (where the latter correspond to phase center in the ALMA maps) as a function of apparent (smoothed) S/N for all ALESS SMGs in the good quality maps (i.e., MAIN and Supplementary sample 2). Also shown are the median offsets in bins of  $S/N_{\text{app}}$ . Fitting a function to the median data points of the form given in Equation 1 (with a  $\sqrt{2}$  correction to radial offset), we find  $k = 0.66 \pm 0.03$ , or  $\sim 10\%$  worse than the theoretical

expectation using this FWHM.

Note that many maps have  $\geq 2$  SMGs over the S/N threshold which are blended into one brighter source in the LABOCA maps. The theoretical prediction, on the other hand, describes the positional offset expected for a single source of the given S/N. If we limit the comparison to maps with only a single ALESS SMG (Figure 7, right), then the fitted function shifts down slightly, giving  $k = 0.61 \pm 0.06$ , consistent with the theoretical prediction. We therefore find that there are no additional sources of astrometric error for the LESS sources.

Although the fitted function is consistent with theory, the normalization of the function is largely constrained by the data points at the low-S/N end. At higher S/N, we see in Figure 7 that the median offsets measured are systematically higher than the predicted offsets. This is likely to be a consequence of our finding earlier that a larger fraction of bright submillimeter sources are multiples. Hence, although recent searches for counterparts at other wavelengths have employed a S/N-dependent search radius, Figure 7 implies that a fixed search radius based on the typical S/N of the data may be just as good or even better than a S/N-dependent radius.

### 5.5. Radio/MIR IDs

Previously, Biggs et al. (2011) used radio and mid-infrared data from the Very Large Array and *Spitzer* to identify potential counterparts to the LESS sources. Using their radio and/or  $24\mu\text{m}$  emission along with the corrected Poissonian probability ( $p$ -statistic; Browne & Cohen 1978; Downes et al. 1986) and a S/N-dependent search radius (discussed in the previous section), they identified statistically robust counterparts to 62 of the 126 submillimeter sources in the LESS survey. (Note that they did not correct for the small systematic offset between the radio and MIPS data discussed in Section 3.4, as they concluded that the effect was miniscule.) Biggs et al. then used a color-flux cut on IRAC  $3.6\mu\text{m}$  and  $5.8\mu\text{m}$  sources (chosen to maximize the number of

secure radio and  $24\mu\text{m}$  counterparts) to identify 17 additional sources whose IRAC colors suggest they are likely counterparts. In total, they identified robust counterparts to 79 LESS sources, some of which have multiple radio/mid-infrared identifications (Figure 10 in the Appendix).

With our interferometric submillimeter imaging, we are now in a position to test how many of the ALESS SMGs were correctly predicted by these radio/mid-infrared identifications. Taking the 99 ALESS SMGs in the MAIN sample, we find that 45 have robust radio/mid-infrared counterparts. These SMGs are indicated with a boldface ‘r’ in Tables 3 and 4. Note that a counterpart was considered ‘robust’ by Biggs et al. if it had a corrected Poissonian probability  $p \leq 0.05$  in either the radio, MIPS, or IRAC data, or a value  $0.05 < p < 0.1$  in two separate wavelengths. If we also include tentative counterparts (defined as having  $0.05 < p < 0.1$  in just one wavelength), then we find an additional 9 ALESS SMGs. These SMGs are indicated with a ‘t’ in Tables 3 and 4. The remaining 45 ALESS SMGs have neither robust nor tentative counterparts. The radio/mid-infrared counterpart identification is therefore  $\sim 55\%$  complete if we include both robust and tentative counterparts.

From Figure 10, it is immediately obvious that a significant number of maps have ALESS SMGs outside the search radius used by Biggs et al. (2011) to predict these counterparts. Of the four brightest LESS sources with good quality ALMA maps (LESS 1, 2, 3, and 5), all four have at least one SMG outside the search radius, and in two of these cases, it is the brightest source in the map. In total, 21 out of 88 good-quality fields have at least one ALESS SMG outside the search radius, whereas Biggs et al. (2011) estimated that only 1% of all the LESS SMGs (i.e., 1.3 of 126 sources) would have counterparts missed for this reason. The LESS sources with counterparts outside the search radius tend to be the brighter sources, meaning that they had a smaller adopted search radius. This implies, as we already indicated in §5.4, that the S/N-dependent search radius may not be the most effective means to identify counterparts.

Another possible issue with the counterpart identification is the depth of the multiwavelength data used. This could result in missed counterparts no matter what the search radius. The 1.4 GHz data used for the LESS source counterpart identification had an rms of  $\sim 6.5\mu\text{Jy}$  at its deepest point (Miller et al. 2008), resulting in a  $3\sigma$  detection threshold of  $19.5\mu\text{Jy}$  or higher. We used the map from the second data release (DR2; Miller et al. 2013) to extract cutouts at the positions of all the ALESS SMGs in the MAIN sample. Stacking these cutouts gives a median flux density of  $15 \pm 1\mu\text{Jy}$  (a  $15\sigma$  detection), with a statistical error of  $2.7\mu\text{Jy}$ . The cumulative distribution function of the peak flux densities is shown in Figure 8, where we see that at least 55% of the ALESS SMGs are still undetected. In comparison, Barger et al. (2012) recently took 16 interferometrically-observed SMGs and looked for counterparts in a deeper 1.4 GHz image (rms of  $2.5\mu\text{Jy}$ ), detecting all 16 SMGs at  $>5\sigma$ . This difference may be explained largely by the relative brightness of their detected SMGs ( $S_{860\mu\text{m}} > 3.2\text{mJy}$ ), though at least two of their SMGs fall below our nominal 1.4 GHz detection limit. Lindner et al. (2011) also report a very high radio-detection rate for submillimeter sources in a

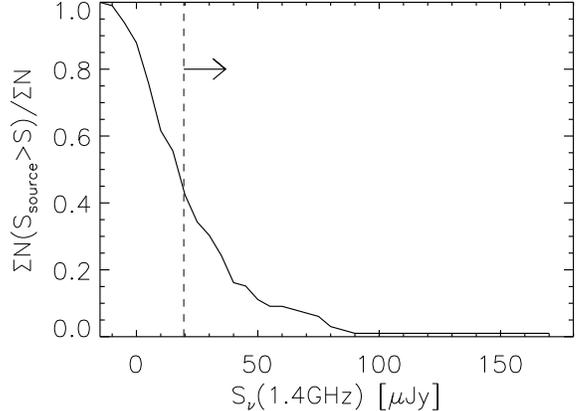


FIG. 8.— Cumulative distribution function of 1.4 GHz flux density values extracted from the map of Miller et al. (2013) at the positions of the MAIN ALESS SMGs. The dashed vertical line shows the  $3\sigma$  detection limit at the deepest part of the map, which is therefore a lower limit. Despite reaching an rms of  $6\mu\text{Jy}$  at its deepest point, at least 55% of the ALESS SMGs are still undetected in the radio data. Our stacking analysis indicates that the median 1.4 GHz flux density of the ALESS SMGs is  $15 \pm 1\mu\text{Jy}$ .

deep (rms =  $2.7\mu\text{Jy}$ ) radio map. Despite our high rate of non-detections in the radio, the radio data still help to identify a larger fraction of ALESS counterparts overall than the MIPS or IRAC data. If we categorize the results based on wavelength, we find that 28% of the correctly predicted counterparts were based on the radio data alone, 13% were based on the MIPS data alone, and 31% were based on IRAC data alone, with an additional 28% based on either radio+MIPS (26%) or radio+IRAC (2%).

The 55% overall completeness quoted above refers to the percentage of all ALESS SMGs predicted, regardless of whether some of the SMGs correspond to the same LESS source (i.e. are multiples). While there may also be multiple radio/mid-infrared IDs per field, it may be interesting to look at what fraction of LESS sources have at least one correct ID. In total, of the 69 LESS sources covered by the MAIN ALESS sample, 52 (75%) have at least one correct robust or tentative radio/mid-infrared ID. We find that for those LESS sources with multiple ALESS SMGs, 80% have at least one SMG that was correctly predicted. The brightest ALESS SMG is among the predicted SMGs for the majority (80%) of those cases. Therefore, while the radio/mid-infrared ID process only predicts 55% of SMGs in total, it has a higher success rate if we consider only the brightest SMG in each field.

The flux density distributions of the confirmed robust/tentative counterparts are shown in Figure 4. The robust IDs clearly favor the brighter ALESS SMGs, with 75% of the SMGs above  $5\text{mJy}$  matching previously predicted radio/mid-infrared counterparts (versus only 35% of the SMGs below  $5\text{mJy}$ ). If we include tentative counterparts, then the flux density above which the predictions are 75% complete drops to only  $3\text{mJy}$ , below which only 25% of the SMGs were predicted with robust/tentative radio/mid-infrared counterparts.

We can also test how many of the total number of predicted counterparts are now confirmed (i.e. the reli-

ability). Considering only robust IDs, there are a total of 57 distinct proposed radio/mid-infrared counterparts in maps covered by the ALESS MAIN sample. Of these counterparts, 45 are confirmed by the ALMA maps. Therefore, 80% of the robust radio/mid-infrared IDs have been confirmed by the ALMA maps, and 20% have been shown to be incorrect. Although formally the robust IDs should have a >95% chance of being correct, a reliability of 80% is still encouraging given the uncertainties. Moreover, our results really only give a lower limit on the reliability, since there may be some counterparts with submillimeter emission just below our detection threshold. For example, in LESS 2, there is a predicted counterpart at the position of a  $\sim 3\sigma$  submillimeter peak, which is just below our detection threshold but (given this alignment) likely real. If we consider both robust and tentative IDs, then there are a total of 85 radio/mid-infrared counterparts (57 robust + 28 tentative) falling in MAIN sample maps. Of these, 54 are confirmed by the ALMA maps ( $\sim 65\%$ ).

Note that we did not include the blank maps in the above analysis, even though they are also of high quality, since the positions of the SMG(s) in those maps remain unconstrained. Of the 17 blank maps, 11 have at least one predicted radio/mid-IR counterpart. In several cases – e.g., LESS 27, LESS 47, LESS 95 (slightly offset), and LESS 120 – these counterparts coincide with a  $\sim 3\sigma$  submillimeter peak, indicating that the predicted SMG may be correct but just below our detection threshold. In the case of LESS 27, there are actually three predicted counterparts, and all three coincide with  $\sim 3\sigma$  sources in the ALMA map. This case in particular supports the proposal put forward in §5.3 that these maps are blank because they have been resolved into multiple SMGs with flux densities too faint to detect.

To summarize, if we consider only robust counterparts, then the radio/mid-infrared identification process has a completeness of only  $\sim 45\%$ , but a reliability of  $\sim 80\%$ . If we include tentative counterparts as well, then the completeness rises to  $\sim 55\%$  and the reliability drops to  $\sim 65\%$ . This process therefore still misses  $\sim 45\%$  of SMGs, and of those it claims to find, approximately one-third are incorrect. We conclude that submillimeter interferometry is really the best and only way to obtain accurate identifications for SMGs.

## 6. SUMMARY

We have presented an ALMA Cycle 0 survey of SMGs in the Extended *Chandra* Deep Field South. These SMGs were originally detected with the (single-dish) LESS survey on the APEX telescope, the single largest, most homogenous  $870\mu\text{m}$  survey to date. Our ALMA observations utilize the Cycle 0 compact array in Band 7 to map 122 of the 126 SMGs at the same central frequency as LESS. In just two minutes per source, we reach a median rms noise of  $0.4\text{ mJy beam}^{-1}$ , three times as deep as the LESS observations. Our median angular resolution ( $1.6'' \times 1.15''$ ) represents an improvement in beam area of  $\sim 200$  times, allowing us to precisely locate the origin of the submillimeter emission from the SMGs.

We identify and extract sources from the final maps, recovering 99% of all SMGs above  $3.5\sigma$  with a spurious fraction of 1.6%. From an analysis of the inverted maps, we estimate that 75%/90% of SMGs above  $3.5\sigma/4\sigma$  may

be regarded as reliable, though these estimates should be regarded as lower limits due to the complex and correlated nature of the noise in the maps.

To test the absolute flux scale, we model the true sky distribution using both positive and negative sources down to  $3\sigma$  and convolving with the resolution of LABOCA for a more meaningful comparison. We find  $S_{\text{ALMA}}/S_{\text{LABOCA}} = 0.97 \pm_{0.04}^{0.07}$ , confirming that the ALMA and LABOCA flux density scales are in reasonable agreement. An analysis of the astrometry indicates that the ALMA SMG positions are accurate to within  $0.2''\text{--}0.3''$ .

We discuss the creation of the catalog, including a MAIN sample of 99 ALESS SMGs and a supplementary sample of 32 SMGs. The MAIN sample SMGs are the most reliable, while the supplementary sample SMGs should be used with care.

Using this catalog, we put constraints on the sizes of the SMGs in submillimeter continuum. We find that all but one SMG are consistent with point sources, suggesting sizes  $< 10\text{ kpc}$  and a median SFR surface density  $> 14\text{ M}_{\odot}\text{ yr}^{-1}\text{ kpc}^{-2}$ . The resolved SMG (ALESS 007.1) has an intrinsic source size of  $(1.1'' \pm 0.3'') \times (0.7'' \pm 0.2'')$ , corresponding to  $\sim 9\text{ kpc} \times 5\text{ kpc}$  at its estimated redshift of  $z_{\text{phot}} = 2.8$ . Its SFR surface density is  $\sim 80\text{ M}_{\odot}\text{ yr}^{-1}\text{ kpc}^{-2}$ , consistent with previous measurements for SMGs from high- $J$  CO lines and well below the limit for Eddington-limited star formation.

With our  $\sim 1.6''$  resolution, we find that many of the LESS sources are resolved into multiple distinct SMGs. Of the good quality maps with at least one detection,  $\sim 35\%\text{--}45\%$  contain multiple SMGs. This is likely due to the low resolution of the original LESS survey and/or the clustering of SMGs. We find that the brighter sources are preferentially affected, though this may be an artifact of the single-dish selection and sensitivity limitations. An analysis of the separation between multiple SMGs yields no evidence for a significant excess of SMGs with small ( $< 60\text{ kpc}$ ) projected separations.

We report that 17 out of 88 good-quality maps ( $\sim 20\%$ ) have no detected SMGs, even though only  $\sim 3.5$  of the LESS sources are expected to be spurious. It may be that the emission from these LESS sources has been spread out into diffuse or multi-component morphologies below our detection threshold. Assuming it is the latter, we calculate the number of SMGs necessary in each map for the flux densities of the SMGs to be just below the detection threshold. We find that at  $S_{870\mu\text{m}} \sim 1.3\text{ mJy}$ ,  $> 500\text{ SMGs mJy}^{-1}\text{ deg}^{-2}$  would be necessary in order to explain our non-detections, a number which is consistent with the faint end extrapolation of the ALESS number counts (Karim et al. 2012). If all 17 blank-map sources are actually multiple SMGs, the total fraction of multiple SMGs in the survey rises to  $\sim 50\%$ .

We use the ALESS catalog to empirically calibrate the uncertainty in the LABOCA positions as a function of signal-to-noise. We find that the observed positional offsets are consistent with the theoretical prediction, indicating no additional sources of astrometric error for the LESS sources. However, the median offsets measured are systematically higher than predicted offsets at large values of S/N, implying that counterpart searches may be better off using a fixed search radius than a S/N-

dependent search radius.

Finally, we use the precise submillimeter positions for our SMGs to test the reliability/completeness of radio/mid-IR counterparts previously predicted using a probabilistic method. We find that overall, the radio/mid-infrared ID process only correctly predicts  $\sim 55\%$  of ALESS SMGs. It has a higher success rate for the brighter LESS sources, or if we only consider the brightest ALESS SMG in fields with multiple SMGs. The depth of the radio data may be one limiting factor, although there are also a significant number of cases where the SMG falls outside the (S/N-dependent) search radius, again bringing its effectiveness into question. Of the counterparts predicted by the radio/mid-IR method, we also find that one-third are incorrect, further highlighting the importance of submillimeter interferometry for obtaining accurate identifications for SMGs.

In conclusion, we have completed the first statistically-reliable survey of SMGs by combining a wide-field single-dish  $870\mu\text{m}$  survey using LABOCA with targeted interferometric  $870\mu\text{m}$  observations of detected sources with ALMA. This study provides the basis for the unbiased multiwavelength study of the properties of this population, including the high-resolution number counts of SMGs (Karim et al. 2012), constraints on the number density of  $z \sim 4$  SMGs (Swinbank et al. 2012), the properties of AGN in SMGs (Coppin et al. 2012, Wang et al. in prep), and their redshift distribution (Simpson et al.

in prep).

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## APPENDIX

### DETAILS OF THE SOURCE EXTRACTION AND CHARACTERIZATION

As discussed in §3.1, we used custom-written IDL-based source extraction software to identify and fit SMGs in the ALMA maps. We already demonstrated that CASA’s IMFIT task returns comparable values for the fits, verifying our results. Nevertheless, for completeness, we now elaborate further on our source extraction and characterization process.

For each of the fits (three- and six-parameters), we determined the step size for each parameter that best balanced fast convergence and good mixing of the Markov chain by looking at individual maps. On average, we reached an acceptance probability of 30% after an initial and sufficiently long thermalization phase. This value is within the optimal range for a multi-dimensional MH-MCMC algorithm. The box size was optimized to ensure that all visually apparent double sources in the maps were individually recovered while minimizing the number of clear fitting artifacts.

There are physical prior constraints for a valid model description of the flux density distribution of an elliptical source model in an interferometry map. In order not to violate the detailed balance condition and to ensure ergodicity of the Markov chain, however, it is important not to constrain the random walk through the six-dimensional parameter space which is consequently chosen to follow a symmetric attempt distribution about the previous value for a given parameter. We do not violate the MH-MCMC principles if we constrain the actual move acceptance which therefore underlies the following constraints:

1. The minor extent of a given source cannot be smaller than the clean beam minor axis.
2. The ratio of major to minor axis must not exceed twice the corresponding axis ratio of the clean beam.
3. The peak flux density must be a positive value.

For each parameter, the mean of the posterior distribution determined its best fit value. The full set of parameters obtained in this way was used as a flux density model to be subtracted off the initial map before proceeding to the next signal peak within the map. This process was repeated until the threshold was reached, and the end result was a combined model as well as a residual map.

### ERROR DETERMINATION, INTEGRATED FLUX DENSITIES, AND BEAM DECONVOLUTION

In the presence of correlations in the Markov chain, effectively only  $N/2\theta_A$  statistically independent measurements of the parameter  $A$  have been performed, where  $\theta_A$  denotes the data autocorrelation length and  $N$  is the number of MCMC steps after the equilibration phase. In practice, we therefore monitor the autocorrelation of the Markov chain and bin the data in  $N_B = N/N_L$  blocks of length  $N_L > \theta_A$ . We then calculate for each bin the mean value:

$$\bar{A}_i = \frac{1}{N_L} \sum_{k=1}^{N_L} A_{(i-1)N_L+k}, \quad i = 1, \dots, N_B, \quad (\text{B1})$$

where the index denotes that we are dealing with consecutive members of the Markov chain. The set of bin mean values  $\{\bar{A}_i\}$  will then be statistically independent so that the best-fit parameter solution is simply given by the mean of all bin means, while its corrected standard error is given by:

$$\Delta A \approx \frac{1}{\sqrt{N_B - 1}} \left( \frac{1}{N_B} \sum_{i=1}^{N_B} (\bar{A}_i)^2 - \left( \frac{1}{N_B} \sum_{i=1}^{N_B} \bar{A}_i \right)^2 \right)^{-1/2} \quad (\text{B2})$$

The integrated flux density is derived as the product of the best-fit peak flux density and the ratio of the fitted source area to the clean beam area. The appropriate determination of measurement errors for elliptical source fits in the presence of correlated noise in radio maps has been extensively worked out by Condon (1997). (See also Windhorst et al. 1984; Hopkins et al. 2003; Schinnerer et al. 2004, 2010; Karim et al. 2011). We adopt those findings for error estimates for our measured source parameters, taking into account also the pure autocorrelation-corrected fitting errors based on the posterior distribution function for each parameter.

For this study the main quantity of interest is the total flux density and its full error is given by:

$$\frac{\sigma_{\text{Total}}}{\langle F_{\text{Total}} \rangle} = \sqrt{\left( \frac{\sigma_{\text{data}}}{\langle F_{\text{Total}} \rangle} \right)^2 + \left( \frac{\sigma_{\text{fit}}}{\langle F_{\text{Total}} \rangle} \right)^2}, \quad (\text{B3})$$

where

$$\frac{\sigma_{\text{data}}}{\langle F_{\text{Total}} \rangle} = \sqrt{\left( \frac{S}{N} \right)^{-2} + \left( \frac{1}{100} \right)^2} \quad (\text{B4})$$

$$\frac{\sigma_{\text{fit}}}{\langle F_{\text{Total}} \rangle} = \sqrt{\frac{2}{\rho_S} + \left( \frac{\theta_B \theta_b}{\theta_M \theta_m} \right) \left( \frac{2}{\rho_\psi^2} + \frac{2}{\rho_\phi^2} \right)}. \quad (\text{B5})$$

$\theta_B$  is the major axis and  $\theta_b$  the minor axis of a given clean beam while  $\theta_M$  and  $\theta_m$  are the major and minor axis of the measured (hence convolved) source ellipse. The signal-to-noise ratio  $S/N = \bar{F}_{\text{peak}}/\sigma_{\text{map}}$  denotes the ratio of the best-fit peak flux density and RMS noise for a given map. The same applies to the parameter-dependent estimators of the fit entering equation (B5) that are given by:

$$\rho_X^2 = \frac{\theta_M \theta_m}{4 \theta_B \theta_b} \left( 1 + \frac{\theta_B}{\theta_M} \right)^a \left( 1 + \frac{\theta_b}{\theta_m} \right)^b \left( \frac{S}{N} \right)^2 \quad (\text{B6})$$

and  $a = b = 1.5$  for  $\rho_F$ ,  $a = 2.5$  and  $b = 0.5$  for  $\rho_M$  as well as  $a = 0.5$  and  $b = 2.5$  for  $\rho_m$ .

For each source found we attempt to trigonometrically deconvolve the clean beam of the corresponding ALMA map in order to determine its intrinsic extent, shape and orientation, assuming the underlying source can be described by an elliptical Gaussian using our own implementation of the well-tested AIPS-equivalent. We call a source unresolved in case both its deconvolved minor and major axis result in negative values while we allow sources to be extended only in one dimension. Given the typical resolution achieved in this survey sources are mostly barely resolved and the (on average) low reliability of deconvolved quantities for (partially) resolved sources is reflected in their typically large errors.

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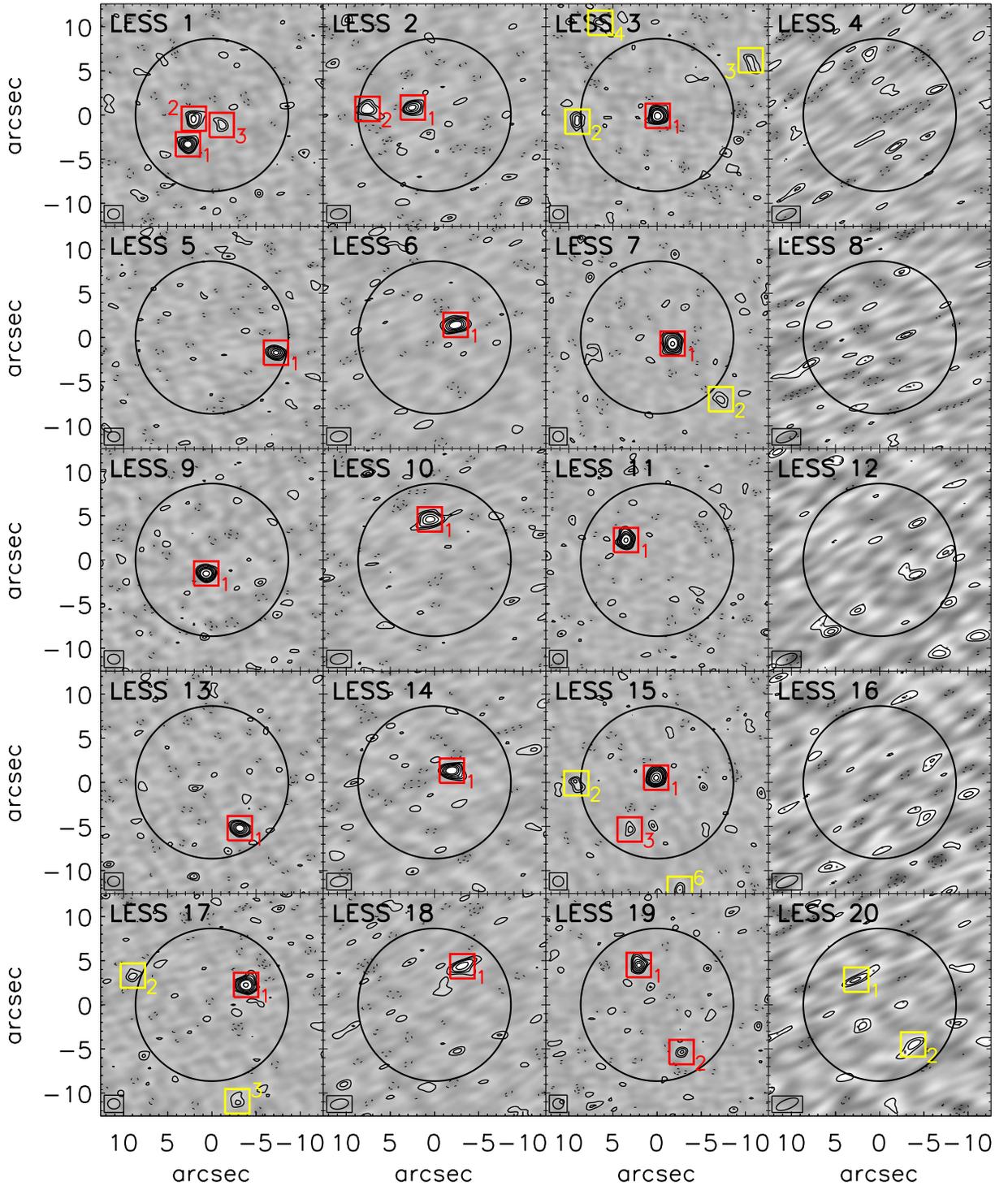


FIG. 9.— ALMA  $870\mu\text{m}$  maps in order of LESS source number. The maps are  $\sim 26''$  per side and have pixels of  $0.2''$ . Contours start at  $\pm 2\sigma$  and increase in steps of  $1\sigma$ , where  $\sigma$  is the rms noise measured in that map (Table 2). SMGs that appear in the MAIN/supplementary catalog are indicated with red/yellow squares and labeled with their ALESS sub-ID. For example, the source labeled ‘1’ in the map for LESS 1 corresponds to source ALESS 001.1 in Table 3. The synthesized beam is shown in the bottom left corner of each map, and the large circle indicates the primary beam FWHM. The images show a range in quality, with fields observed at low elevation appearing noisier and having more elongated synthesized beams. Note that LESS 52, 56, 64, and 125 were not observed with ALMA, and the quality of the ALMA maps for LESS 48 and 60 is so poor that we do not show them here.

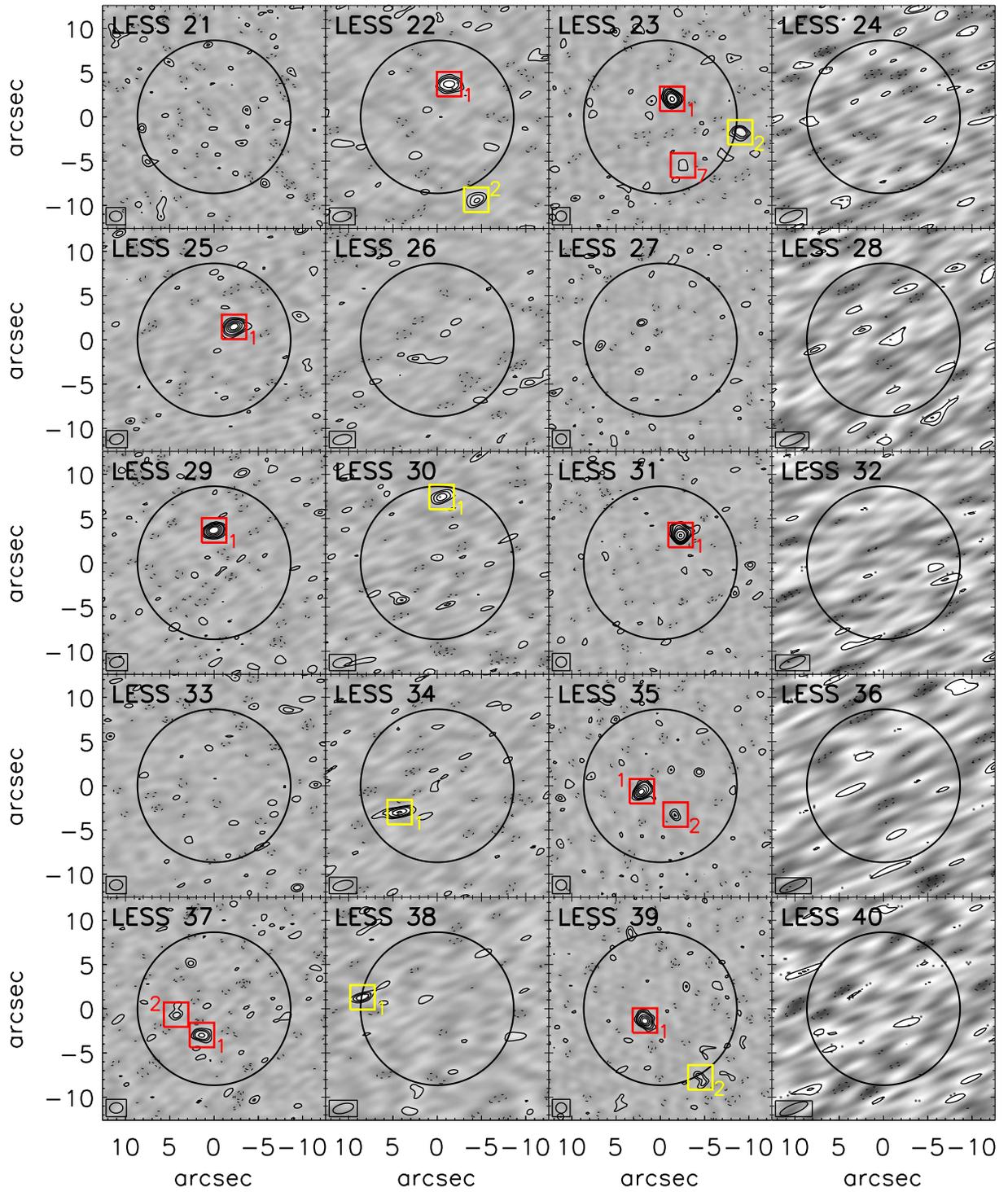


Fig. 9 (continued)

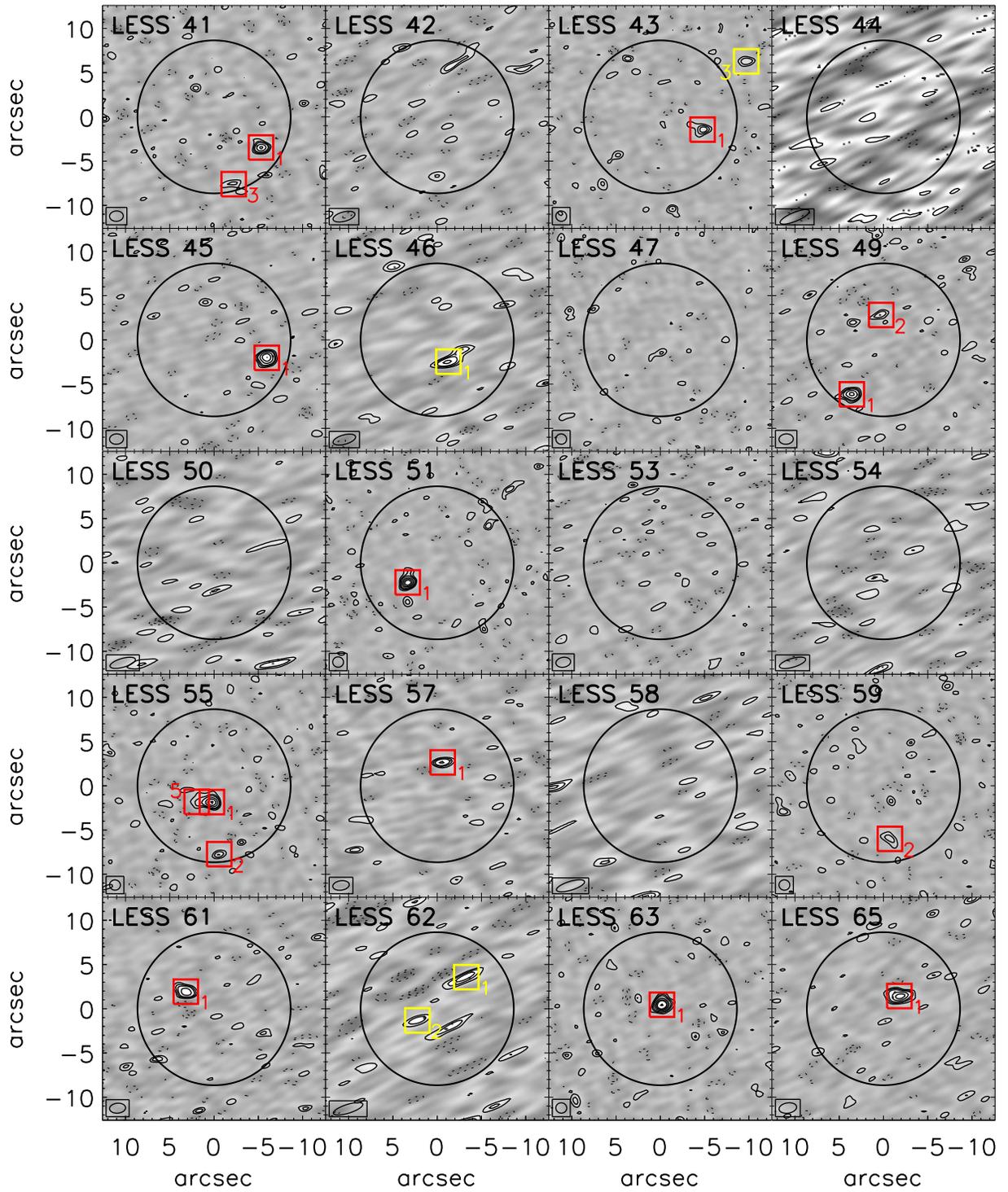


Fig. 9 (continued)

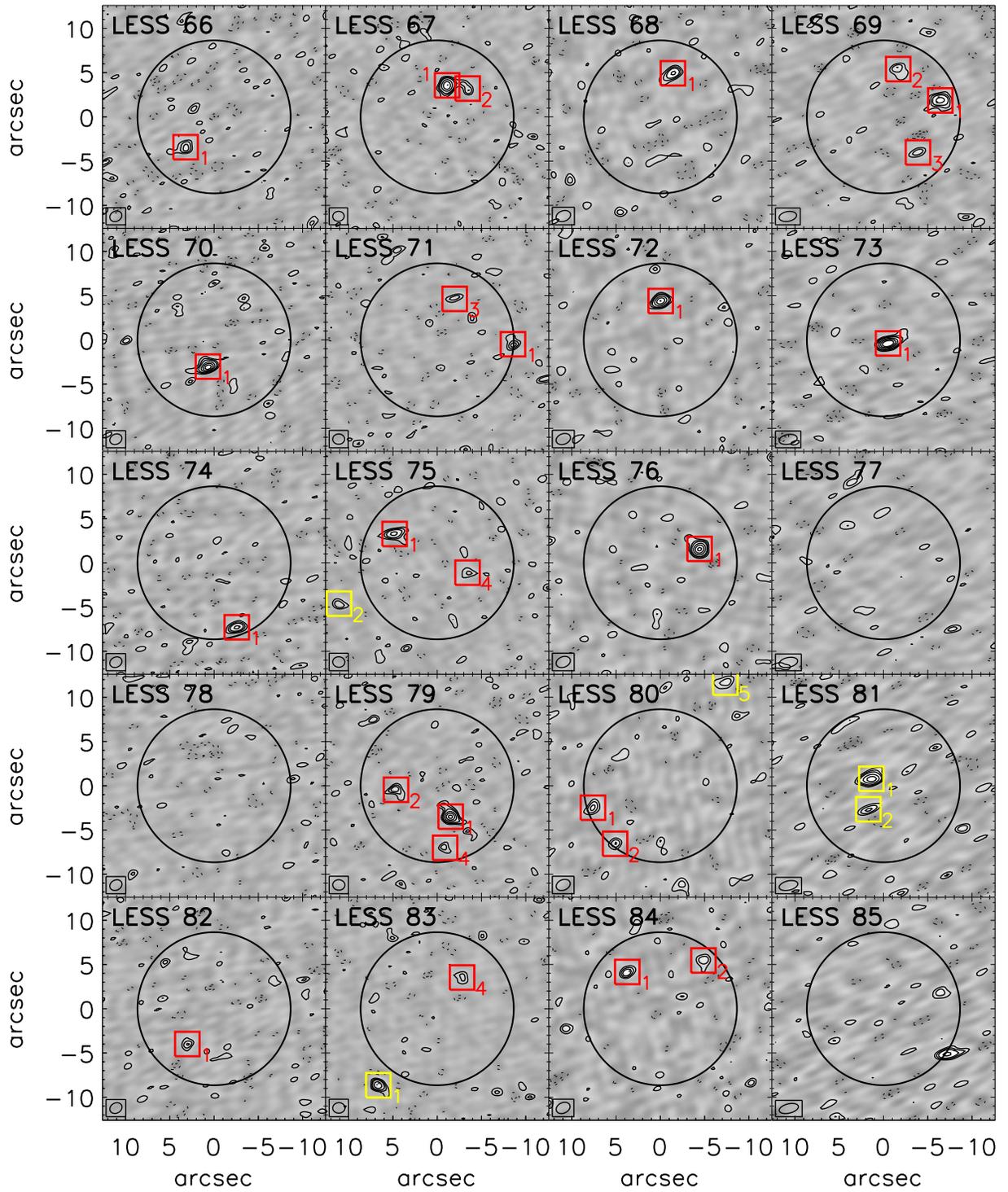


Fig. 9 (continued)

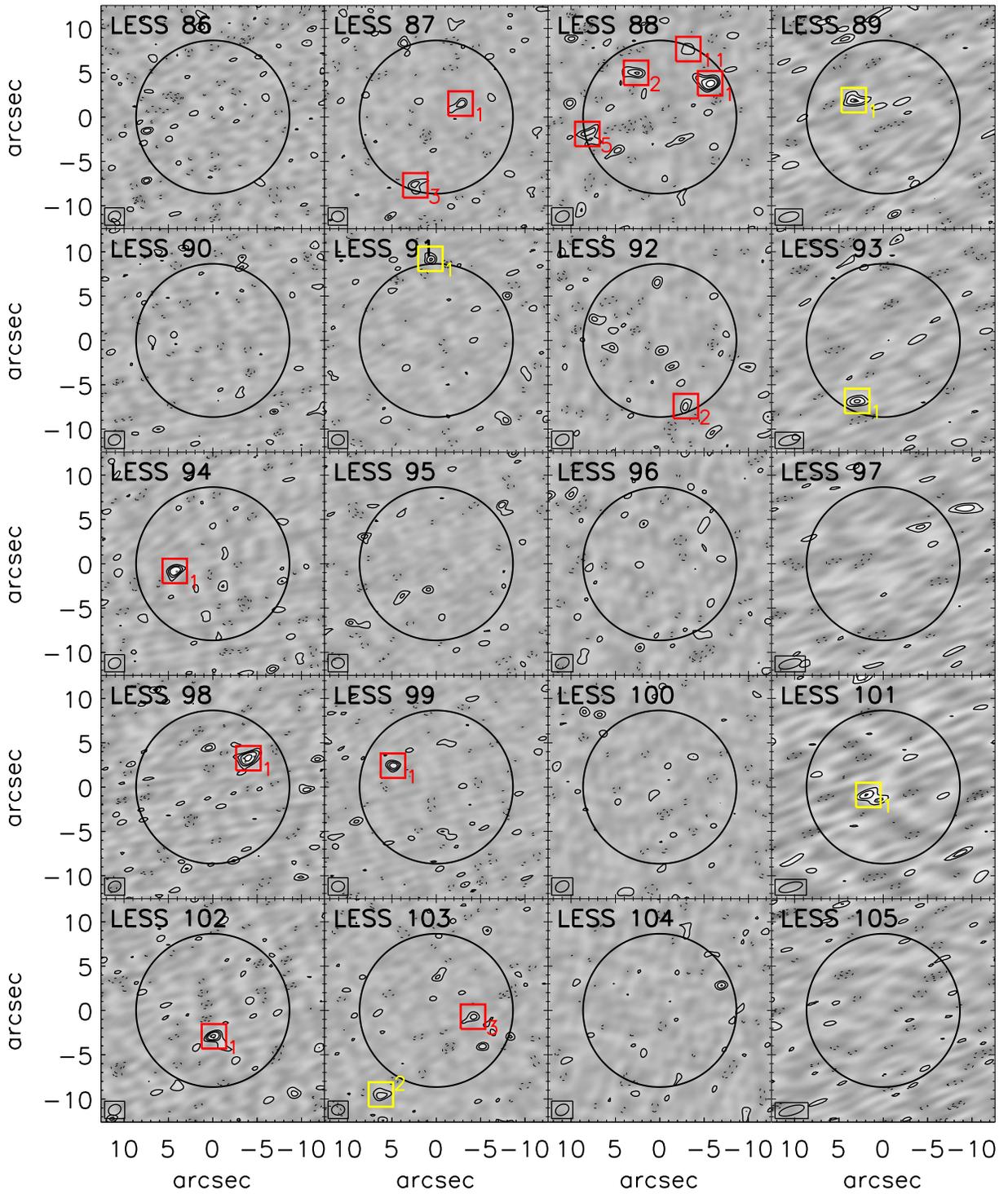


Fig. 9 (continued)

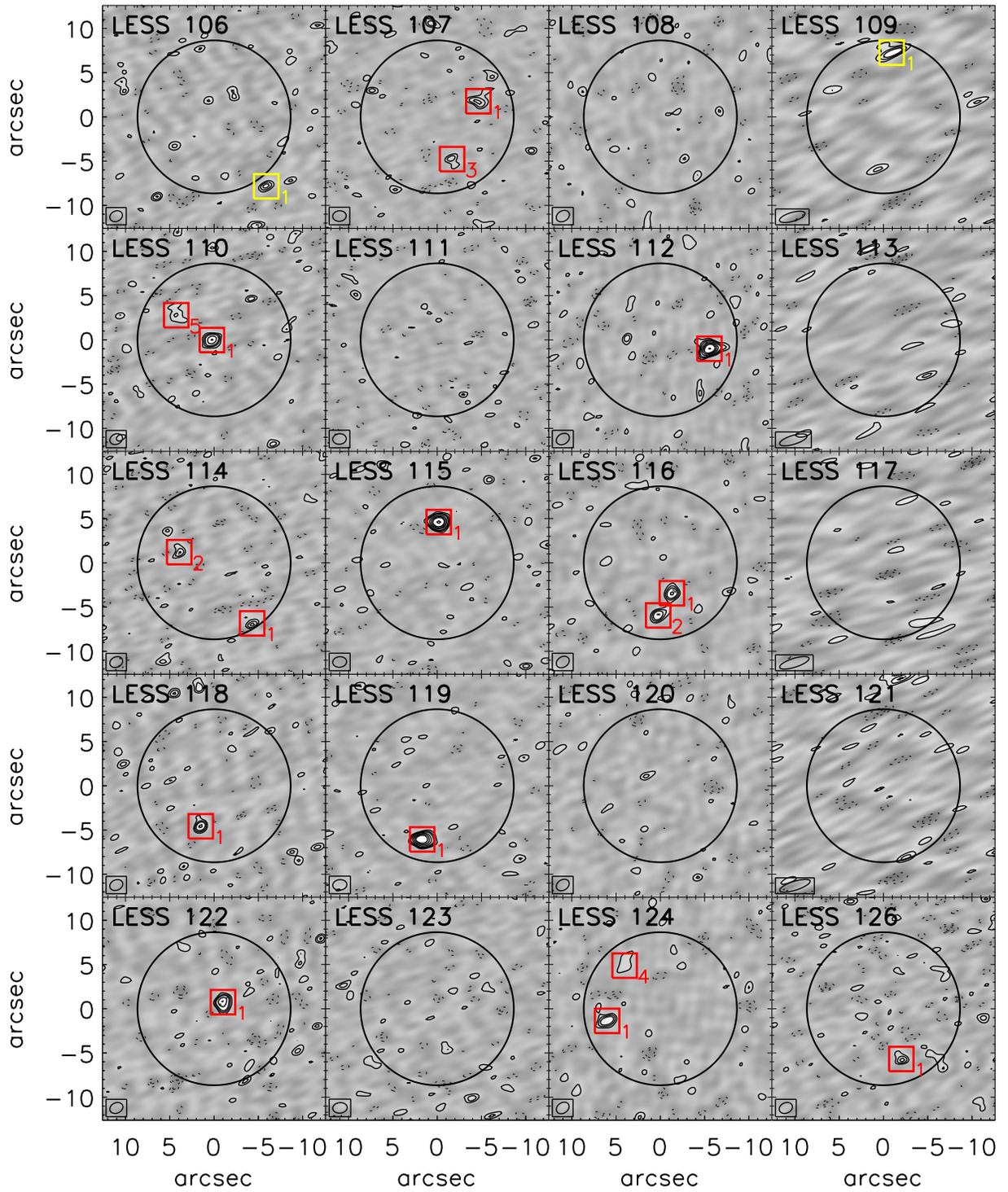


Fig. 9 (continued)

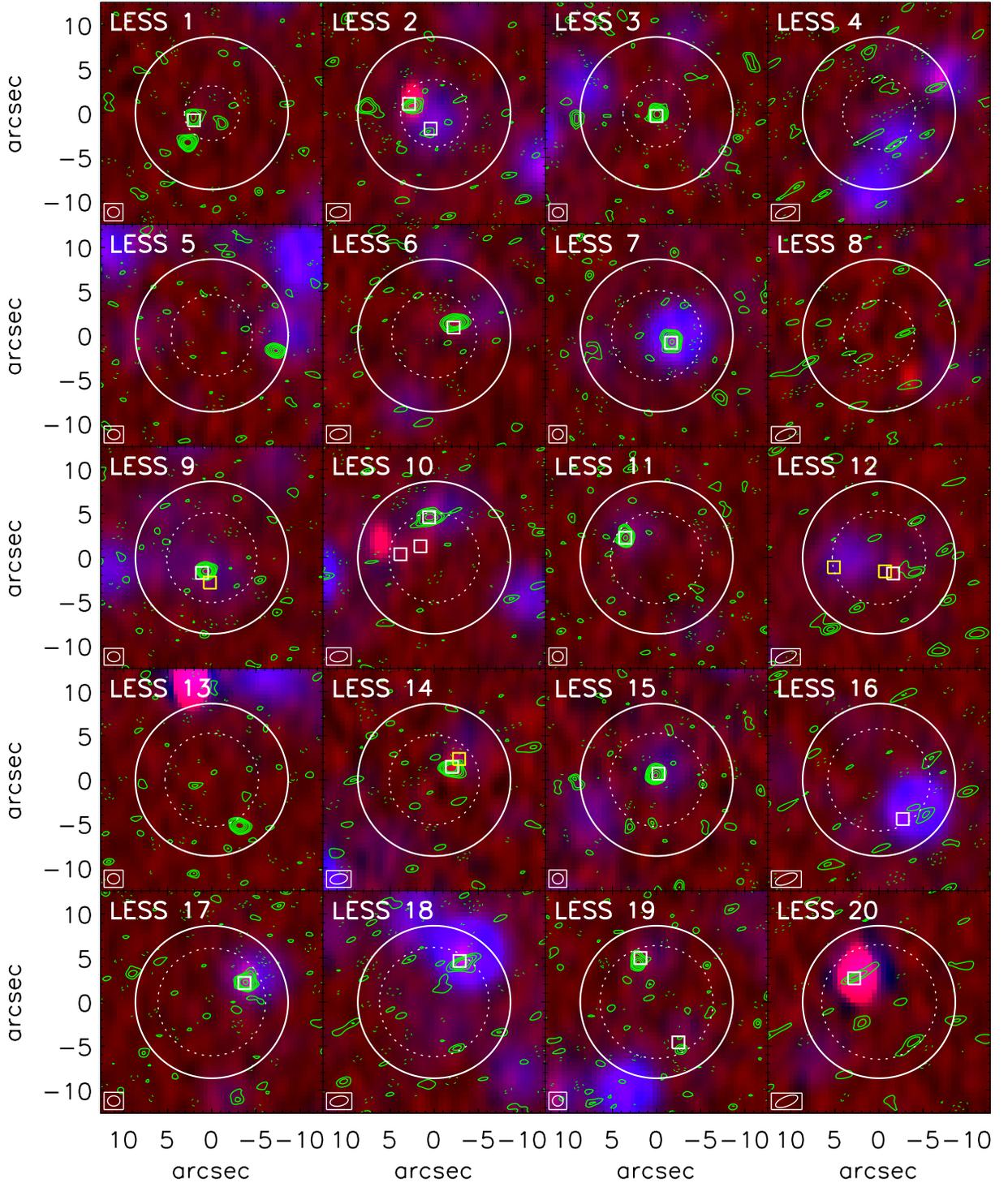


FIG. 10.— ALMA  $870\mu\text{m}$  contours (green) on false-color multiwavelength images produced from the VLA 1.4 GHz (red) and MIPS  $24\mu\text{m}$  (blue) data. The dashed circle indicates the search radius used by Biggs et al. (2011) to statistically identify radio and mid-infrared counterparts to the LESS sources, and the small white/yellow squares indicate the positions of the predicted robust/tentative counterparts. The synthesized beam of the ALMA data is shown in the bottom left corner of each map, and the large circle indicates the primary beam FWHM. ALMA contours are in steps of  $1\sigma$  starting at  $\pm 2\sigma$ . Note that LESS 52, 56, 64, and 125 were not observed with ALMA, and the quality of the ALMA maps for LESS 48 and 60 is so poor that we do not show them here.

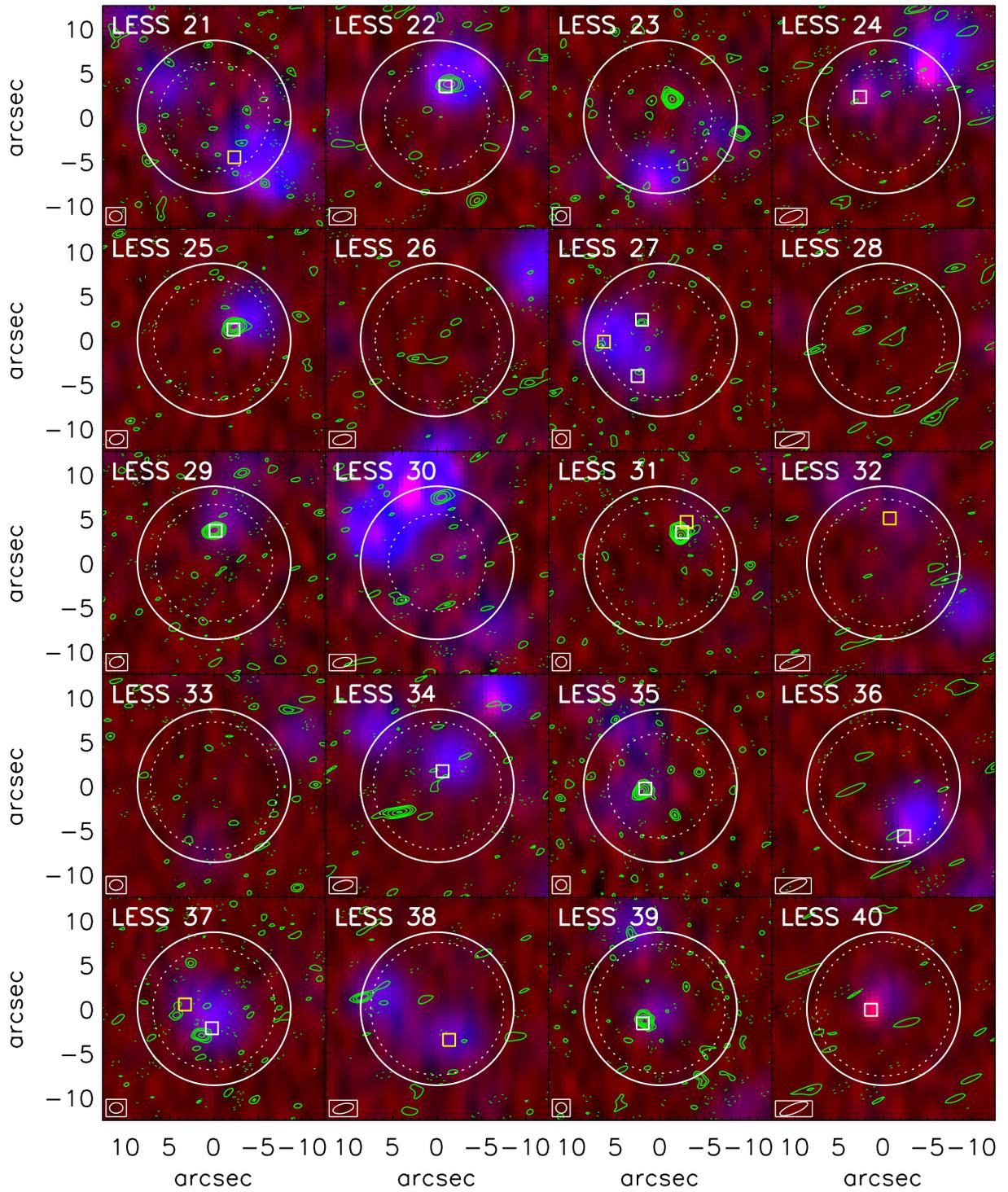


Fig. 10 (continued)

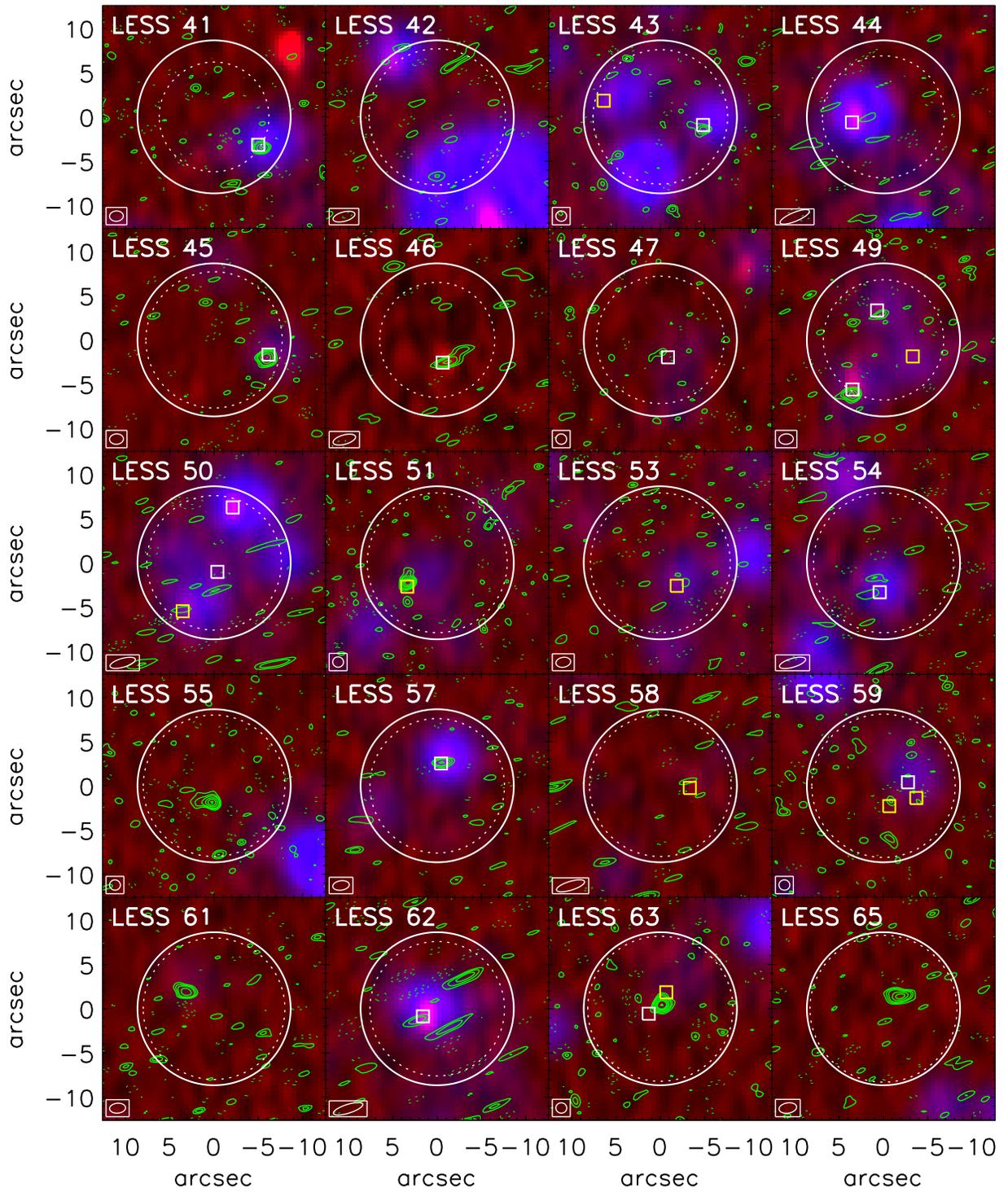


Fig. 10 (continued)

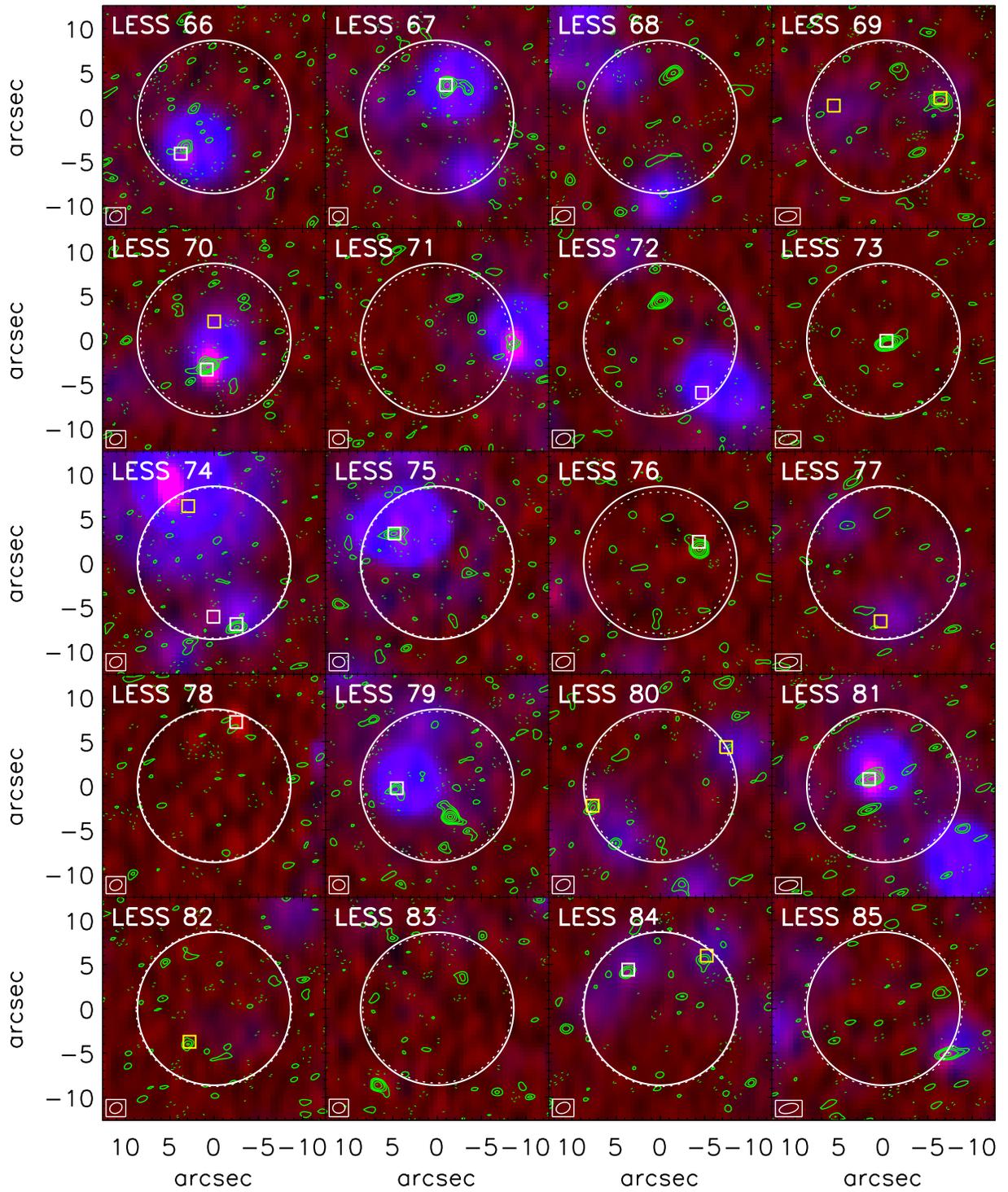


Fig. 10 (continued)

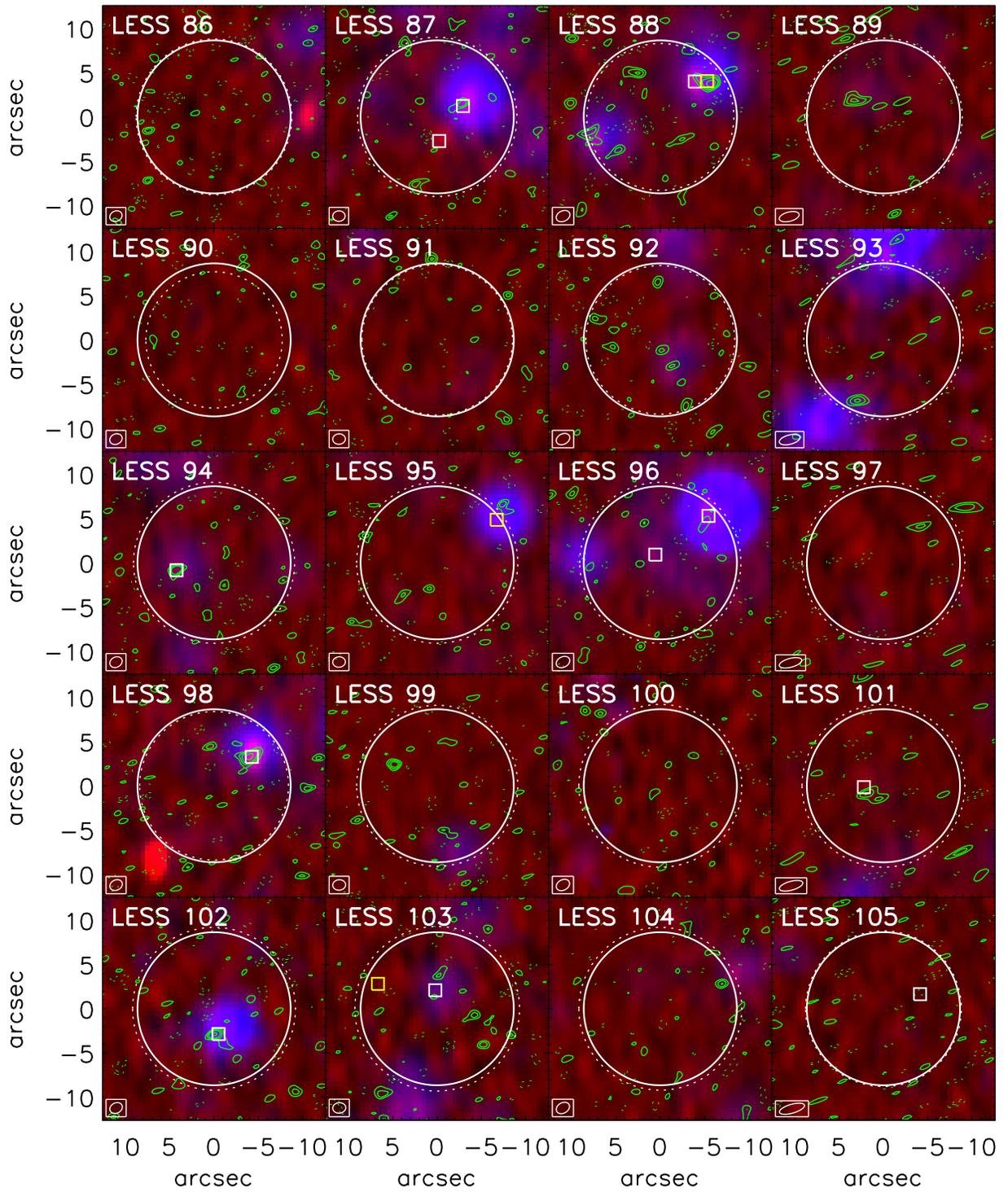


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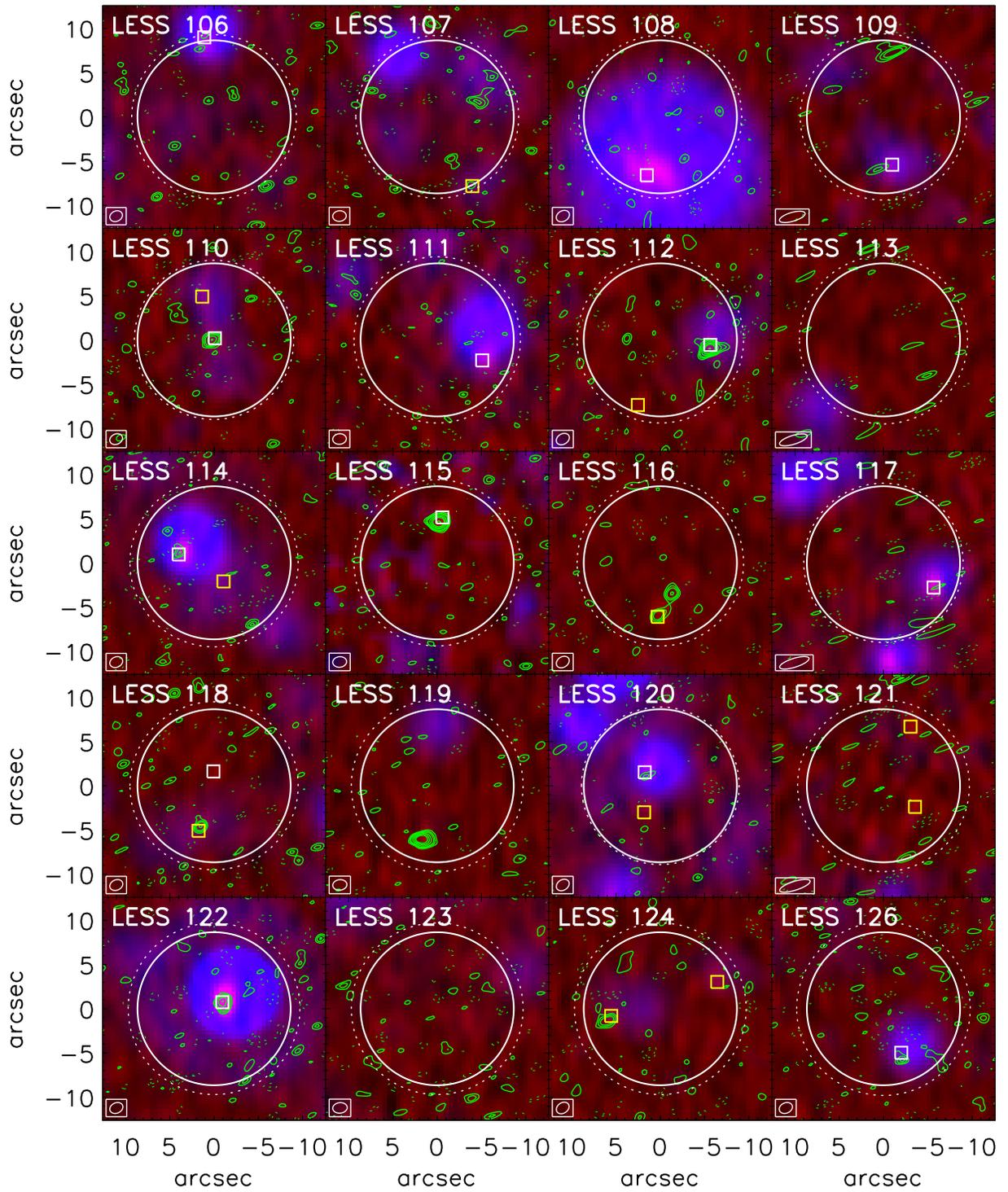


Fig. 10 (continued)

TABLE 2  
 ALESS OBSERVATIONS BY LESS FIELD

LESS ID	Position (J2000)	$S_{\text{LABOCA}}$ [mJy beam $^{-1}$ ]	$S/N_{\text{LABOCA}}$	$\sigma_{\text{ALMA}}$ [mJy beam $^{-1}$ ]	ALMA Beam [ $''$ ]	SB <sup>a</sup>
LESS 1	03:33:14.26 -27:56:11.2	14.5 ± 1.2	12.5	0.41	1.34 × 1.16	SB1
LESS 2	03:33:02.50 -27:56:43.6	12.0 ± 1.2	10.3	0.39	1.86 × 1.17	SB5
LESS 3	03:33:21.51 -27:55:20.2	11.7 ± 1.2	10.1	0.40	1.26 × 1.11	SB3
LESS 4	03:31:36.01 -27:54:39.2	11.0 ± 1.2	9.7	0.65	2.41 × 1.07	SB7
LESS 5	03:31:29.46 -27:59:07.3	10.0 ± 1.2	8.5	0.41	1.41 × 1.12	SB1
LESS 6	03:32:57.14 -28:01:02.1	9.7 ± 1.2	8.2	0.39	1.91 × 1.17	SB5
LESS 7	03:33:15.55 -27:45:23.6	9.2 ± 1.2	7.9	0.31	1.22 × 1.17	SB3
LESS 8	03:32:05.07 -27:31:08.8	11.7 ± 1.6	7.8	0.84	2.45 × 1.07	SB7
LESS 9	03:32:11.29 -27:52:10.4	9.2 ± 1.2	7.7	0.46	1.40 × 1.11	SB1
LESS 10	03:32:19.02 -27:52:19.4	9.1 ± 1.2	7.6	0.41	1.99 × 1.17	SB5
LESS 11	03:32:13.58 -27:56:02.5	9.1 ± 1.2	7.6	0.35	1.22 × 1.17	SB3
LESS 12	03:32:48.12 -27:54:14.7	8.8 ± 1.2	7.2	1.01	2.50 × 1.07	SB7
LESS 13	03:32:49.23 -27:42:46.6	8.8 ± 1.2	7.2	0.42	1.36 × 1.15	SB1
LESS 14	03:31:52.64 -28:03:20.4	9.3 ± 1.3	7.2	0.50	1.98 × 1.10	SB5
LESS 15	03:33:33.36 -27:59:30.1	8.9 ± 1.3	7.0	0.36	1.22 × 1.16	SB3
LESS 16	03:32:18.89 -27:37:38.7	8.1 ± 1.2	6.9	0.97	2.60 × 1.07	SB7
LESS 17	03:32:07.59 -27:51:23.0	7.6 ± 1.3	6.4	0.38	1.40 × 1.16	SB1
LESS 18	03:32:05.12 -27:46:52.1	7.5 ± 1.2	6.3	0.41	2.07 × 1.10	SB5
LESS 19	03:32:08.10 -27:58:18.7	7.3 ± 1.2	6.2	0.33	1.21 × 1.17	SB3
LESS 20	03:33:16.56 -28:00:18.8	7.2 ± 1.2	6.2	0.93	2.67 × 1.07	SB7
LESS 21	03:33:29.93 -27:34:41.7	7.6 ± 1.3	6.1	0.36	1.41 × 1.16	SB1
LESS 22	03:31:47.02 -27:32:43.0	8.0 ± 1.5	5.9	0.46	2.13 × 1.10	SB5
LESS 23	03:32:12.11 -28:05:08.5	8.2 ± 1.5	5.9	0.35	1.21 × 1.17	SB3
LESS 24	03:33:36.79 -27:44:01.0	7.4 ± 1.4	5.9	0.99	2.75 × 1.07	SB7
LESS 25	03:31:57.05 -27:59:40.8	6.7 ± 1.3	5.8	0.44	1.62 × 1.15	SB1
LESS 26	03:31:36.90 -27:54:56.1	6.6 ± 1.2	5.8	0.43	2.15 × 1.06	SB5
LESS 27	03:31:49.73 -27:34:32.7	7.2 ± 1.4	5.8	0.33	1.21 × 1.17	SB3
LESS 28	03:33:02.92 -27:44:32.6	6.7 ± 1.3	5.6	1.19	2.99 × 1.00	SB7
LESS 29	03:33:36.90 -27:58:13.0	7.1 ± 1.4	5.6	0.38	1.63 × 1.14	SB1
LESS 30	03:33:44.37 -28:03:46.1	8.7 ± 1.8	5.6	0.53	2.18 × 1.06	SB5
LESS 31	03:31:49.96 -27:57:43.9	6.3 ± 1.3	5.5	0.32	1.21 × 1.17	SB3
LESS 32	03:32:43.57 -27:46:44.0	6.4 ± 1.3	5.5	1.30	3.08 × 0.99	SB7
LESS 33	03:31:49.78 -27:53:32.9	6.4 ± 1.3	5.5	0.35	1.49 × 1.16	SB1
LESS 34	03:32:17.64 -27:52:30.3	6.3 ± 1.3	5.4	0.45	2.33 × 1.06	SB5
LESS 35	03:31:10.35 -27:37:14.8	8.1 ± 1.8	5.4	0.32	1.21 × 1.17	SB3
LESS 36	03:31:49.15 -28:02:08.7	6.4 ± 1.4	5.4	1.29	3.24 × 1.00	SB7
LESS 37	03:33:36.04 -27:53:47.6	6.7 ± 1.5	5.3	0.37	1.50 × 1.17	SB1
LESS 38	03:33:10.20 -27:56:41.5	6.0 ± 1.3	5.2	0.58	2.39 × 1.06	SB5
LESS 39	03:31:44.90 -27:34:35.4	6.2 ± 1.4	5.2	0.32	1.21 × 1.17	SB3
LESS 40	03:32:46.74 -27:51:20.9	5.9 ± 1.3	5.2	1.36	3.36 × 1.00	SB7
LESS 41	03:31:10.47 -27:52:33.2	7.6 ± 1.9	5.2	0.42	1.55 × 1.17	SB1
LESS 42	03:32:31.02 -27:58:58.1	5.8 ± 1.4	5.1	0.49	2.54 × 1.06	SB5
LESS 43	03:33:07.00 -27:48:01.0	5.9 ± 1.4	5.1	0.34	1.22 × 1.17	SB3
LESS 44	03:31:30.96 -27:32:38.5	6.7 ± 1.6	5.1	1.40	3.56 × 1.00	SB7
LESS 45	03:32:25.71 -27:52:28.5	5.8 ± 1.4	5.1	0.38	1.57 × 1.17	SB1
LESS 46	03:33:36.80 -27:32:47.0	7.2 ± 1.8	5.1	0.65	2.63 × 1.05	SB5
LESS 47	03:32:56.00 -27:33:17.7	6.3 ± 1.5	5.1	0.35	1.22 × 1.16	SB3
LESS 48	03:32:37.77 -27:30:02.0	6.8 ± 1.7	5.1	2.49	3.77 × 0.80	SB7
LESS 49	03:31:24.45 -27:50:40.9	5.9 ± 1.4	5.1	0.43	1.62 × 1.17	SB1
LESS 50	03:31:41.15 -27:44:41.5	5.6 ± 1.3	5.0	0.66	2.96 × 0.99	SB5
LESS 51	03:31:44.81 -27:44:25.1	5.6 ± 1.3	5.0	0.33	1.22 × 1.17	SB3
LESS 52	03:31:28.51 -27:56:01.3	5.6 ± 1.4	4.9	–	–	–
LESS 53	03:31:59.12 -27:54:35.5	5.6 ± 1.4	4.9	0.42	1.68 × 1.12	SB1
LESS 54	03:32:43.61 -27:33:53.6	6.0 ± 1.5	4.9	0.62	3.07 × 0.99	SB5
LESS 55	03:33:02.20 -27:40:33.6	5.5 ± 1.4	4.9	0.35	1.22 × 1.16	SB3
LESS 56	03:31:53.17 -27:39:36.1	5.4 ± 1.4	4.9	–	–	–
LESS 57	03:31:51.97 -27:53:29.7	5.5 ± 1.4	4.9	0.57	1.88 × 1.06	SB1
LESS 58	03:32:25.79 -27:33:06.7	5.9 ± 1.6	4.8	0.74	3.31 × 0.99	SB5
LESS 59	03:33:03.87 -27:44:12.2	5.3 ± 1.4	4.8	0.31	1.22 × 1.16	SB3
LESS 60	03:33:17.47 -27:51:21.5	5.2 ± 1.4	4.8	1.85	3.91 × 0.80	SB7
LESS 61	03:32:45.63 -28:00:25.3	5.2 ± 1.4	4.7	0.45	1.81 × 1.12	SB1
LESS 62	03:32:36.41 -27:34:52.5	5.4 ± 1.5	4.7	0.68	3.47 × 0.99	SB5
LESS 63	03:33:08.46 -28:00:44.3	5.3 ± 1.4	4.7	0.35	1.23 × 1.17	SB3
LESS 64	03:32:01.00 -28:00:25.6	5.1 ± 1.4	4.7	–	–	–
LESS 65	03:32:52.40 -27:35:27.7	5.2 ± 1.4	4.7	0.41	2.00 × 1.16	SB2
LESS 66	03:33:31.69 -27:54:06.1	5.3 ± 1.5	4.7	0.39	1.41 × 1.14	SB6
LESS 67	03:32:43.28 -27:55:17.9	5.2 ± 1.4	4.7	0.34	1.29 × 1.12	SB4
LESS 68	03:32:33.44 -27:39:18.5	5.1 ± 1.4	4.7	0.44	1.70 × 1.19	SB8
LESS 69	03:31:34.26 -27:59:34.3	5.0 ± 1.3	4.7	0.42	2.00 × 1.10	SB2
LESS 70	03:31:43.97 -27:38:32.5	5.0 ± 1.4	4.6	0.41	1.42 × 1.14	SB6
LESS 71	03:33:06.29 -27:33:27.7	5.6 ± 1.6	4.6	0.30	1.35 × 1.16	SB4
LESS 72	03:32:40.40 -27:38:02.5	5.0 ± 1.4	4.6	0.42	1.68 × 1.18	SB8
LESS 73	03:32:29.33 -27:56:19.3	5.1 ± 1.4	4.6	0.47	2.07 × 1.09	SB2
LESS 74	03:33:09.34 -27:48:09.9	5.1 ± 1.4	4.6	0.40	1.42 × 1.14	SB6

TABLE 2 — *Continued*

LESS ID	Position (J2000)	$S_{\text{LABOCA}}$ [mJy beam <sup>-1</sup> ]	$S/N_{\text{LABOCA}}$	$\sigma_{\text{ALMA}}$ [mJy beam <sup>-1</sup> ]	ALMA Beam [ $''$ ]	SB <sup>a</sup>
LESS 75	03:31:26.83 -27:55:54.6	5.1 ± 1.4	4.6	0.33	1.37 × 1.18	SB4
LESS 76	03:33:32.67 -27:59:57.2	5.1 ± 1.5	4.5	0.47	1.67 × 1.18	SB8
LESS 77	03:31:57.23 -27:56:33.2	4.8 ± 1.4	4.4	0.43	2.13 × 1.09	SB2
LESS 78	03:33:40.30 -27:39:56.9	5.1 ± 1.7	4.4	0.35	1.43 × 1.14	SB6
LESS 79	03:32:21.25 -27:56:23.5	4.7 ± 1.4	4.4	0.32	1.38 × 1.18	SB4
LESS 80	03:31:42.23 -27:48:34.4	4.6 ± 1.4	4.4	0.47	1.65 × 1.18	SB8
LESS 81	03:31:27.45 -27:44:40.4	4.8 ± 1.5	4.4	0.51	2.15 × 1.05	SB2
LESS 82	03:32:53.77 -27:38:10.9	4.5 ± 1.4	4.4	0.37	1.43 × 1.14	SB6
LESS 83	03:33:08.92 -28:05:22.0	5.3 ± 1.8	4.4	0.30	1.39 × 1.18	SB4
LESS 84	03:31:54.22 -27:51:09.8	4.6 ± 1.4	4.3	0.47	1.64 × 1.18	SB8
LESS 85	03:31:10.28 -27:45:03.1	6.0 ± 2.4	4.3	0.54	2.22 × 1.05	SB2
LESS 86	03:31:14.90 -27:48:44.3	5.1 ± 1.8	4.3	0.40	1.43 × 1.16	SB6
LESS 87	03:32:51.09 -27:31:43.0	5.3 ± 1.9	4.3	0.32	1.40 × 1.18	SB4
LESS 88	03:31:55.19 -27:53:45.3	4.5 ± 1.4	4.3	0.37	1.63 × 1.17	SB8
LESS 89	03:32:48.44 -28:00:23.8	4.4 ± 1.4	4.3	0.57	2.31 × 1.05	SB2
LESS 90	03:32:43.65 -27:35:54.1	4.5 ± 1.5	4.2	0.40	1.44 × 1.16	SB6
LESS 91	03:31:35.25 -27:40:33.7	4.4 ± 1.4	4.2	0.35	1.43 × 1.18	SB4
LESS 92	03:31:38.36 -27:43:36.0	4.3 ± 1.4	4.2	0.38	1.62 × 1.17	SB8
LESS 93	03:31:10.84 -27:56:07.2	5.2 ± 2.0	4.2	0.52	2.41 × 1.05	SB2
LESS 94	03:33:07.27 -27:58:05.0	4.4 ± 1.4	4.2	0.44	1.45 × 1.15	SB6
LESS 95	03:32:41.74 -27:58:46.1	4.3 ± 1.4	4.2	0.33	1.43 × 1.18	SB4
LESS 96	03:33:13.03 -27:55:56.8	4.3 ± 1.4	4.2	0.40	1.61 × 1.17	SB8
LESS 97	03:33:13.65 -27:38:03.4	4.2 ± 1.4	4.2	0.60	2.61 × 1.00	SB2
LESS 98	03:31:30.22 -27:57:26.0	4.2 ± 1.4	4.1	0.47	1.47 × 1.15	SB6
LESS 99	03:32:51.45 -27:55:36.0	4.3 ± 1.4	4.1	0.33	1.45 × 1.18	SB4
LESS 100	03:31:11.32 -28:00:06.2	4.8 ± 1.9	4.1	0.35	1.60 × 1.17	SB8
LESS 101	03:31:51.47 -27:45:52.1	4.2 ± 1.4	4.1	0.75	2.73 × 1.00	SB2
LESS 102	03:33:35.61 -27:40:20.1	4.3 ± 1.5	4.1	0.46	1.47 × 1.15	SB6
LESS 103	03:33:25.35 -27:34:00.4	4.3 ± 1.5	4.1	0.34	1.47 × 1.18	SB4
LESS 104	03:32:58.46 -27:38:03.0	4.0 ± 1.4	4.1	0.38	1.59 × 1.17	SB8
LESS 105	03:31:15.78 -27:53:13.1	4.6 ± 1.7	4.1	0.54	2.93 × 1.00	SB2
LESS 106	03:31:40.09 -27:56:31.4	4.0 ± 1.4	4.0	0.45	1.48 × 1.16	SB6
LESS 107	03:31:30.85 -27:51:50.9	4.0 ± 1.4	4.0	0.31	1.53 × 1.19	SB4
LESS 108	03:33:16.42 -27:50:33.1	4.0 ± 1.4	4.0	0.38	1.58 × 1.18	SB8
LESS 109	03:33:28.08 -27:41:57.0	4.0 ± 1.4	4.0	0.60	3.01 × 1.00	SB2
LESS 110	03:31:22.64 -27:54:17.2	4.1 ± 1.5	4.0	0.47	1.49 × 1.16	SB6
LESS 111	03:33:25.58 -27:34:23.0	4.1 ± 1.5	4.0	0.34	1.54 × 1.19	SB4
LESS 112	03:32:49.28 -27:31:12.3	4.6 ± 2.0	4.0	0.37	1.57 × 1.18	SB8
LESS 113	03:32:36.42 -27:58:45.9	3.9 ± 1.4	3.9	0.59	3.25 × 1.00	SB2
LESS 114	03:31:50.81 -27:44:38.5	3.9 ± 1.4	3.9	0.43	1.51 × 1.16	SB6
LESS 115	03:33:49.71 -27:42:39.2	4.6 ± 2.4	3.9	0.35	1.57 × 1.19	SB4
LESS 116	03:31:54.42 -27:45:25.5	3.8 ± 1.4	3.8	0.41	1.56 × 1.17	SB8
LESS 117	03:31:28.02 -27:39:25.2	3.8 ± 1.4	3.8	0.63	3.47 × 1.00	SB2
LESS 118	03:31:21.81 -27:49:36.8	3.8 ± 1.5	3.8	0.44	1.52 × 1.16	SB6
LESS 119	03:32:56.51 -28:03:19.1	3.8 ± 1.5	3.8	0.38	1.60 × 1.19	SB4
LESS 120	03:33:28.45 -27:56:55.9	3.7 ± 1.5	3.8	0.41	1.56 × 1.17	SB8
LESS 121	03:33:33.32 -27:34:49.3	3.8 ± 1.6	3.8	0.62	3.60 × 1.00	SB2
LESS 122	03:31:39.62 -27:41:20.4	3.6 ± 1.5	3.8	0.41	1.53 × 1.17	SB6
LESS 123	03:33:30.88 -27:53:49.3	3.7 ± 1.6	3.8	0.38	1.64 × 1.18	SB4
LESS 124	03:32:03.59 -27:36:05.0	3.5 ± 1.4	3.7	0.40	1.55 × 1.17	SB8
LESS 125	03:31:46.02 -27:46:21.2	3.6 ± 1.4	3.7	—	—	—
LESS 126	03:32:09.76 -27:41:02.0	3.6 ± 1.4	3.7	0.39	1.55 × 1.17	SB6

<sup>a</sup> Scheduling block – See Table 1 for more details.

TABLE 3  
 ALESS MAIN SAMPLE SOURCES BY LESS FIELD

LESS ID	ALESS ID	ALMA Position (J2000)	$\delta$ RA/ $\delta$ Dec [ $''$ ]	$S_{\text{pk}}$ [mJy]	$S_{\text{int}}$ [mJy]	S/N <sub>pk</sub>	$S_{\text{BEST,pbcorr}}$ [mJy]	Biggs ID
LESS 1	ALESS 001.1	03 33 14.46 -27 56 14.5	0.04/0.04	5.7 ± 0.4	5.8 ± 0.7	13.7	6.7 ± 0.5	–
	ALESS 001.2	03 33 14.41 -27 56 11.6	0.06/0.07	3.3 ± 0.4	4.4 ± 0.9	8.1	3.5 ± 0.4	r
	ALESS 001.3	03 33 14.18 -27 56 12.3	0.12/0.12	1.8 ± 0.4	2.5 ± 0.9	4.4	1.9 ± 0.4	–
LESS 2	ALESS 002.1	03 33 02.69 -27 56 42.8	0.06/0.09	3.6 ± 0.4	3.3 ± 0.6	9.1	3.8 ± 0.4	r
	ALESS 002.2	03 33 03.07 -27 56 42.9	0.08/0.12	2.5 ± 0.4	3.0 ± 0.8	6.3	4.2 ± 0.7	–
LESS 3	ALESS 003.1	03 33 21.50 -27 55 20.3	0.02/0.02	8.3 ± 0.4	9.0 ± 0.8	20.8	8.3 ± 0.4	r
LESS 5	ALESS 005.1	03 31 28.91 -27 59 09.0	0.04/0.05	4.6 ± 0.4	4.8 ± 0.7	11.4	7.8 ± 0.7	–
LESS 6	ALESS 006.1	03 32 56.96 -28 01 00.7	0.04/0.05	5.6 ± 0.4	5.9 ± 0.7	14.4	6.0 ± 0.4	r
LESS 7	ALESS 007.1	03 33 15.42 -27 45 24.3	0.03/0.03	5.9 ± 0.3	7.7 ± 0.7	19.3	8.0 ± 0.7	r
LESS 9	ALESS 009.1	03 32 11.34 -27 52 11.9	0.03/0.03	8.5 ± 0.5	8.4 ± 0.8	18.6	8.8 ± 0.5	r
LESS 10	ALESS 010.1	03 32 19.06 -27 52 14.8	0.08/0.05	4.3 ± 0.4	5.1 ± 0.8	10.4	5.2 ± 0.5	r
LESS 11	ALESS 011.1	03 32 13.85 -27 56 00.3	0.03/0.03	6.2 ± 0.3	6.7 ± 0.6	17.9	7.3 ± 0.4	r
LESS 13	ALESS 013.1	03 32 48.99 -27 42 51.8	0.04/0.04	5.7 ± 0.4	6.1 ± 0.8	13.7	8.0 ± 0.6	–
LESS 14	ALESS 014.1	03 31 52.49 -28 03 19.1	0.03/0.06	7.1 ± 0.5	7.0 ± 0.9	14.3	7.5 ± 0.5	r
LESS 15	ALESS 015.1	03 33 33.37 -27 59 29.6	0.02/0.02	9.0 ± 0.4	9.7 ± 0.7	24.6	9.0 ± 0.4	r
	ALESS 015.3	03 33 33.59 -27 59 35.4	0.14/0.13	1.4 ± 0.4	1.7 ± 0.8	3.8	2.0 ± 0.5	–
LESS 17	ALESS 017.1	03 32 07.30 -27 51 20.8	0.03/0.03	7.0 ± 0.4	8.0 ± 0.8	18.3	8.4 ± 0.5	r
LESS 18	ALESS 018.1	03 32 04.88 -27 46 47.7	0.08/0.09	3.3 ± 0.4	4.1 ± 0.8	8.1	4.4 ± 0.5	r
LESS 19	ALESS 019.1	03 32 08.26 -27 58 14.2	0.04/0.04	4.0 ± 0.3	4.2 ± 0.6	11.9	5.0 ± 0.4	r
	ALESS 019.2	03 32 07.89 -27 58 24.1	0.12/0.12	1.4 ± 0.3	1.5 ± 0.6	4.2	2.0 ± 0.5	r
LESS 22	ALESS 022.1	03 31 46.92 -27 32 39.3	0.10/0.06	3.9 ± 0.5	5.1 ± 1.0	8.4	4.5 ± 0.5	r
LESS 23	ALESS 023.1	03 32 12.01 -28 05 06.5	0.03/0.03	6.4 ± 0.3	7.1 ± 0.7	18.4	6.7 ± 0.4	–
	ALESS 023.7	03 32 11.92 -28 05 14.0	0.14/0.14	1.3 ± 0.3	2.1 ± 0.9	3.6	1.8 ± 0.5	–
LESS 25	ALESS 025.1	03 31 56.88 -27 59 39.3	0.05/0.04	5.8 ± 0.4	6.5 ± 0.8	13.2	6.2 ± 0.5	r
LESS 29	ALESS 029.1	03 33 36.90 -27 58 09.3	0.05/0.04	5.2 ± 0.4	5.4 ± 0.7	13.7	5.9 ± 0.4	r
LESS 31	ALESS 031.1	03 31 49.79 -27 57 40.8	0.02/0.02	7.1 ± 0.3	7.4 ± 0.6	22.0	8.1 ± 0.4	r
LESS 35	ALESS 035.1	03 31 10.51 -27 37 15.4	0.04/0.04	4.2 ± 0.3	5.2 ± 0.7	13.0	4.4 ± 0.3	r
	ALESS 035.2	03 31 10.22 -27 37 18.1	0.13/0.13	1.2 ± 0.3	1.3 ± 0.6	3.9	1.4 ± 0.4	–
LESS 37	ALESS 037.1	03 33 36.14 -27 53 50.6	0.08/0.08	2.6 ± 0.4	3.1 ± 0.7	7.1	2.9 ± 0.4	–
	ALESS 037.2	03 33 36.36 -27 53 48.3	0.15/0.16	1.4 ± 0.4	1.6 ± 0.7	3.7	1.6 ± 0.4	–
LESS 39	ALESS 039.1	03 31 45.03 -27 34 36.7	0.04/0.04	4.1 ± 0.3	4.7 ± 0.6	12.9	4.3 ± 0.3	r
LESS 41	ALESS 041.1	03 31 10.07 -27 52 36.7	0.08/0.07	3.4 ± 0.4	3.3 ± 0.7	8.0	4.9 ± 0.6	r
	ALESS 041.3	03 31 10.30 -27 52 40.8	0.18/0.15	1.5 ± 0.4	2.8 ± 1.2	3.6	2.7 ± 0.8	–
LESS 43	ALESS 043.1	03 33 06.64 -27 48 02.4	0.09/0.09	1.8 ± 0.3	2.3 ± 0.7	5.4	2.3 ± 0.4	r
LESS 45	ALESS 045.1	03 32 25.26 -27 52 30.5	0.05/0.06	4.2 ± 0.4	4.7 ± 0.7	11.1	6.0 ± 0.5	r
LESS 49	ALESS 049.1	03 31 24.72 -27 50 47.1	0.06/0.08	3.7 ± 0.4	3.9 ± 0.8	8.8	6.0 ± 0.7	r
	ALESS 049.2	03 31 24.47 -27 50 38.1	0.13/0.17	1.7 ± 0.4	2.1 ± 0.9	3.9	1.8 ± 0.5	r
LESS 51	ALESS 051.1	03 31 45.06 -27 44 27.3	0.04/0.04	4.0 ± 0.3	4.3 ± 0.6	12.1	4.7 ± 0.4	t
LESS 55	ALESS 055.1	03 33 02.22 -27 40 35.4	0.05/0.04	3.9 ± 0.3	4.4 ± 0.7	11.2	4.0 ± 0.4	–
	ALESS 055.2	03 33 02.16 -27 40 41.3	0.13/0.13	1.3 ± 0.3	1.6 ± 0.7	3.9	2.4 ± 0.6	–
	ALESS 055.5	03 33 02.35 -27 40 35.4	0.14/0.13	1.3 ± 0.3	1.5 ± 0.7	3.7	1.4 ± 0.4	–
LESS 57	ALESS 057.1	03 31 51.92 -27 53 27.1	0.12/0.11	3.3 ± 0.6	3.4 ± 1.0	5.8	3.6 ± 0.6	r
LESS 59	ALESS 059.2	03 33 03.82 -27 44 18.2	0.12/0.11	1.4 ± 0.3	2.3 ± 0.8	4.4	1.9 ± 0.4	–
LESS 61	ALESS 061.1	03 32 45.87 -28 00 23.4	0.07/0.09	3.8 ± 0.5	4.4 ± 0.9	8.3	4.3 ± 0.5	–
LESS 63	ALESS 063.1	03 33 08.45 -28 00 43.8	0.03/0.03	5.6 ± 0.3	6.0 ± 0.6	16.1	5.6 ± 0.3	–
LESS 65	ALESS 065.1	03 32 52.27 -27 35 26.3	0.08/0.05	4.0 ± 0.4	4.9 ± 0.8	9.7	4.2 ± 0.4	–
LESS 66	ALESS 066.1	03 33 31.93 -27 54 09.5	0.11/0.10	2.0 ± 0.4	2.4 ± 0.8	5.2	2.5 ± 0.5	r
LESS 67	ALESS 067.1	03 32 43.20 -27 55 14.3	0.05/0.04	4.0 ± 0.3	4.9 ± 0.7	11.7	4.5 ± 0.4	r
	ALESS 067.2	03 32 43.02 -27 55 14.7	0.13/0.12	1.4 ± 0.3	1.7 ± 0.7	4.2	1.7 ± 0.4	–
LESS 68	ALESS 068.1	03 32 33.33 -27 39 13.6	0.08/0.11	2.9 ± 0.4	3.2 ± 0.8	6.6	3.7 ± 0.6	–
LESS 69	ALESS 069.1	03 31 33.78 -27 59 32.4	0.06/0.11	3.2 ± 0.4	4.3 ± 0.9	7.7	4.9 ± 0.6	t
	ALESS 069.2	03 31 34.13 -27 59 28.9	0.11/0.20	1.8 ± 0.4	2.1 ± 0.8	4.2	2.4 ± 0.6	–
	ALESS 069.3	03 31 33.97 -27 59 38.3	0.13/0.23	1.5 ± 0.4	1.9 ± 0.8	3.7	2.1 ± 0.6	–
LESS 70	ALESS 070.1	03 31 44.02 -27 38 35.5	0.04/0.05	4.8 ± 0.4	5.3 ± 0.8	11.7	5.2 ± 0.4	r
LESS 71	ALESS 071.1	03 33 05.65 -27 33 28.2	0.11/0.11	1.4 ± 0.3	1.9 ± 0.7	4.8	2.9 ± 0.6	–
	ALESS 071.3	03 33 06.14 -27 33 23.1	0.15/0.15	1.1 ± 0.3	1.5 ± 0.7	3.6	1.4 ± 0.4	–
LESS 72	ALESS 072.1	03 32 40.40 -27 37 58.1	0.05/0.07	4.1 ± 0.4	4.1 ± 0.7	9.9	4.9 ± 0.5	–
LESS 73	ALESS 073.1	03 32 29.29 -27 56 19.7	0.05/0.06	6.1 ± 0.5	6.2 ± 0.8	12.9	6.1 ± 0.5	r
LESS 74	ALESS 074.1	03 33 09.15 -27 48 17.2	0.07/0.09	2.7 ± 0.4	3.3 ± 0.8	6.7	4.6 ± 0.7	r
LESS 75	ALESS 075.1	03 31 27.19 -27 55 51.3	0.08/0.07	2.3 ± 0.3	3.3 ± 0.7	7.1	3.2 ± 0.4	r
	ALESS 075.4	03 31 26.57 -27 55 55.7	0.16/0.15	1.2 ± 0.3	1.4 ± 0.7	3.5	1.3 ± 0.4	–
LESS 76	ALESS 076.1	03 33 32.34 -27 59 55.6	0.06/0.05	5.2 ± 0.5	5.6 ± 0.9	11.0	6.4 ± 0.6	r
LESS 79	ALESS 079.1	03 32 21.14 -27 56 27.0	0.05/0.04	3.6 ± 0.3	3.7 ± 0.6	11.2	4.1 ± 0.4	–
	ALESS 079.2	03 32 21.60 -27 56 24.0	0.12/0.10	1.6 ± 0.3	1.9 ± 0.6	5.0	2.0 ± 0.4	r
	ALESS 079.4	03 32 21.18 -27 56 30.5	0.17/0.14	1.1 ± 0.3	1.2 ± 0.6	3.5	1.8 ± 0.5	–
LESS 80	ALESS 080.1	03 31 42.80 -27 48 36.9	0.11/0.15	2.2 ± 0.5	2.7 ± 1.0	4.7	4.0 ± 0.9	t
	ALESS 080.2	03 31 42.62 -27 48 41.0	0.13/0.17	1.9 ± 0.5	1.8 ± 0.8	3.9	3.5 ± 0.9	–
LESS 82	ALESS 082.1	03 32 54.00 -27 38 14.9	0.13/0.14	1.5 ± 0.4	1.7 ± 0.7	4.1	1.9 ± 0.5	t
LESS 83	ALESS 083.4	03 33 08.71 -28 05 18.5	0.15/0.13	1.2 ± 0.3	1.5 ± 0.6	3.9	1.4 ± 0.4	–
LESS 84	ALESS 084.1	03 31 54.50 -27 51 05.6	0.13/0.11	2.4 ± 0.5	2.4 ± 0.8	5.1	3.2 ± 0.6	r
	ALESS 084.2	03 31 53.85 -27 51 04.3	0.15/0.13	2.0 ± 0.5	2.1 ± 0.8	4.2	3.2 ± 0.8	t
LESS 87	ALESS 087.1	03 32 50.88 -27 31 41.5	0.15/0.14	1.2 ± 0.3	1.7 ± 0.7	3.8	1.3 ± 0.4	r
	ALESS 087.3	03 32 51.27 -27 31 50.7	0.14/0.13	1.3 ± 0.3	2.0 ± 0.8	4.1	2.4 ± 0.6	–

TABLE 3 — *Continued*

LESS ID	ALESS ID	ALMA Position (J2000)	$\delta\text{RA}/\delta\text{Dec}$ [""]	$S_{\text{pk}}$ [mJy]	$S_{\text{int}}$ [mJy]	$S/N_{\text{pk}}$	$S_{\text{BEST,pbcorr}}$ [mJy]	Biggs ID
LESS 88	ALESS 088.1	03 31 54.76 -27 53 41.5	0.08/0.06	$3.0 \pm 0.4$	$3.3 \pm 0.7$	8.0	$4.6 \pm 0.6$	t
	ALESS 088.2	03 31 55.39 -27 53 40.3	0.16/0.12	$1.6 \pm 0.4$	$2.3 \pm 0.8$	4.2	$2.1 \pm 0.5$	–
	ALESS 088.5	03 31 55.81 -27 53 47.2	0.18/0.13	$1.5 \pm 0.4$	$2.5 \pm 0.9$	4.0	$2.9 \pm 0.7$	–
	ALESS 088.11	03 31 54.95 -27 53 37.6	0.28/0.17	$1.3 \pm 0.4$	$6.5 \pm 2.0$	3.5	$2.5 \pm 0.7$	–
LESS 92	ALESS 092.2	03 31 38.14 -27 43 43.4	0.14/0.19	$1.3 \pm 0.4$	$1.6 \pm 0.7$	3.6	$2.4 \pm 0.7$	–
LESS 94	ALESS 094.1	03 33 07.59 -27 58 05.8	0.08/0.10	$2.7 \pm 0.4$	$2.9 \pm 0.8$	6.1	$3.2 \pm 0.5$	r
LESS 98	ALESS 098.1	03 31 29.92 -27 57 22.7	0.06/0.08	$3.7 \pm 0.5$	$5.0 \pm 1.0$	8.0	$4.8 \pm 0.6$	r
LESS 99	ALESS 099.1	03 32 51.82 -27 55 33.6	0.12/0.11	$1.6 \pm 0.3$	$1.5 \pm 0.5$	4.8	$2.1 \pm 0.4$	–
LESS 102	ALESS 102.1	03 33 35.60 -27 40 23.0	0.08/0.10	$2.8 \pm 0.5$	$3.2 \pm 0.9$	6.2	$3.1 \pm 0.5$	r
LESS 103	ALESS 103.3	03 33 25.04 -27 34 01.1	0.18/0.14	$1.2 \pm 0.3$	$1.4 \pm 0.7$	3.5	$1.4 \pm 0.4$	–
LESS 107	ALESS 107.1	03 31 30.50 -27 51 49.1	0.13/0.11	$1.5 \pm 0.3$	$2.1 \pm 0.7$	4.8	$1.9 \pm 0.4$	–
	ALESS 107.3	03 31 30.72 -27 51 55.7	0.17/0.15	$1.2 \pm 0.3$	$1.3 \pm 0.6$	3.7	$1.5 \pm 0.4$	–
LESS 110	ALESS 110.1	03 31 22.66 -27 54 17.2	0.07/0.06	$4.1 \pm 0.5$	$4.6 \pm 0.9$	8.7	$4.1 \pm 0.5$	r
	ALESS 110.5	03 31 22.96 -27 54 14.4	0.17/0.14	$1.9 \pm 0.5$	$8.5 \pm 2.4$	4.0	$2.4 \pm 0.6$	–
LESS 112	ALESS 112.1	03 32 48.86 -27 31 13.3	0.04/0.04	$5.7 \pm 0.4$	$5.9 \pm 0.7$	15.5	$7.6 \pm 0.5$	r
LESS 114	ALESS 114.1	03 31 50.49 -27 44 45.3	0.15/0.15	$1.6 \pm 0.4$	$1.6 \pm 0.7$	3.8	$3.0 \pm 0.8$	–
	ALESS 114.2	03 31 51.11 -27 44 37.3	0.14/0.15	$1.7 \pm 0.4$	$1.8 \pm 0.8$	4.0	$2.0 \pm 0.5$	r
LESS 115	ALESS 115.1	03 33 49.70 -27 42 34.6	0.04/0.03	$5.7 \pm 0.3$	$6.0 \pm 0.6$	16.4	$6.9 \pm 0.4$	r
LESS 116	ALESS 116.1	03 31 54.32 -27 45 28.9	0.08/0.10	$2.7 \pm 0.4$	$2.9 \pm 0.7$	6.6	$3.1 \pm 0.5$	–
	ALESS 116.2	03 31 54.44 -27 45 31.4	0.09/0.11	$2.5 \pm 0.4$	$2.7 \pm 0.8$	6.0	$3.4 \pm 0.6$	t
LESS 118	ALESS 118.1	03 31 21.92 -27 49 41.4	0.09/0.11	$2.6 \pm 0.4$	$2.4 \pm 0.7$	5.9	$3.2 \pm 0.5$	t
LESS 119	ALESS 119.1	03 32 56.64 -28 03 25.2	0.04/0.04	$5.7 \pm 0.4$	$6.3 \pm 0.7$	15.2	$8.3 \pm 0.5$	–
LESS 122	ALESS 122.1	03 31 39.54 -27 41 19.7	0.06/0.07	$3.6 \pm 0.4$	$4.3 \pm 0.8$	8.8	$3.7 \pm 0.4$	r
LESS 124	ALESS 124.1	03 32 04.04 -27 36 06.4	0.10/0.08	$2.6 \pm 0.4$	$3.8 \pm 0.9$	6.4	$3.6 \pm 0.6$	t
	ALESS 124.4	03 32 03.89 -27 36 00.1	0.18/0.16	$1.5 \pm 0.4$	$8.4 \pm 2.3$	3.9	$2.2 \pm 0.6$	–
LESS 126	ALESS 126.1	03 32 09.61 -27 41 07.7	0.12/0.16	$1.6 \pm 0.4$	$1.6 \pm 0.7$	4.1	$2.2 \pm 0.5$	r

NOTE. — See §4.2 for column definitions.

TABLE 4  
ALESS SUPPLEMENTARY SAMPLE

LESS ID	ALESS ID	ALMA Position (J2000)	$\delta\text{RA}/\delta\text{Dec}$ [""]	$S_{\text{pk}}$ [mJy]	$S_{\text{int}}$ [mJy]	$S/N_{\text{pk}}$	$S_{\text{BEST,pbcorr}}$ [mJy]	Sample <sup>a</sup>	Biggs ID
LESS 3	ALESS 003.2	03 33 22.19 -27 55 20.9	0.09/0.10	$2.3 \pm 0.4$	$4.2 \pm 1.1$	5.7	$4.8 \pm 0.9$	2	–
	ALESS 003.3	03 33 20.71 -27 55 14.0	0.12/0.12	$1.7 \pm 0.4$	$2.4 \pm 0.9$	4.3	$7.0 \pm 1.6$	2	–
	ALESS 003.4	03 33 21.99 -27 55 09.8	0.13/0.12	$1.6 \pm 0.4$	$2.4 \pm 0.9$	4.0	$6.4 \pm 1.6$	2	–
LESS 7	ALESS 007.2	03 33 15.01 -27 45 30.6	0.11/0.11	$1.4 \pm 0.3$	$2.3 \pm 0.8$	4.5	$3.5 \pm 0.8$	2	–
LESS 15	ALESS 015.2	03 33 34.05 -27 59 30.2	0.11/0.10	$1.8 \pm 0.4$	$2.2 \pm 0.8$	4.8	$3.8 \pm 0.8$	2	–
	ALESS 015.6	03 33 33.17 -27 59 42.2	0.13/0.13	$1.5 \pm 0.4$	$1.8 \pm 0.7$	4.1	$6.1 \pm 1.5$	2	–
LESS 17	ALESS 017.2	03 32 08.26 -27 51 19.7	0.14/0.12	$1.6 \pm 0.4$	$2.1 \pm 0.8$	4.2	$3.7 \pm 0.9$	2	–
	ALESS 017.3	03 32 07.37 -27 51 33.9	0.15/0.22	$1.6 \pm 0.4$	$4.0 \pm 1.3$	4.1	$5.1 \pm 1.2$	2	–
LESS 20	ALESS 020.1	03 33 16.76 -28 00 16.0	0.24/0.19	$3.9 \pm 0.9$	$7.0 \pm 2.2$	4.2	$4.5 \pm 1.1$	3	<b>r</b>
	ALESS 020.2	03 33 16.27 -28 00 23.3	0.25/0.20	$3.8 \pm 0.9$	$5.1 \pm 2.0$	4.0	$5.2 \pm 1.3$	3	–
LESS 22	ALESS 022.2	03 31 46.69 -27 32 52.4	0.23/0.12	$2.3 \pm 0.5$	$4.1 \pm 1.2$	4.9	$6.1 \pm 1.3$	2	–
LESS 23	ALESS 023.2	03 32 11.43 -28 05 10.2	0.07/0.07	$2.4 \pm 0.3$	$3.2 \pm 0.8$	6.9	$5.3 \pm 0.8$	2	–
LESS 30	ALESS 030.1	03 33 44.33 -28 03 38.7	0.21/0.17	$2.8 \pm 0.5$	$5.0 \pm 1.3$	5.4	$4.8 \pm 0.9$	3	–
LESS 34	ALESS 034.1	03 32 17.96 -27 52 33.3	0.07/0.12	$3.5 \pm 0.5$	$3.9 \pm 0.8$	7.7	$4.5 \pm 0.6$	3	–
LESS 38	ALESS 038.1	03 33 10.84 -27 56 40.2	0.14/0.18	$2.8 \pm 0.6$	$3.3 \pm 1.1$	4.9	$5.6 \pm 1.1$	3	–
LESS 39	ALESS 039.2	03 31 44.56 -27 34 43.2	0.13/0.13	$1.3 \pm 0.3$	$2.2 \pm 0.8$	4.0	$2.7 \pm 0.7$	2	–
LESS 43	ALESS 043.3	03 33 06.27 -27 47 54.7	0.12/0.11	$1.5 \pm 0.3$	$2.0 \pm 0.7$	4.5	$5.2 \pm 1.2$	2	–
LESS 46	ALESS 046.1	03 33 36.70 -27 32 49.5	0.17/0.08	$4.2 \pm 0.7$	$5.3 \pm 1.3$	6.4	$4.5 \pm 0.7$	3	<b>r</b>
LESS 62	ALESS 062.1	03 32 36.16 -27 34 48.9	0.13/0.29	$3.4 \pm 0.7$	$6.3 \pm 1.7$	5.0	$4.3 \pm 0.8$	3	–
	ALESS 062.2	03 32 36.58 -27 34 53.8	0.13/0.36	$2.7 \pm 0.7$	$3.8 \pm 1.4$	4.0	$2.9 \pm 0.7$	3	<b>r</b>
LESS 75	ALESS 075.2	03 31 27.67 -27 55 59.2	0.14/0.13	$1.3 \pm 0.3$	$1.5 \pm 0.6$	4.0	$5.0 \pm 1.2$	2	–
LESS 80	ALESS 080.5	03 31 41.68 -27 48 22.7	0.16/0.22	$2.0 \pm 0.5$	$4.6 \pm 1.4$	4.3	$11.8 \pm 2.8$	2	–
LESS 81	ALESS 081.1	03 31 27.55 -27 44 39.6	0.06/0.08	$5.2 \pm 0.5$	$5.8 \pm 1.0$	10.1	$5.3 \pm 0.5$	3	<b>r</b>
	ALESS 081.2	03 31 27.58 -27 44 43.1	0.13/0.20	$2.2 \pm 0.5$	$2.8 \pm 1.1$	4.2	$2.4 \pm 0.6$	3	–
LESS 83	ALESS 083.1	03 33 09.42 -28 05 30.6	0.08/0.07	$2.3 \pm 0.3$	$2.3 \pm 0.5$	7.7	$6.8 \pm 0.9$	2	–
LESS 89	ALESS 089.1	03 32 48.69 -28 00 21.9	0.12/0.19	$2.7 \pm 0.6$	$4.6 \pm 1.4$	4.8	$3.1 \pm 0.7$	3	–
LESS 91	ALESS 091.1	03 31 35.30 -27 40 24.5	0.13/0.14	$1.5 \pm 0.3$	$1.6 \pm 0.6$	4.2	$3.2 \pm 0.8$	2	–
LESS 93	ALESS 093.1	03 31 11.06 -27 56 14.0	0.19/0.16	$2.3 \pm 0.5$	$2.8 \pm 1.0$	4.5	$3.9 \pm 0.9$	3	–
LESS 101	ALESS 101.1	03 31 51.60 -27 45 53.0	0.27/0.10	$3.3 \pm 0.8$	$8.2 \pm 2.3$	4.4	$3.4 \pm 0.8$	3	<b>r</b>
LESS 103	ALESS 103.2	03 33 25.82 -27 34 09.9	0.15/0.12	$1.5 \pm 0.3$	$1.9 \pm 0.7$	4.2	$4.8 \pm 1.1$	2	–
LESS 106	ALESS 106.1	03 31 39.64 -27 56 39.2	0.14/0.11	$2.0 \pm 0.5$	$2.2 \pm 0.9$	4.4	$4.8 \pm 1.1$	2	–
LESS 109	ALESS 109.1	03 33 28.01 -27 41 49.7	0.14/0.20	$3.4 \pm 0.6$	$4.5 \pm 1.3$	5.6	$5.5 \pm 1.0$	3	–

<sup>a</sup> Indicates why the SMG was selected as supplementary. See §4.1 for further details.